

Fragmentation in Diffractive DIS at HERA

Daniel Traynor*
Queen Mary, University of London

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*email: d.traynor@qmul.ac.uk

Overview

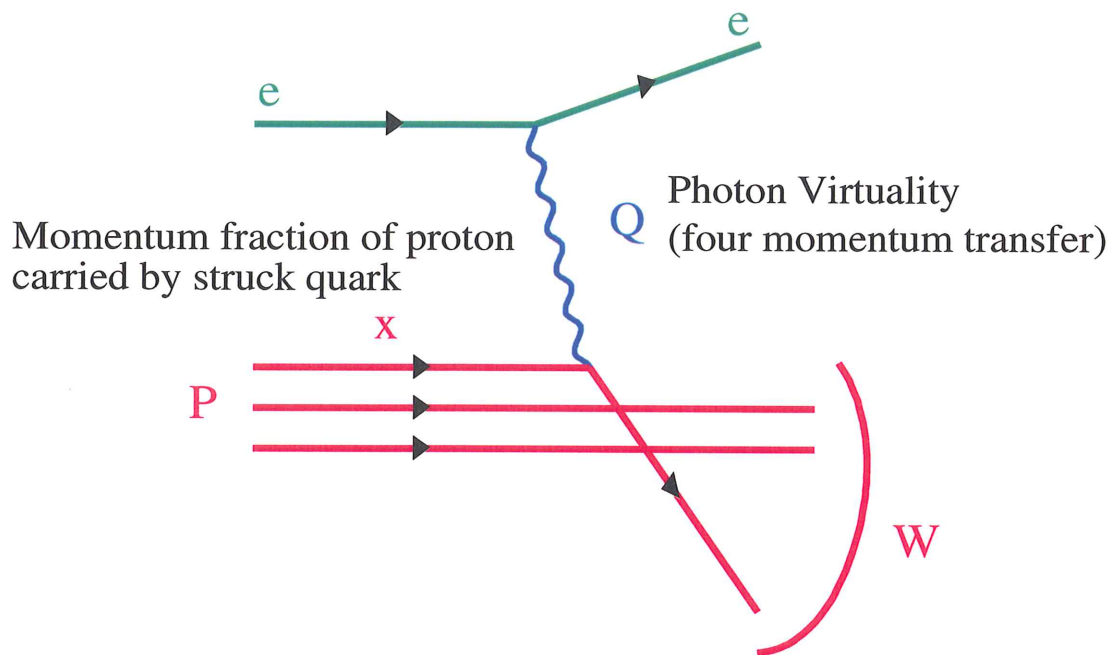
- Definitions and Descriptions
 - DIS and diffraction
 - The Breit Frame
 - Models of diffraction
- Rapidity
- Fragmentation Function
 - Peak and widths
 - Average Charged Multiplicity
- Conclusions

Motivation

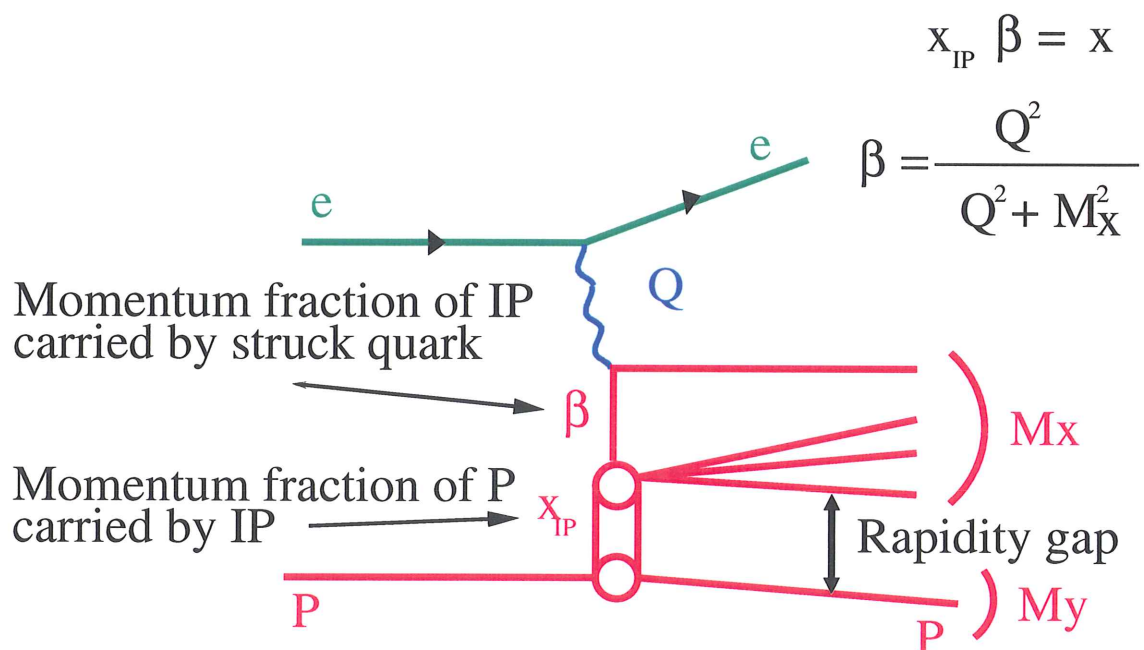
- Compare the charged track longitudinal momentum spectra of DIS with diffraction.
- Test quark fragmentation Universality (quark from $e^+e^- \rightarrow q\bar{q} \equiv$ struck quark from $ep \equiv$ struck quark from $e\mathbb{P}$).
- Test various models of diffraction

Useful Definitions

QPM Picture of DIS:



Diffractive DIS:



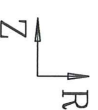
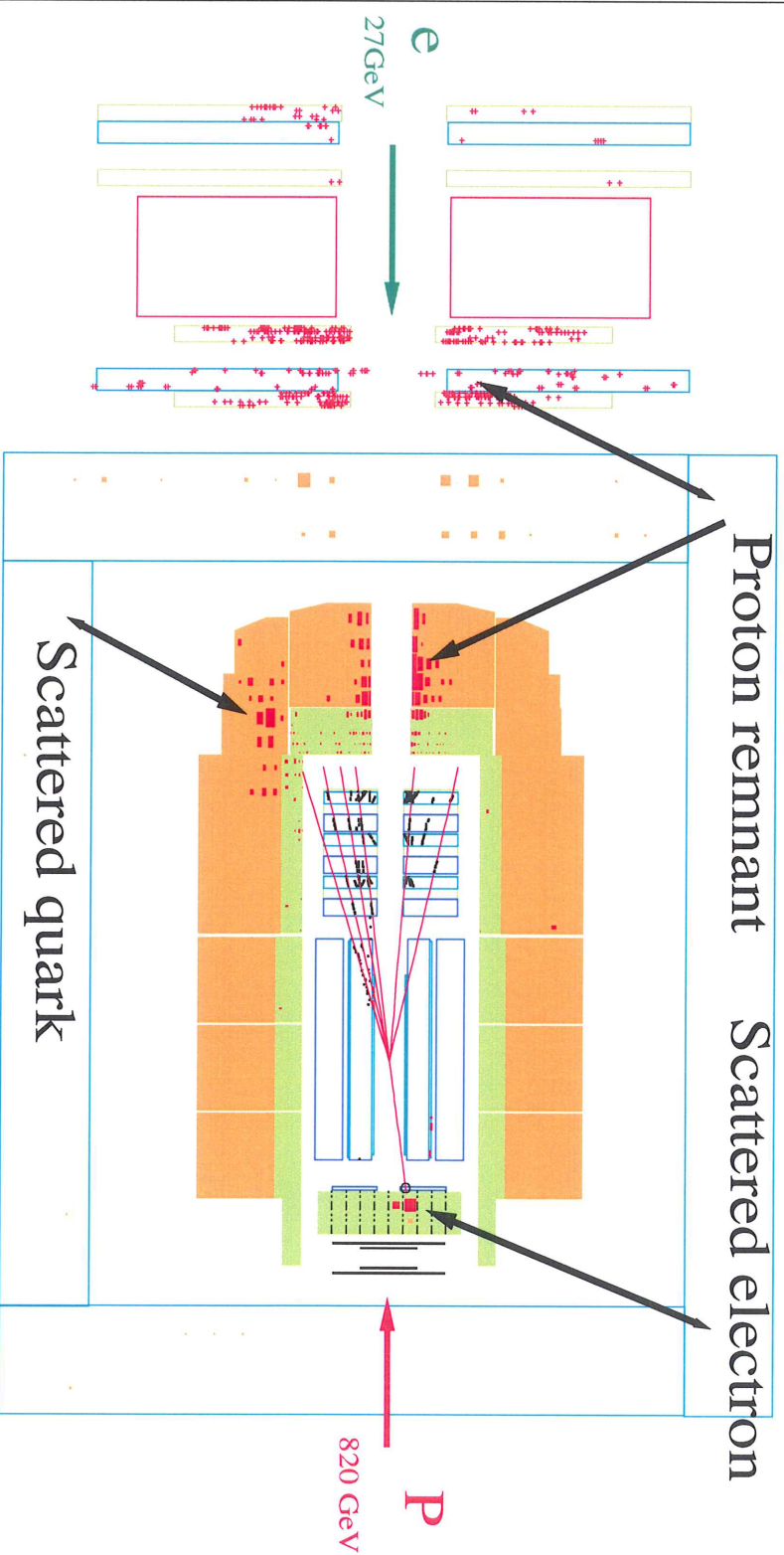
Event Selection



Run 64901 Event 33275 Class: 10 11 18 23

Date 22/02/1994

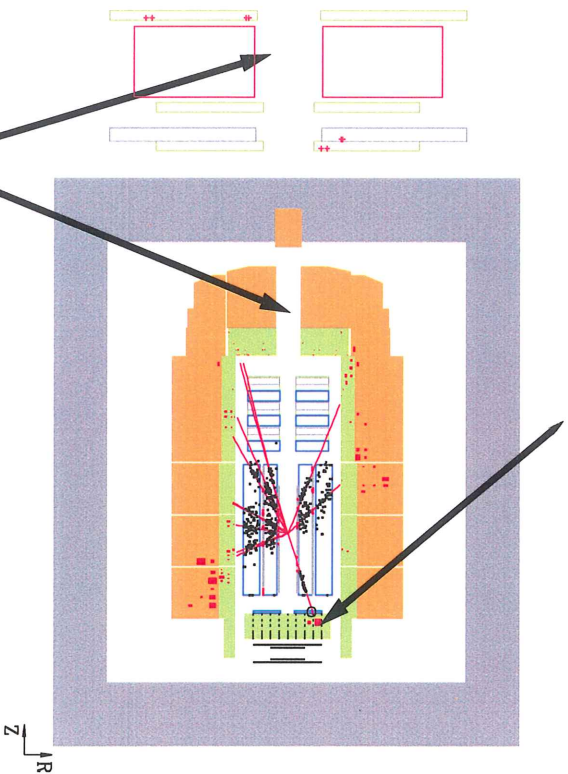
$$12 < Q^2 < 100 \text{ GeV} \quad 0.055 < y < 0.6 \quad \text{SEE} = 14 \text{ GeV}$$





DIS Rappap Event

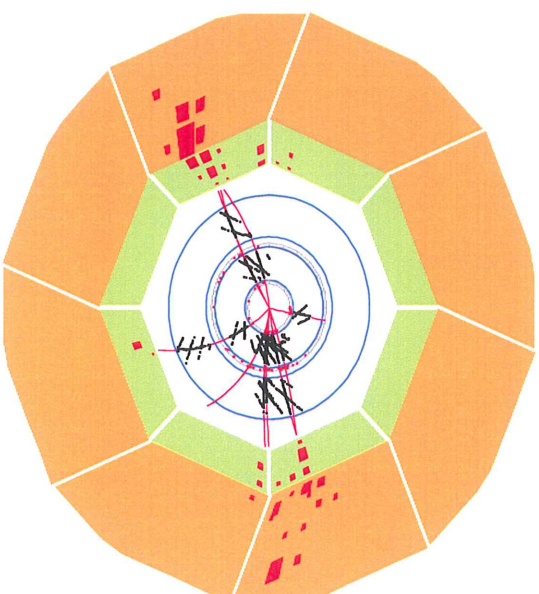
Scattered electron



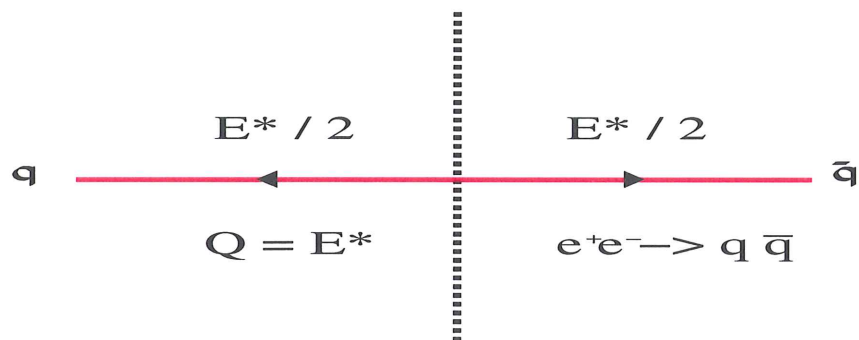
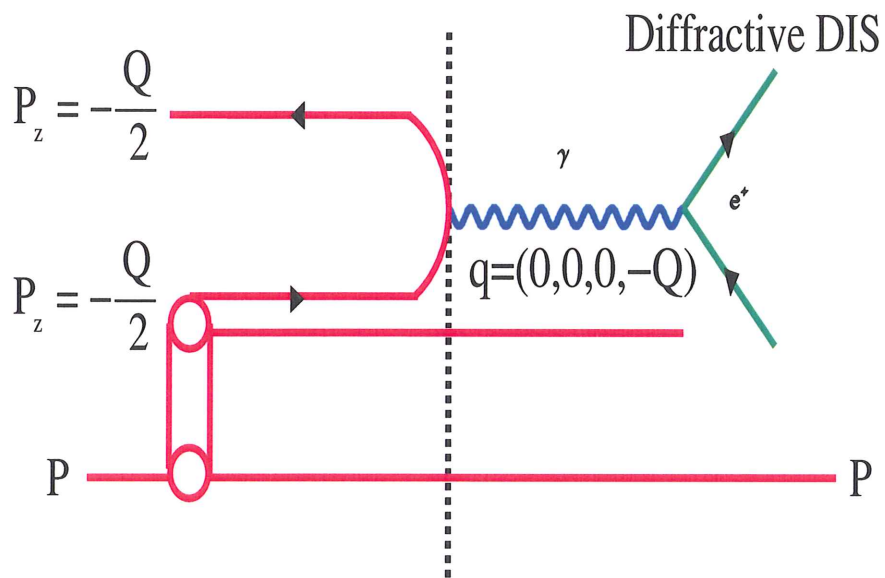
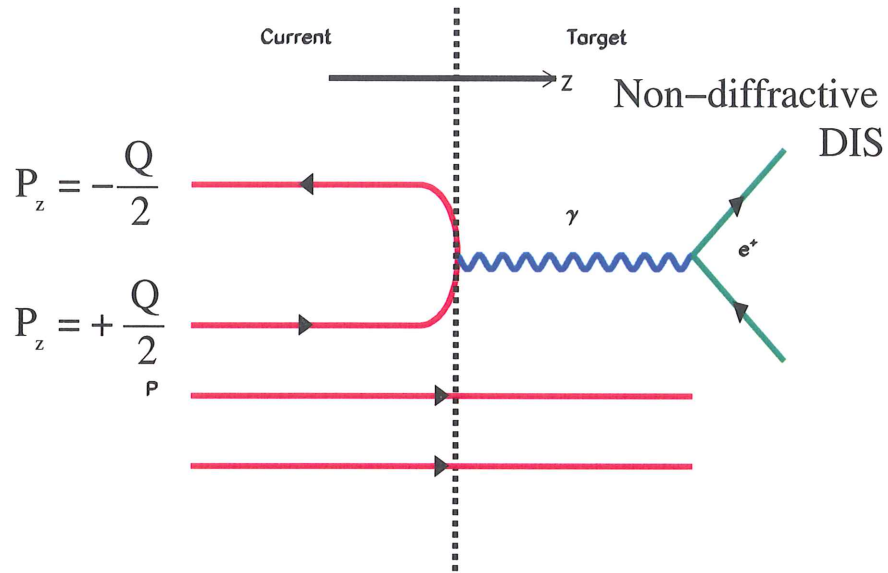
Rapidity Gap

$$3 < M_x < 36 \text{ GeV}$$

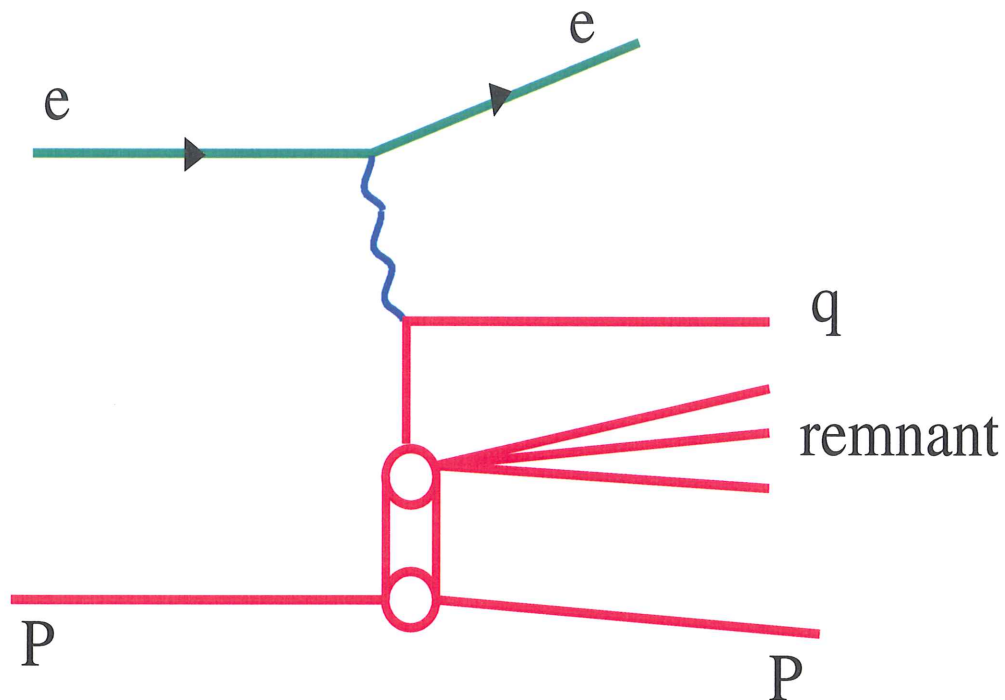
$$x_{IP} < 0.05 \quad M_y < 1.6 \text{ GeV}$$



Breit Frame



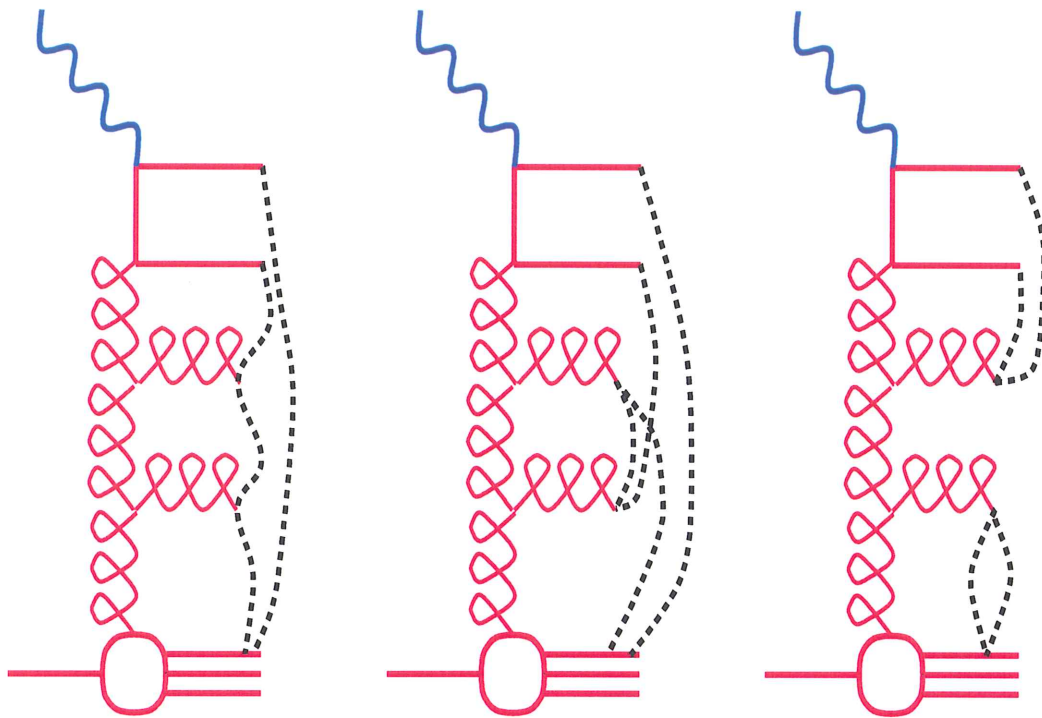
Resolved Pomeron Model



- Ingelman and Schlein¹
- Treat pomeron as hadron within the proton.
- Similar to proton and photon structure functions
- H1 fits; quark dominated fit 1, flat gluon fit 2, peaked gluon fit 3
- Monte-Carlo: RAPGAP

¹Phys. Lett. B152 (1985) 256

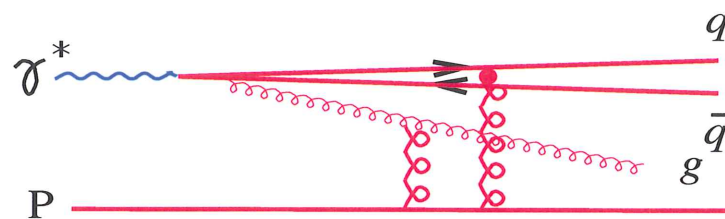
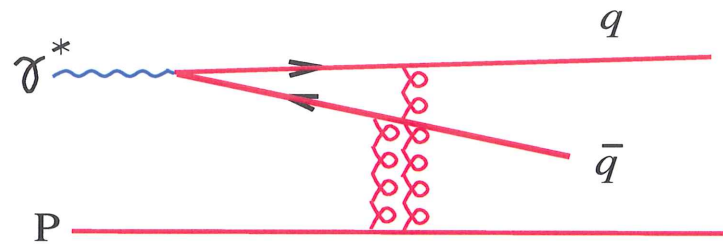
Soft Colour Interactions



- Ingelman, Edin, Rathsman²
- Normal ep scattering + colour neutralisation through soft gluon
- Original model, universal colour rearrangement probability
- New model, generalised area law
- Monte-Carlo: LEPTO

²Phys. Lett. B 366 (1996) 371

Colour Dipole and 2-Gluon Models



Scattering of $q\bar{q}$ and $q\bar{q}g$ colour dipoles off the proton via 2 gluon exchange.

$q\bar{q}$ production at medium and high β (small M_x)

$q\bar{q}g$ production at Low β (large M_x)

Saturation model

- Golec-Biernat & Wusthoff³
- Monte-Carlo: RAPGAP

Other Models

- Bartels, Jung, Lotter, Wusthoff

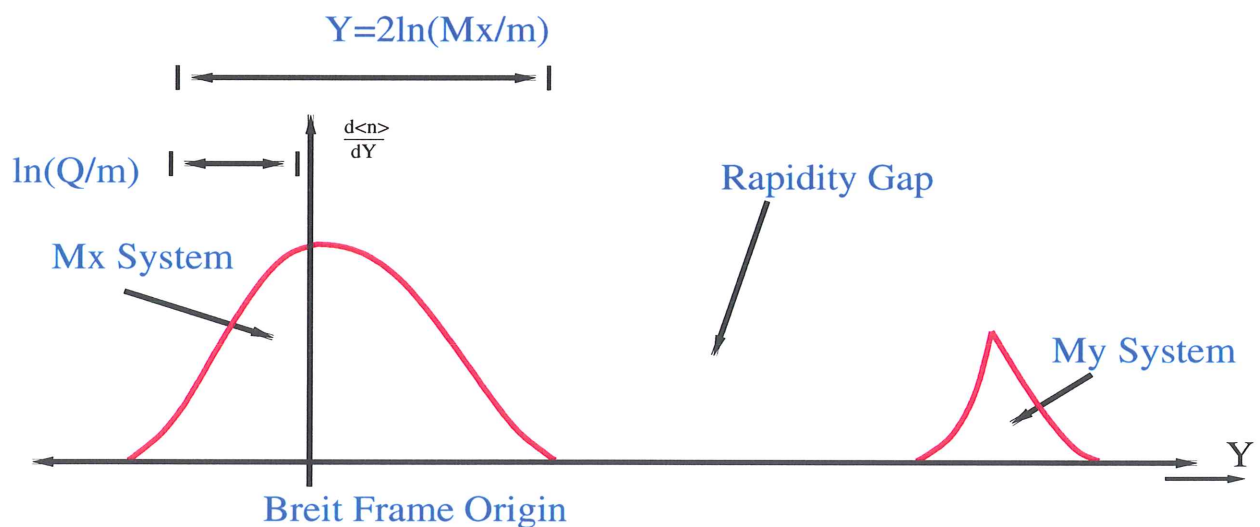
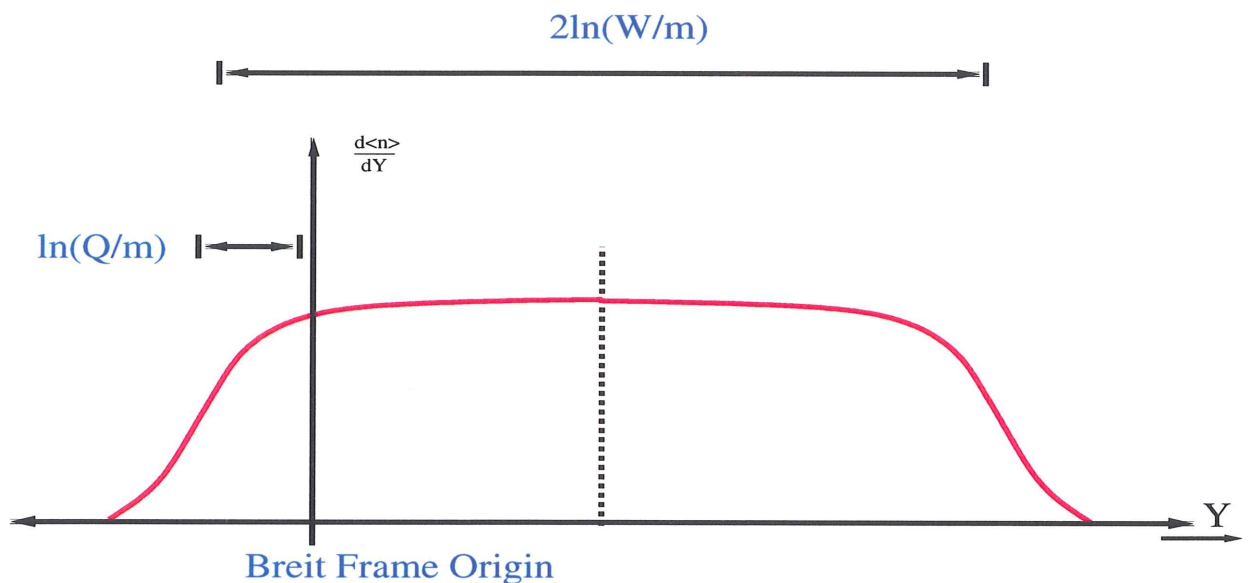
³Phys. Rev D 59 (1999) 014017

Rapidity Spectra (1)

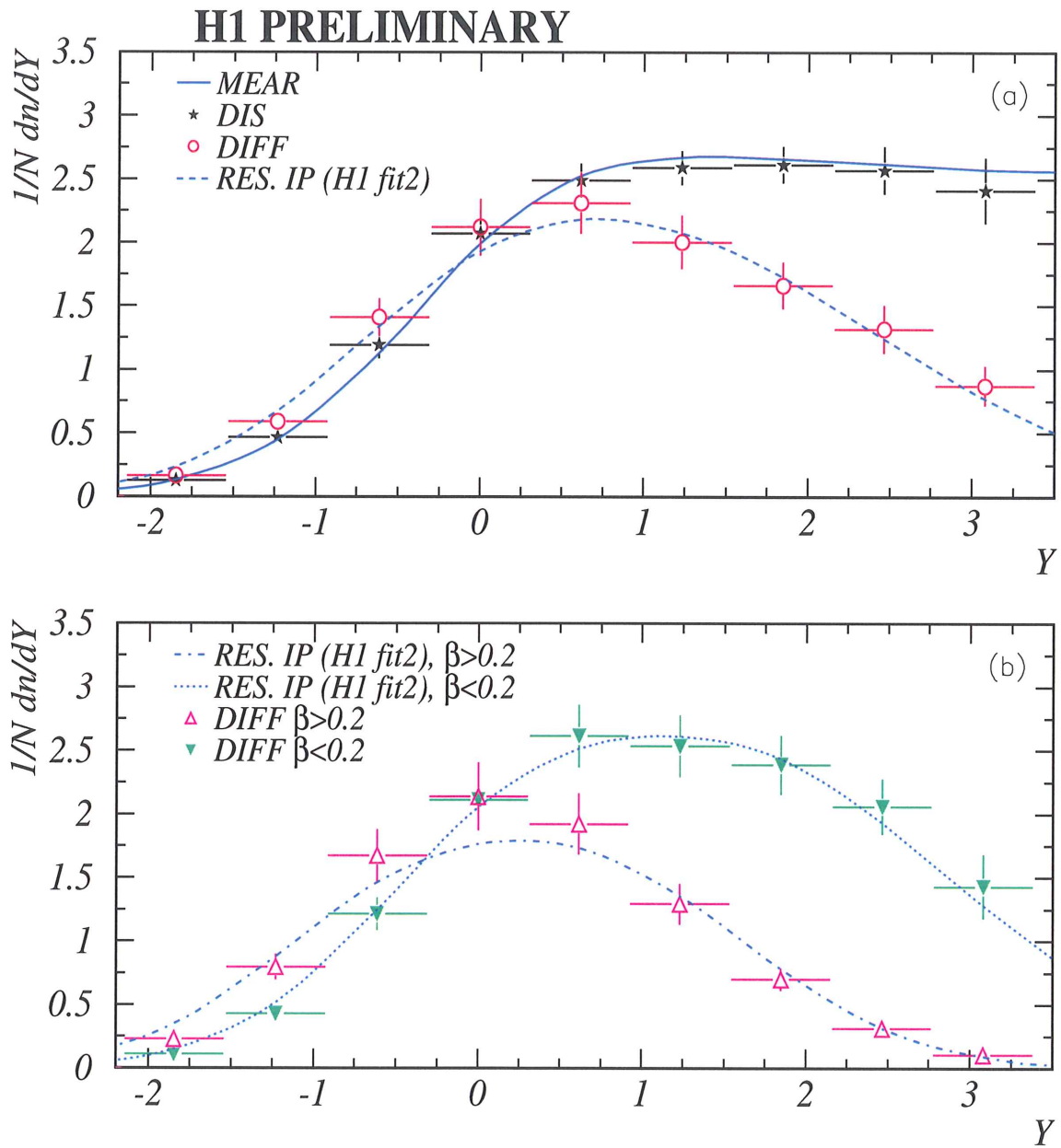
$$Y = \frac{1}{2} \ln \left(\frac{E + P_z}{E - P_z} \right)$$

E = energy of particle (assuming pion mass - corrections made using Monte-Carlo)

P_z = Longitudinal Momentum



Rapidity Spectra (2)

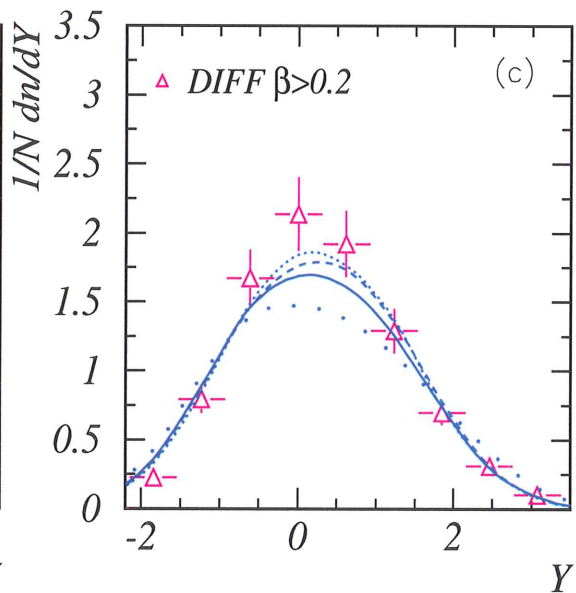
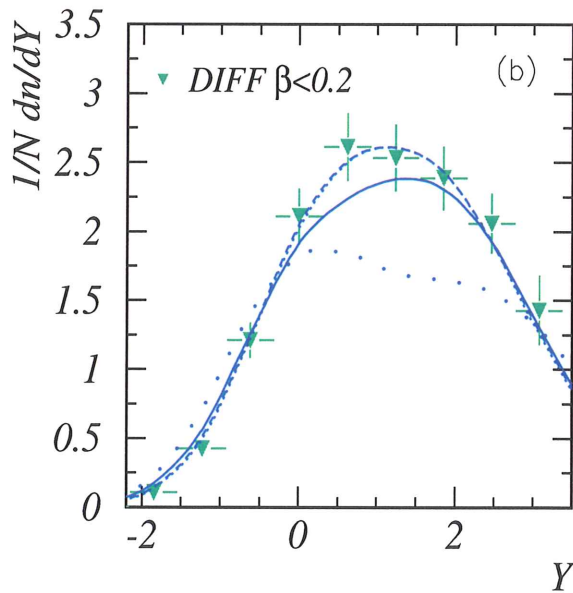
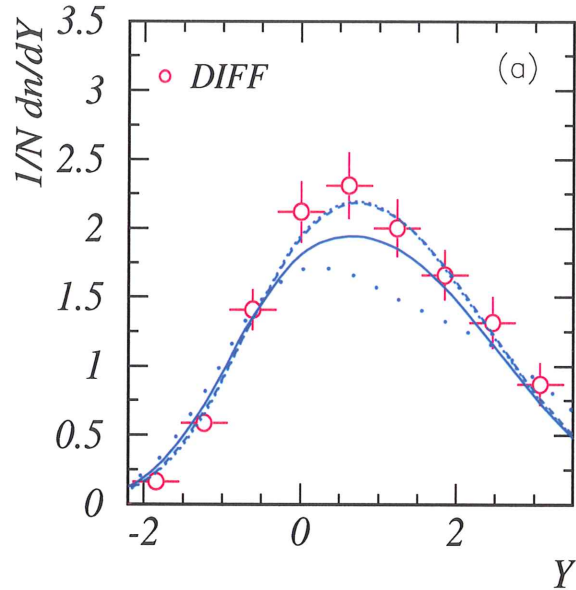


- Best Models
- Difference between DIS and DIFF.
- Difference between high and low β DIFF.

Rapidity: Model Comparison (1)

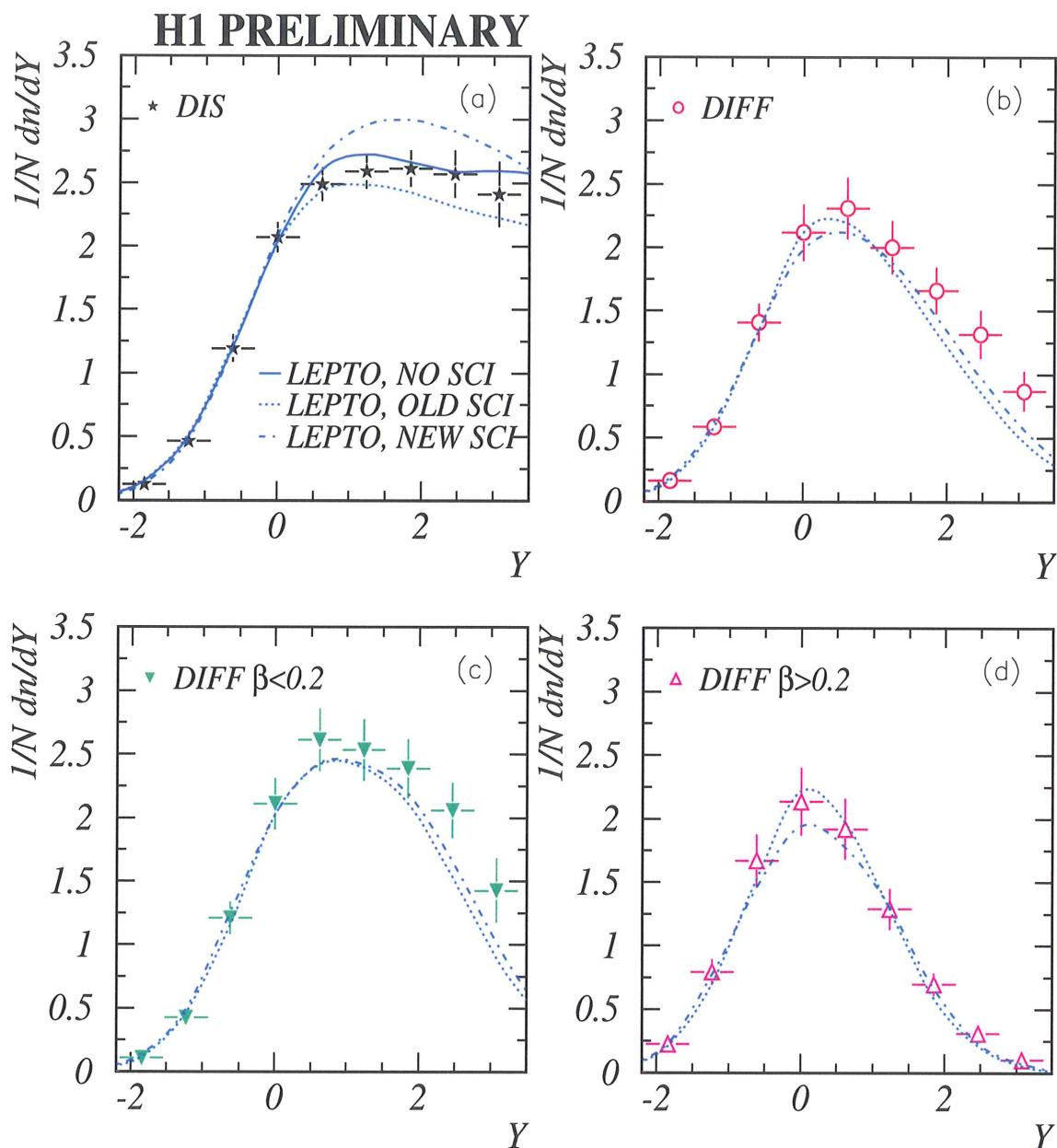
H1 PRELIMINARY

- · RES. IP (H1 fit1)
- - RES. IP (H1 fit2)
- · · RES. IP (H1 fit3)
- Saturation model



- Fit 2 and 3 indistinguishable.
- Fit 1 fails (already known), sensitivity to different models.
- Saturation Model, low central multiplicity
- Sensitivity at low β .

Rapidity: Model comparison (2)



- Best description of DIS given by LEPTO with no SCI.
- Large difference between NEW and OLD SCI versions for DIS
- Little difference between versions for DIFF.
- Multiplicity too low in target region at low β .

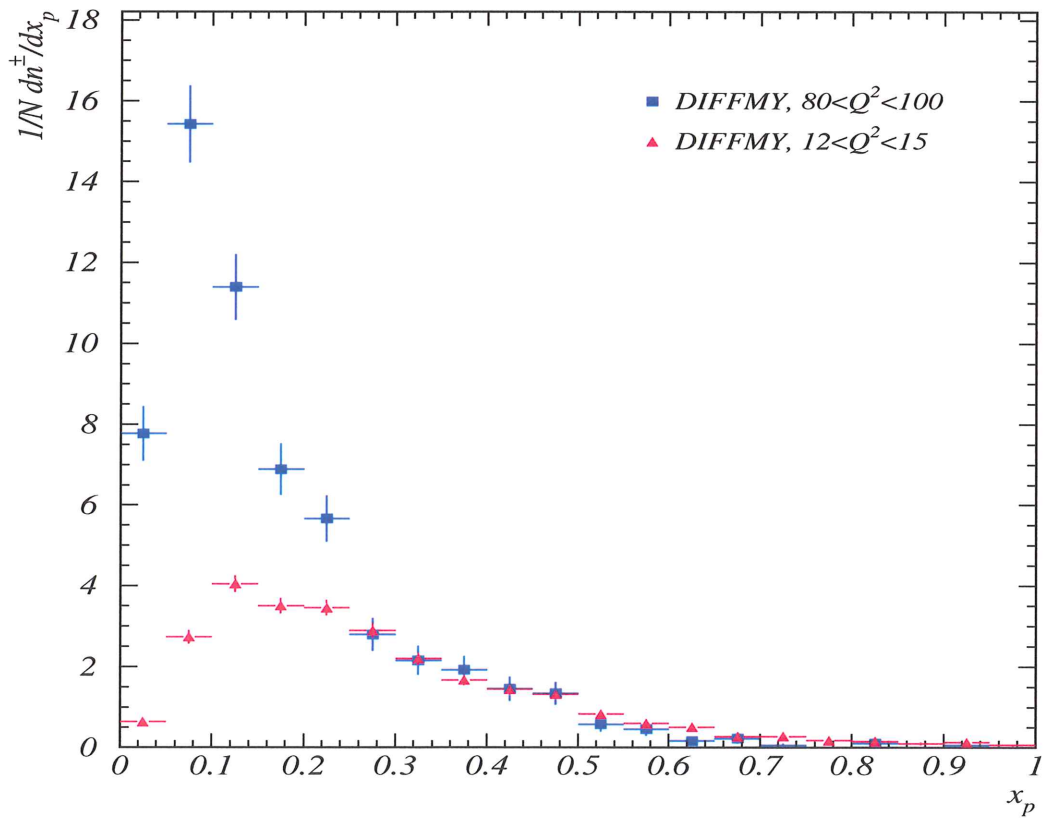
Fragmentation Function (1)

Inclusive Scaled Momentum distribution,

$$x_p = \frac{2p}{Q}$$

Event Normalised Charged track density

$$D(x_p) = \frac{1}{N_{events}} \left(\frac{dn^{\pm}}{dx_p} \right)$$

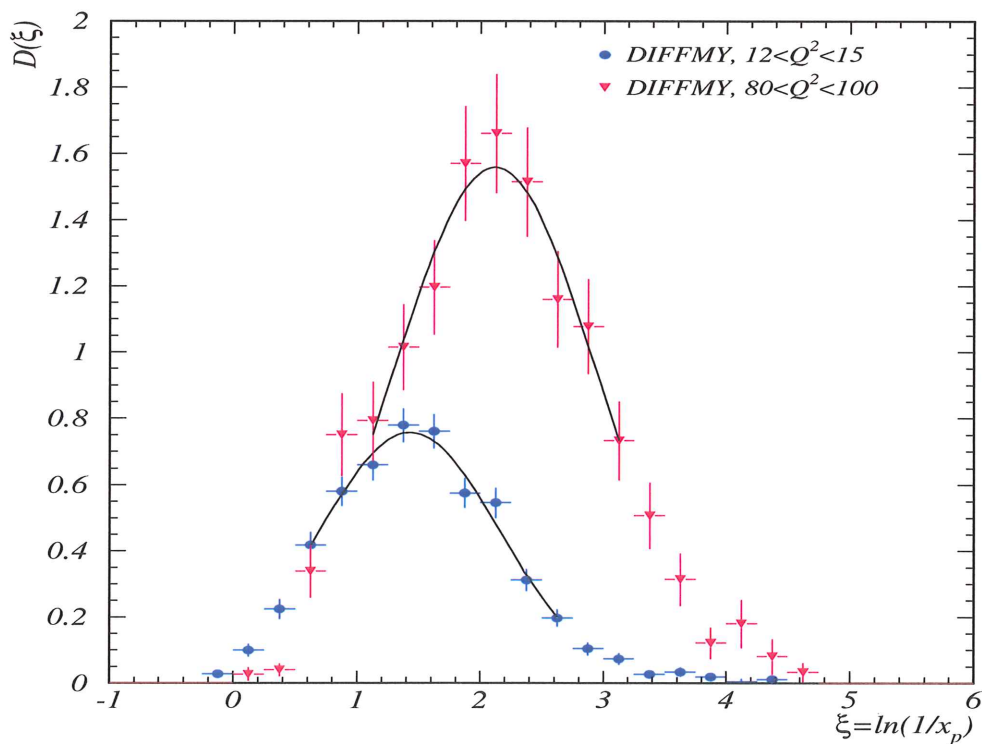


Fragmentation Function (2)

To examine turnover region recast in terms of ξ

$$\xi = \ln \left(\frac{1}{x_p} \right)$$

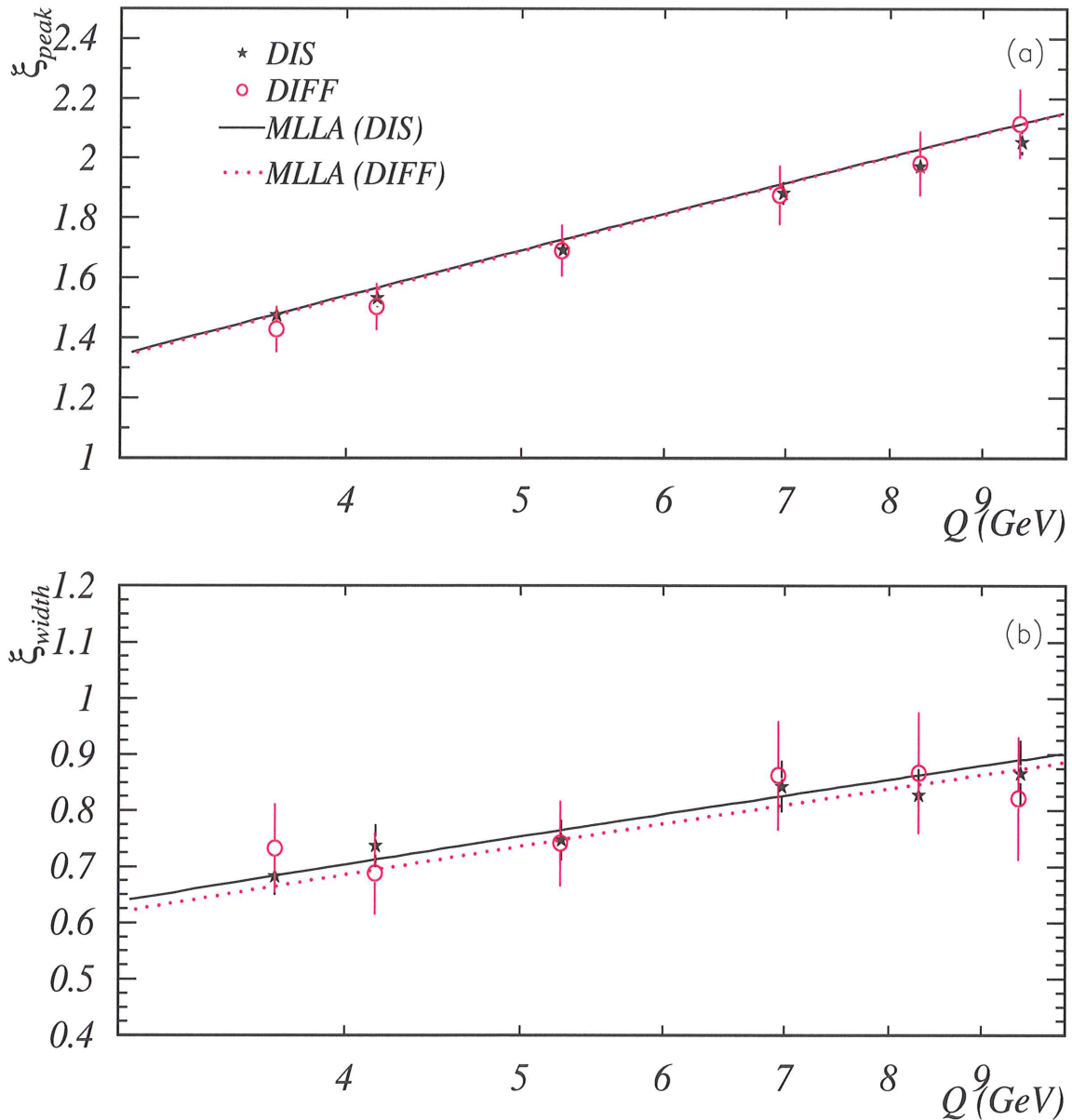
$$D^\pm(\xi) = \frac{1}{N} \left(\frac{dn^\pm}{d\xi} \right)$$



- MLLA predicts that in the region of the peak the shape is approximately Gaussian. Predicts evolution with Q .

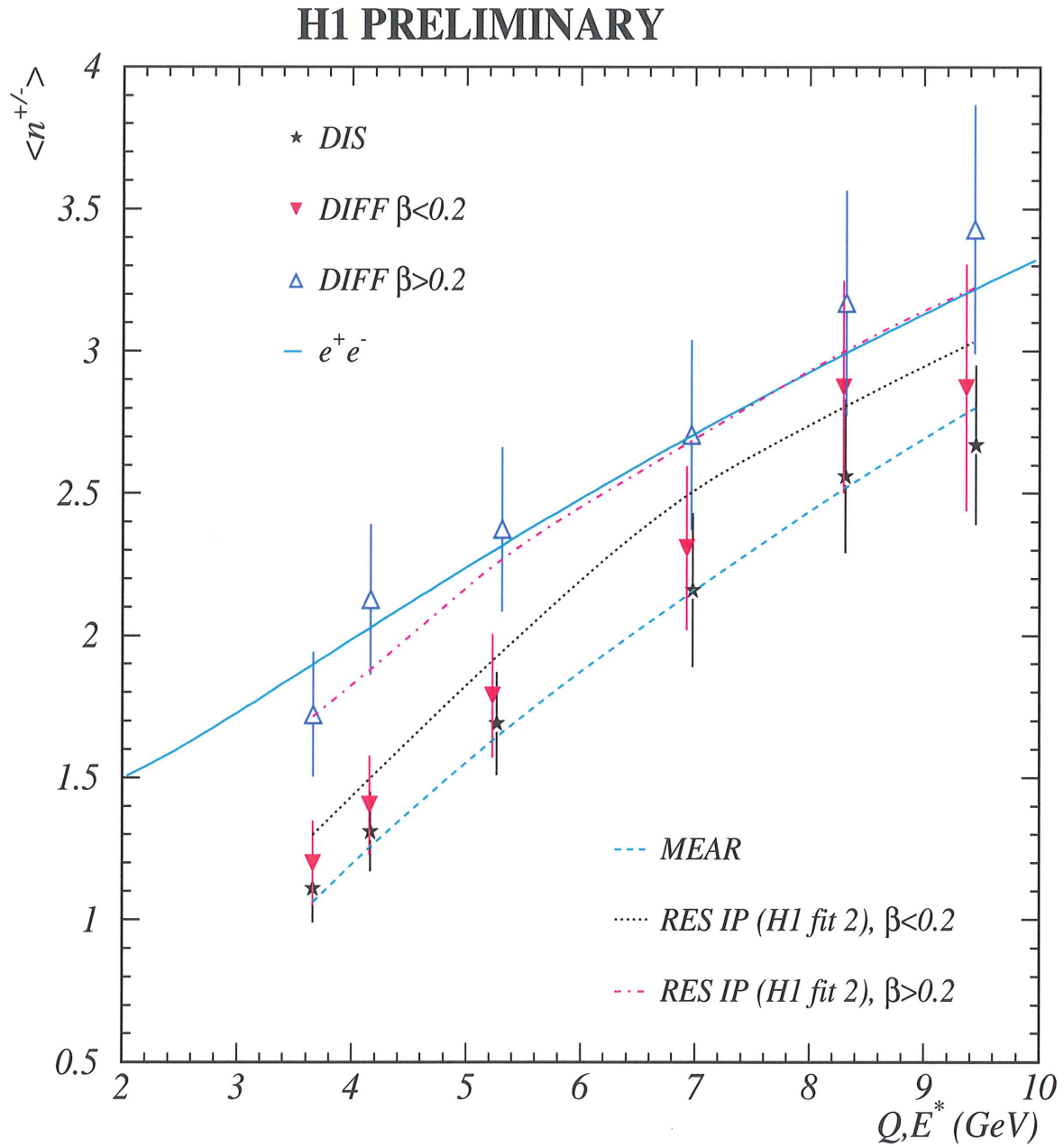
Fragmentation Function (3)

H1 PRELIMINARY



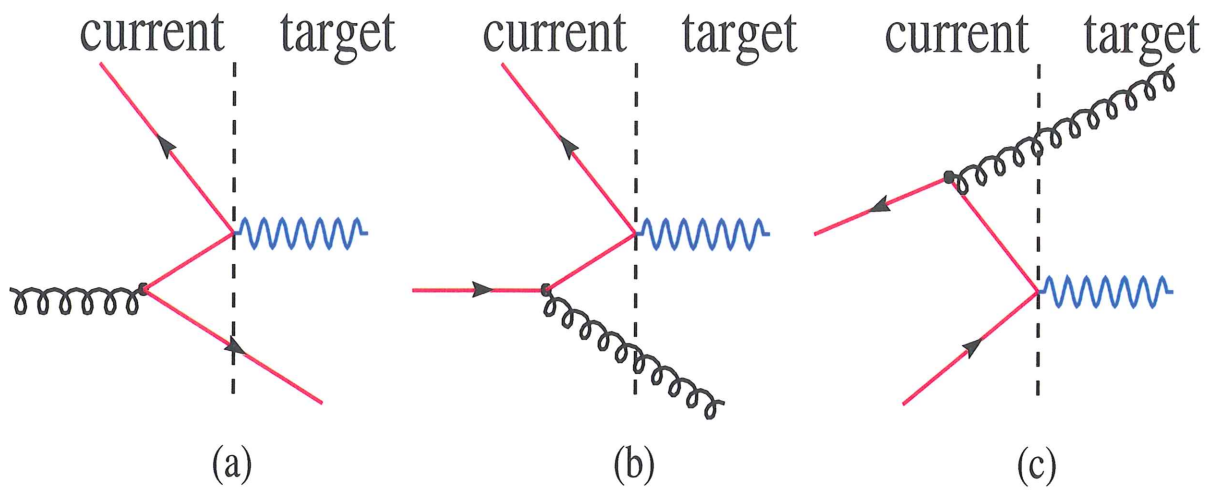
- Very Good agreement between DIS and DIFF.
- Very similar MLLA fits.
- Results lend further support for concept of quark fragmentation universality. ($e^+e^- \rightarrow q\bar{q}$, $ep \rightarrow e'X$, $ep \rightarrow e'XY$)

Average Charged Multiplicity (1)



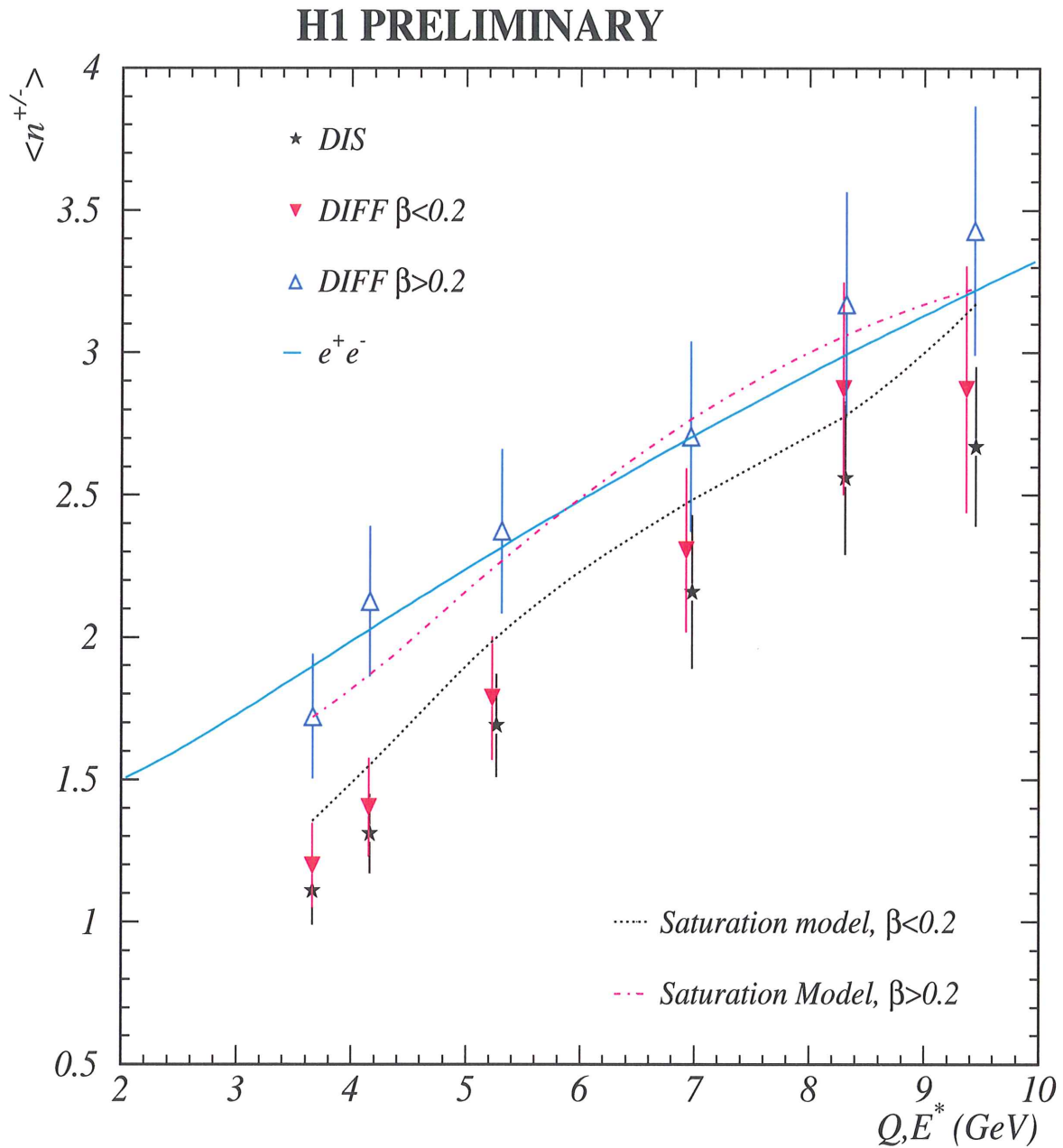
- Difference between $e^+e^- \rightarrow q\bar{q}$ and DIS due to LO QCD effects.
- High β DIFF similar to $e^+e^- \rightarrow q\bar{q}$.
- Low β DIFF similar to DIS.
- Models describe data.

QCD LO Processes



- Lower Multiplicity in current region due to LO QCD.
- Similar effect seen in Diffraction?
- Difference also seen in most Diffractive models.

Average Charged Multiplicity (2)



- Saturation overestimates multiplicity in current region at low β .
- Otherwise description of data reasonable.

Conclusions

- Best description of data obtained from Resolved pomeron model (H1 fit 2 or 3) for diffraction and MEAR for DIS.
- Other models able to at least qualitatively describe the various distributions.
- Differences between high and low β can be interpreted the as result of gluon emission at low β (large M_x) leading to a depleted or empty current region and hence multiplicity is similar to DIS.
- At high β (small M_x) the limited phase space restricts gluon emission and hence multiplicity is similar to $e^+e^- \rightarrow q\bar{q}$.
- Phase space effect, not restricted to any one particular model.
- Further support for concept of quark fragmentation universality