

# Selection of ZEUS results



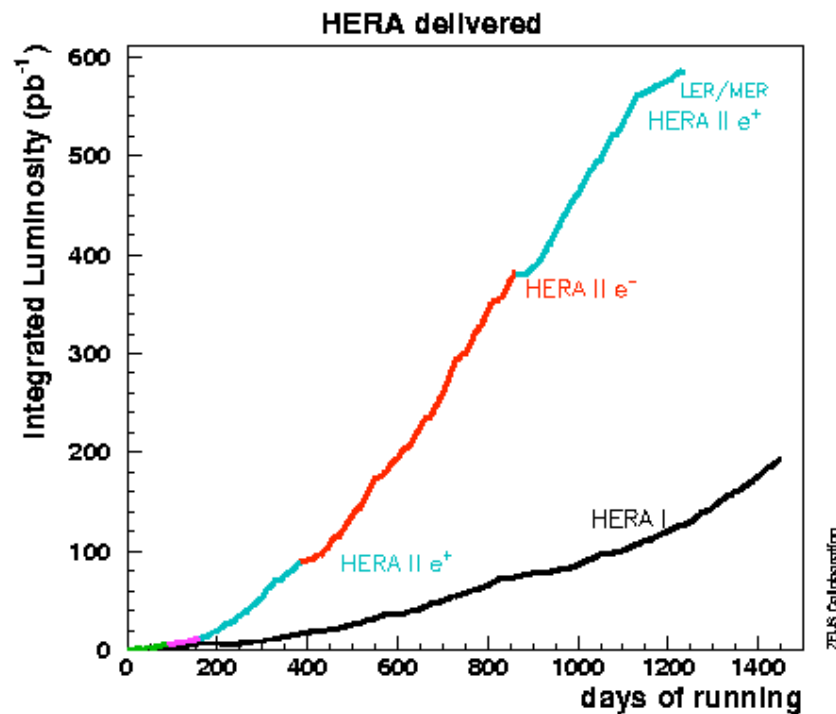
Halina Abramowicz

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für Physik  
(Werner-Heisenberg-Institut)



- hadronic final states
- heavy flavors
- energy dependence of  $\sigma_{\text{tot}}(\gamma^* p)$
- diffraction
- inclusive DIS measurement (H1/ZEUS  $F_2$  and PDFs)
- $F_L$  determination

# HERA Luminosity



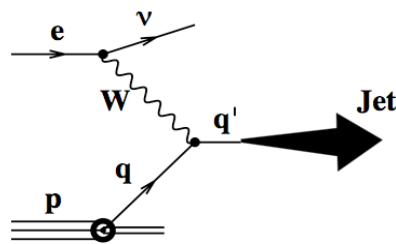
Available luminosity	HI	HII
	(pb <sup>-1</sup> )	
HER $E_p=920 \text{ GeV}$	$e^+p$ 125	190
	$e^-p$ 19	210
MER $E_p=575 \text{ GeV}$	$e^+p$ 8	
LER $E_p=460 \text{ GeV}$	$e^+p$ 14	

Polarised  $e^+, e^-$  ( $P \approx \pm 0.30$ )

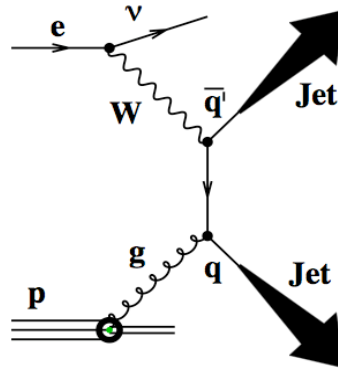
HERA stopped operation on June 30, 2007

# Hadronic final states - Jets

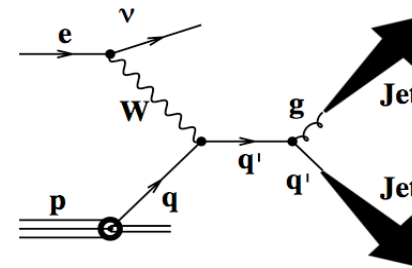
Usually source of information about  $\alpha_s$   
In CC also sensitivity to quark flavors



QPM



BGF - low x

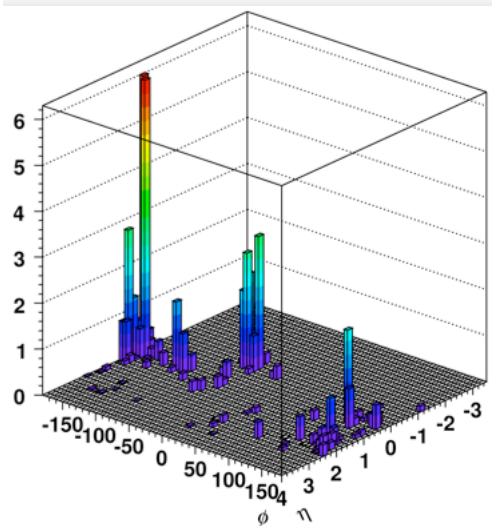


QCD - large x

**CC DIS cross section in QPM:**

$$\frac{d^2 \sigma_{CC}^{e^- p}}{dx dQ^2} = \frac{G_F^2}{2\pi} \frac{M_W^4}{(M_W^2 + Q^2)^2} \sum_{i=1}^2 [u_i(x, Q^2) + (1-y)^2 \bar{d}_i(x, Q^2)] \times (1 - P_{e^-})$$

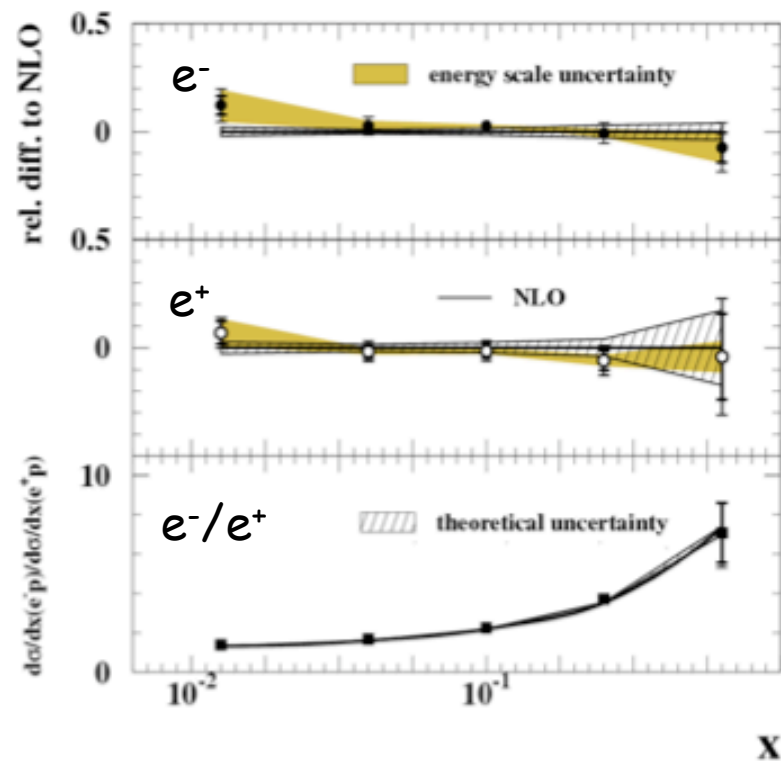
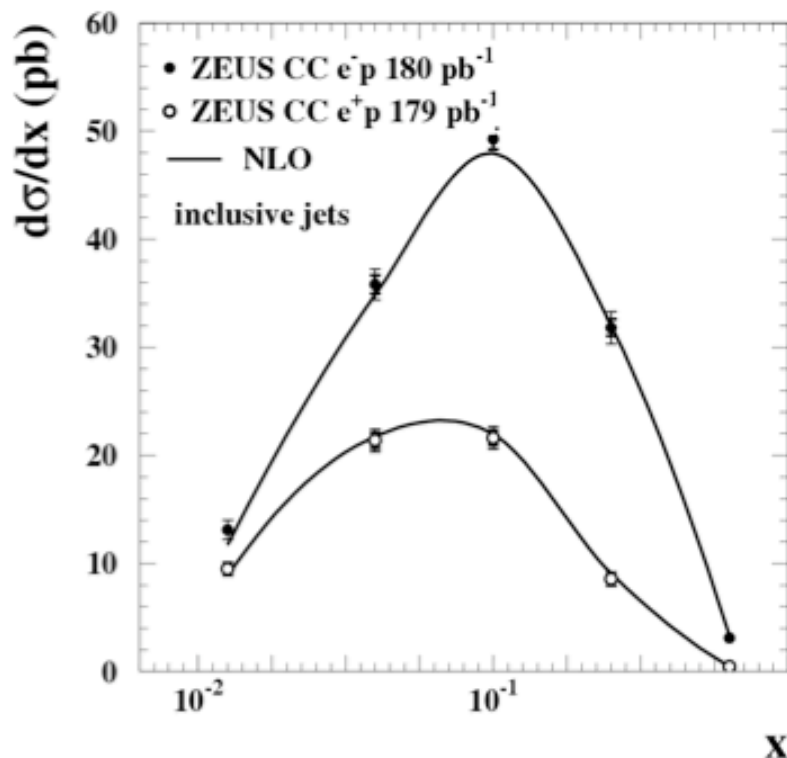
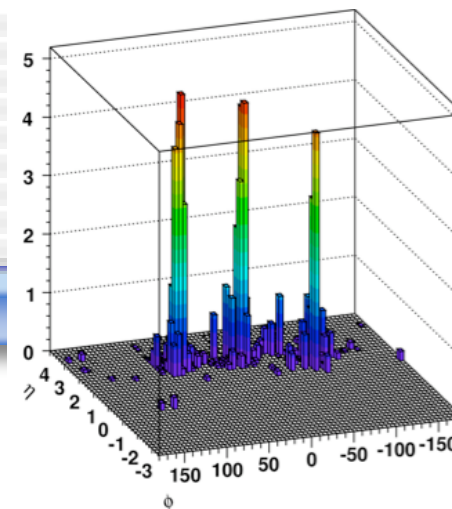
$$\frac{d^2 \sigma_{CC}^{e^+ p}}{dx dQ^2} = \frac{G_F^2}{2\pi} \frac{M_W^4}{(M_W^2 + Q^2)^2} \sum_{i=1}^2 [\bar{u}_i(x, Q^2) + (1-y)^2 d_i(x, Q^2)] \times (1 + P_{e^+})$$



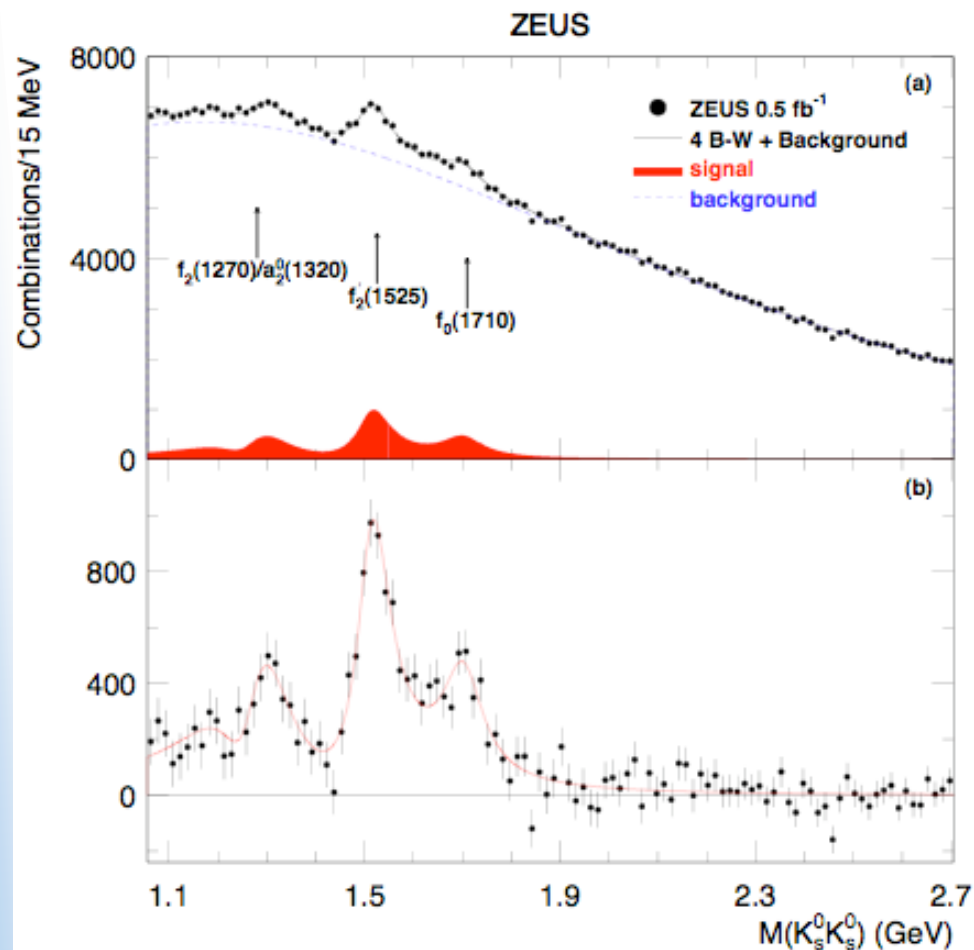
# Inclusive jets in CC $e^\pm p$

NLO - MEPJET with ZEUS-S PDFs

PDF uncertainties included



# Hadronic final states - $K_S^0 K_S^0$

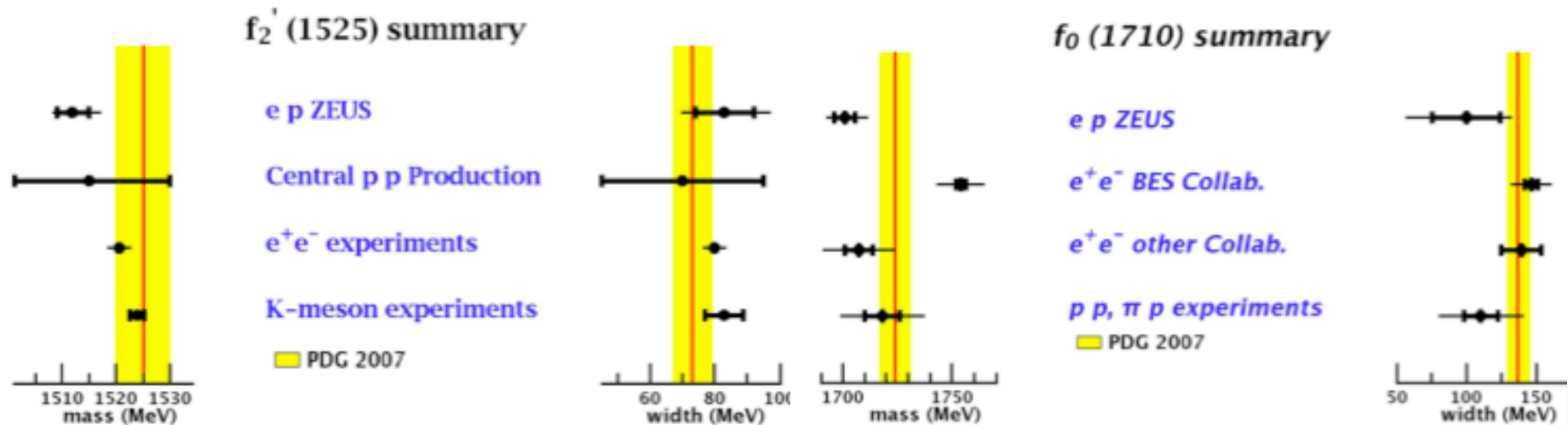


## Hunt for glueballs

All  $Q^2$  data mostly  $Q^2 < 1 \text{ GeV}^2$

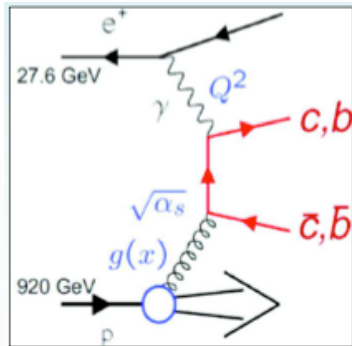
- Fit  $M$  and  $\Gamma$  of 4 resonances
- Include interference for  $2^+$  states (SU(3) symmetry)
- $\chi^2/\text{ndf} = 86/97$   
 $N_{f_0(1710)} = 4058 \pm 820$  ( $5\sigma$ )  
 candidate for glueball ( $0^+$ )
- fit without  $f_0$   $\chi^2/\text{ndf} = 162/97$

# Hadronic final states - $K_S^0 K_S^0$



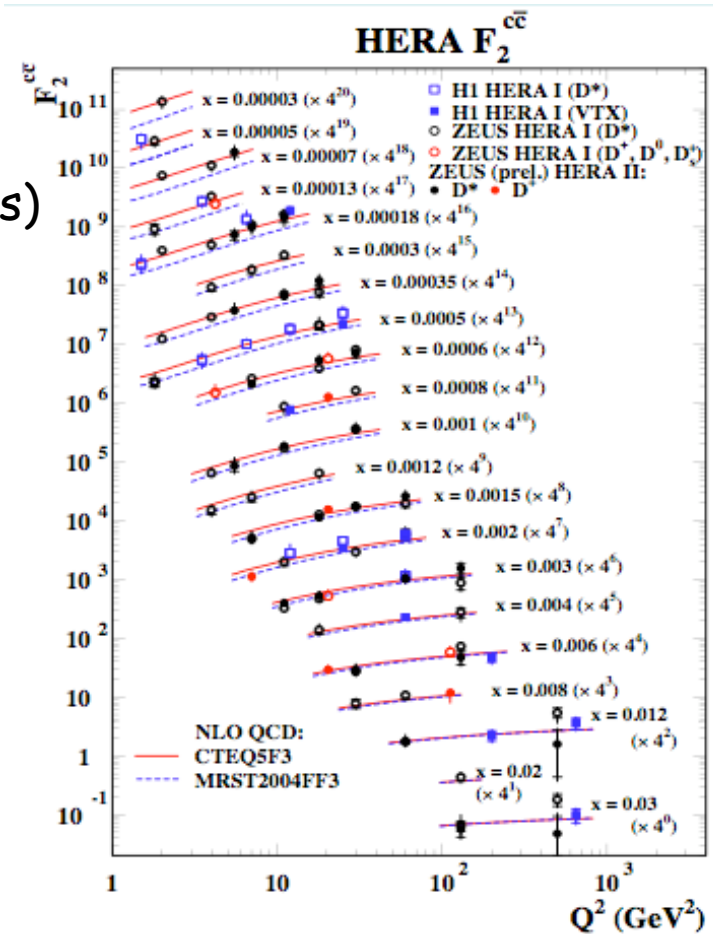
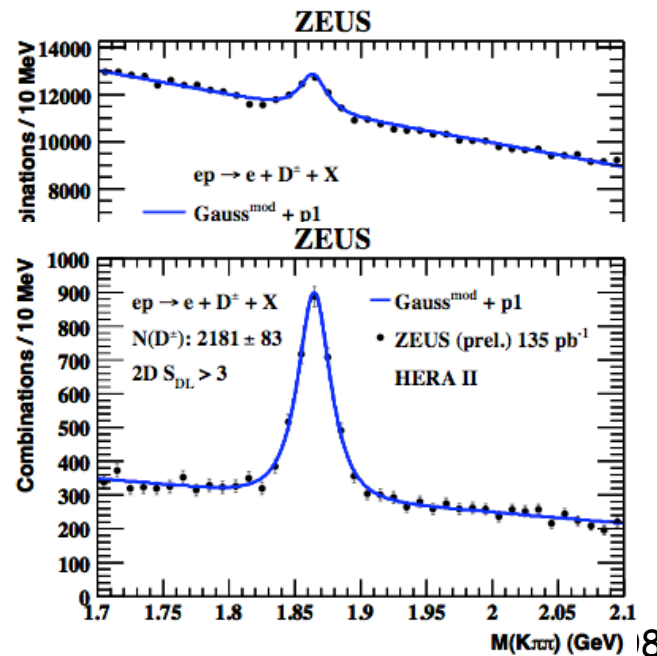
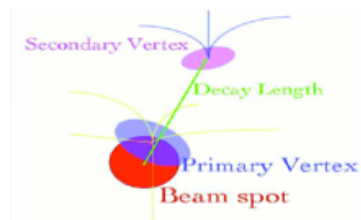
- $f_0$  also seen in TASSO/L3 - cannot be pure glue state
- masses lower than PDG (includes other measurements)
- widths agrees with PDG

# Heavy flavor production



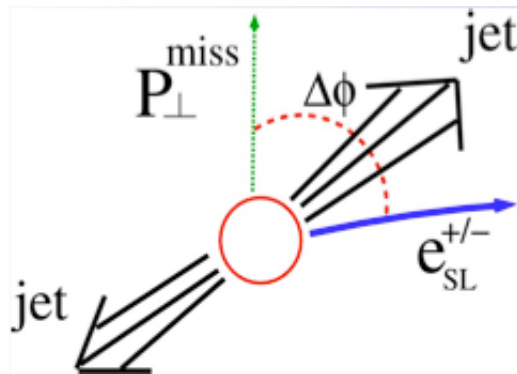
Charm, beauty production  
with sensitivity to

- gluons
- pQCD (various mass schemes)
- not included in PDFs

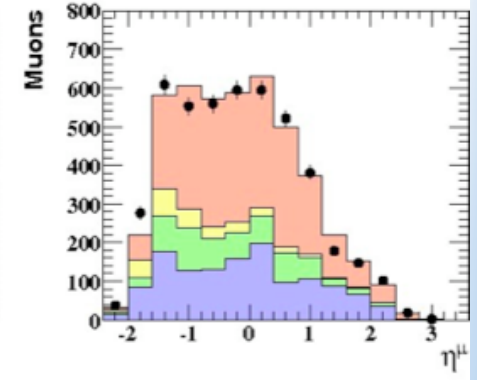
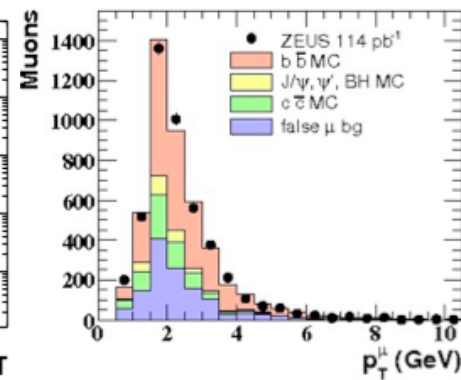
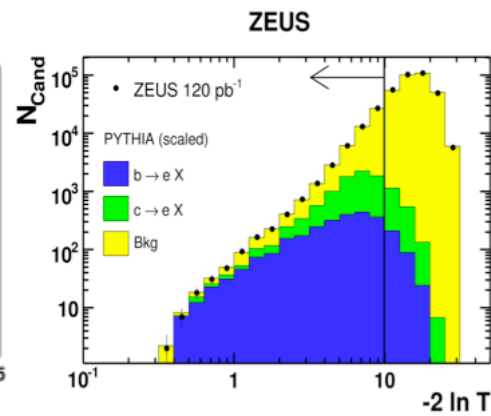
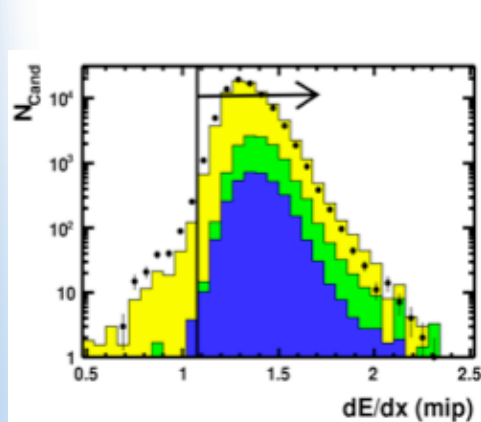
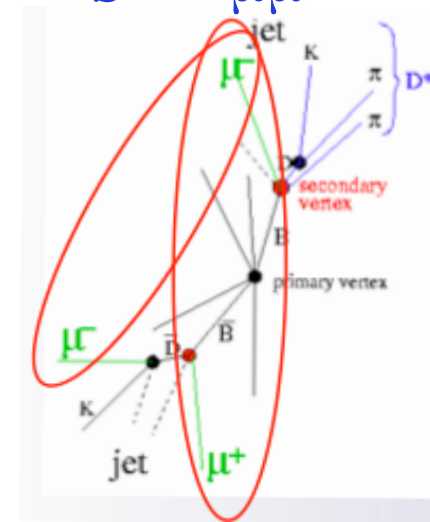


# Heavy flavors production

$b \rightarrow e + \text{jet}$



$b \rightarrow \mu\mu$





# Beauty production

NLO QCD by FMNR

$$\mu = \mu_0 = \sqrt{(p_T^b)^2 + (m_b)^2}/2$$

$$0.5\mu_0 < \mu < 2\mu_0$$

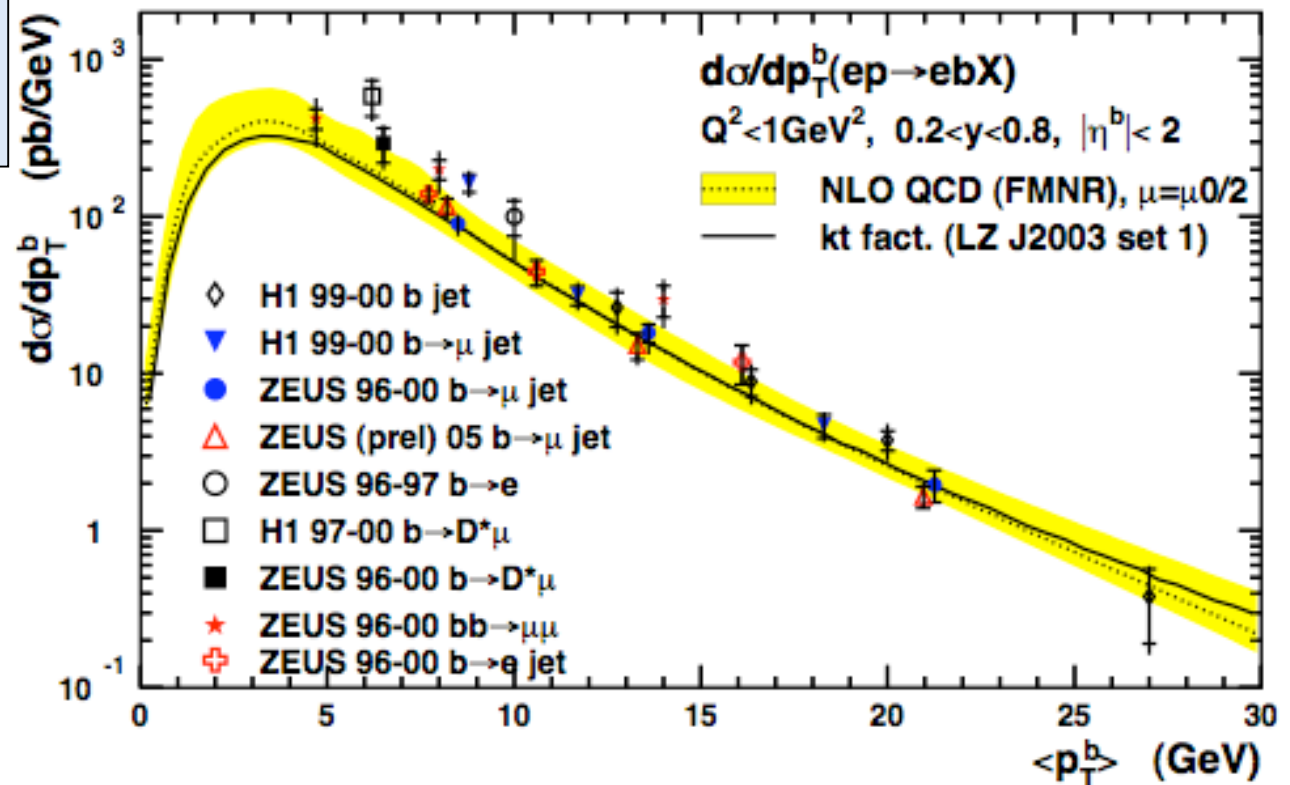
$$m_b = 4.75 \text{ GeV}$$

$$4.5 \text{ GeV} < m_b < 5 \text{ GeV}$$

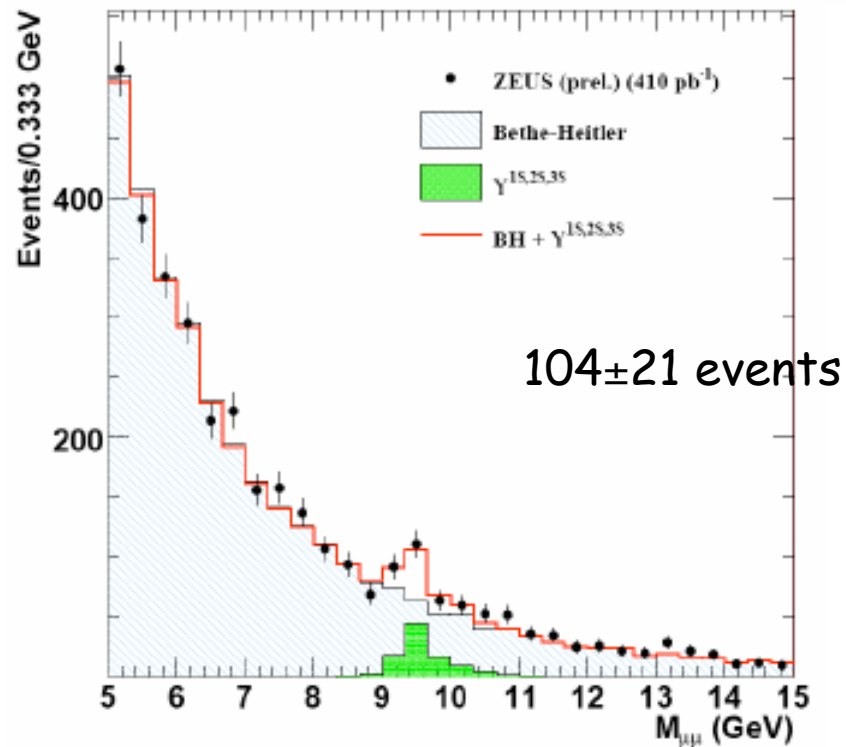
CTEQ5M, GRV – GHO

Latest summary

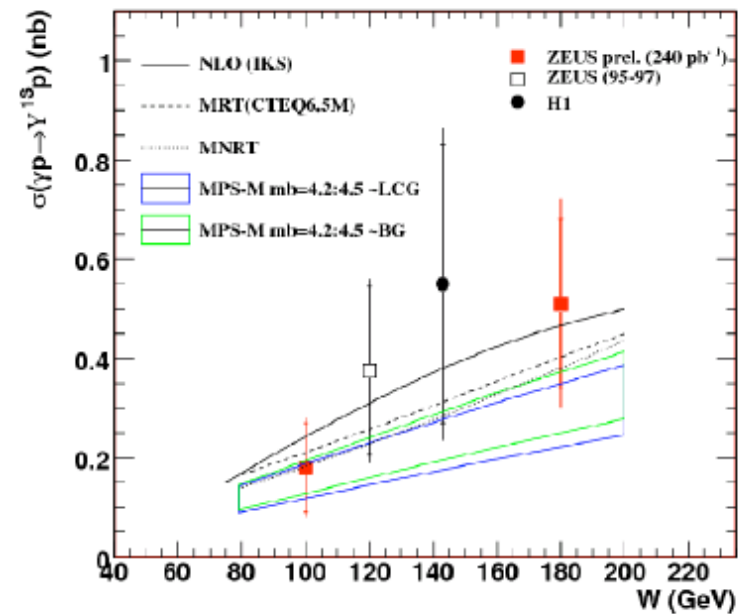
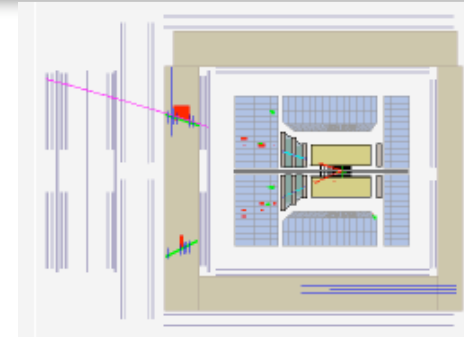
HERA



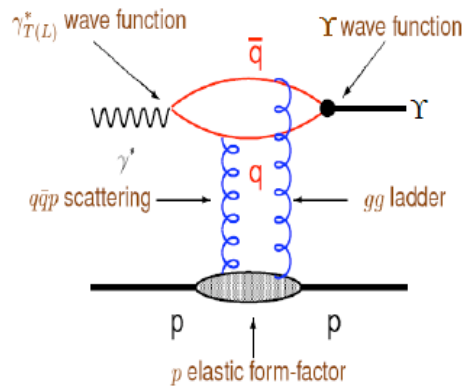
# Exclusive beauty production



1998-2007 ZEUS data with  $E_p=920\text{GeV}$   
 integrated luminosity 410pb<sup>-1</sup>  
 5 $\sigma$  signal from  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$



# Exclusive processes

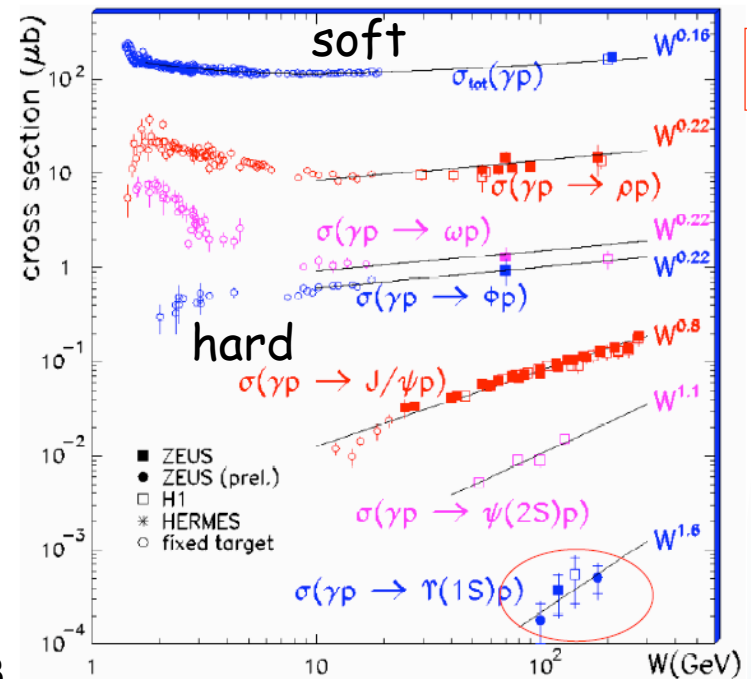
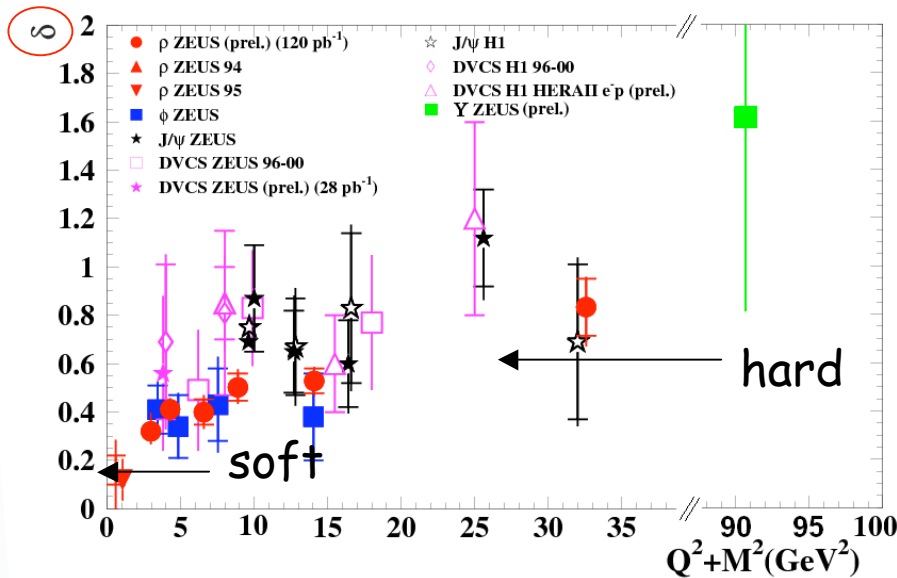


$$\sigma(W) \Rightarrow \delta (\propto W^\delta)$$

$$\sigma(Q^2) \Rightarrow n (\propto (Q^2 + M^2)^{-n})$$

$$\frac{d\sigma}{dt} \Rightarrow b(Q^2) (\propto e^{-b|t|}), \alpha_{IP}(t) (\propto W^{4(\alpha_{IP}-1)}), n (\propto |t|^{-n} \text{ at large } |t|)$$

$$r_{ij}^k \Rightarrow R(W), R(Q^2)$$

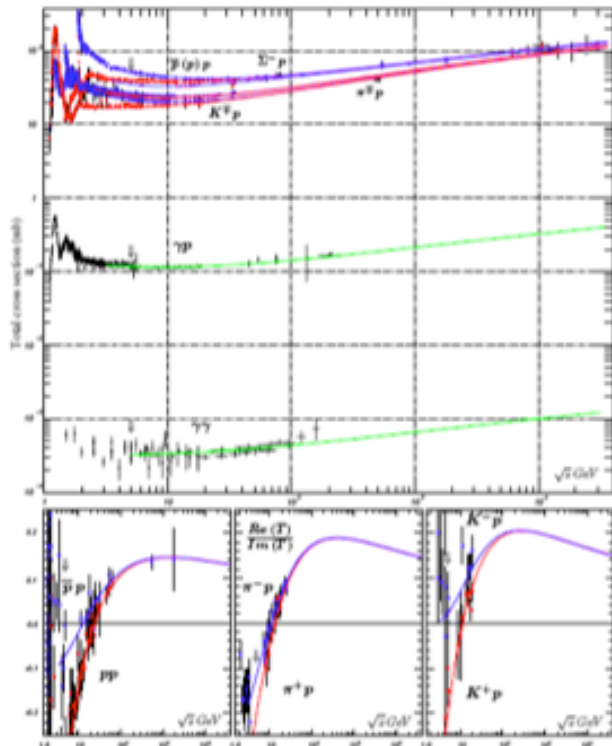


# W dependence of $\sigma_{\text{tot}}(\gamma p)$

What does it mean soft?

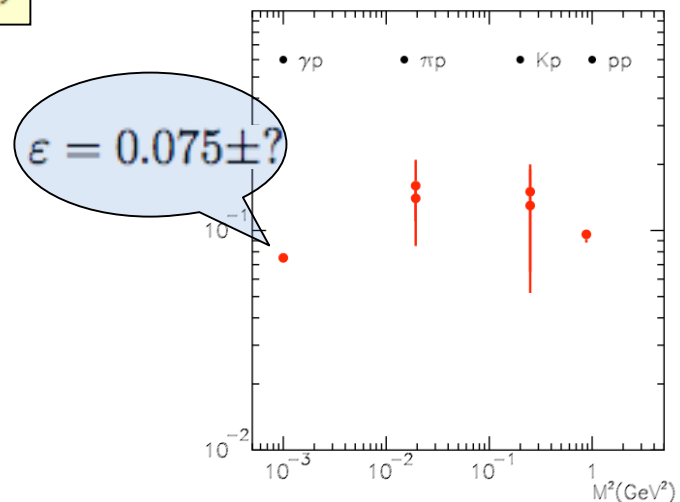
Donnachie Landshoff

$$\begin{aligned}\sigma_{\text{tot}}(h-h) &= A s^{\alpha_{IP}(0)-1} + B s^{\alpha_{IR}(0)-1} \\ &= A s^{0.0808} + B s^{-0.4525}\end{aligned}$$

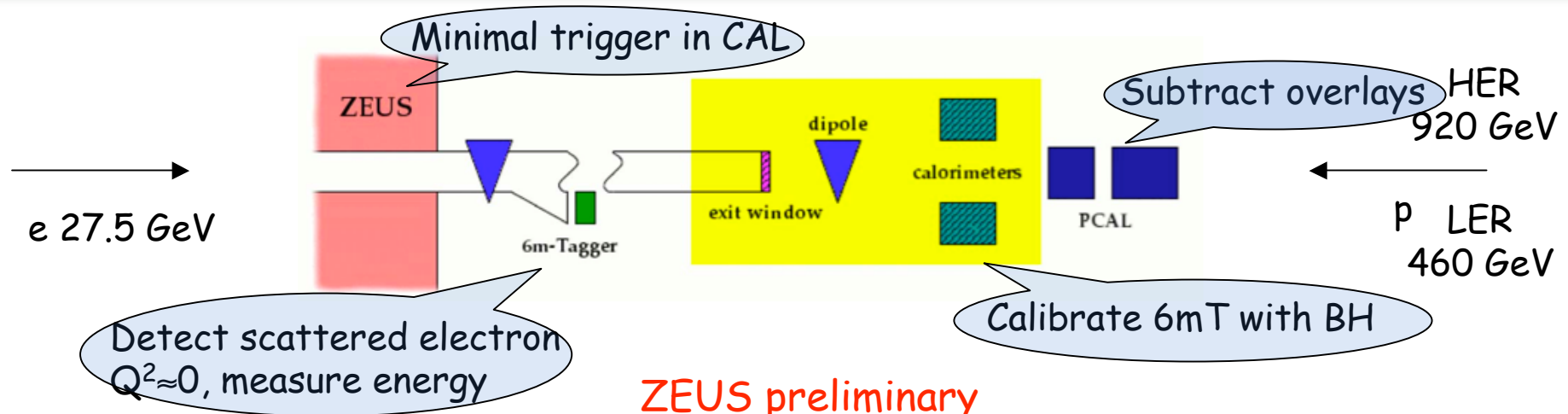


Cudell et al. (after rejecting some data)

$$\varepsilon = 0.096^{+0.012}_{-0.009}$$



# W dependence of $\sigma_{\text{tot}}(\gamma p)$



ZEUS preliminary

$$R = \frac{\sigma_{\text{HER}}^{\gamma p}}{\sigma_{\text{LER}}^{\gamma p}} = \frac{N_{\text{evt}}^{\text{HER}}}{N_{\text{evt}}^{\text{LER}}} \cdot \frac{\mathcal{L}_{\text{LER}}}{\mathcal{L}_{\text{HER}}} \cdot \frac{f_{\text{LER}}}{f_{\text{HER}}}$$

Uncertainties:

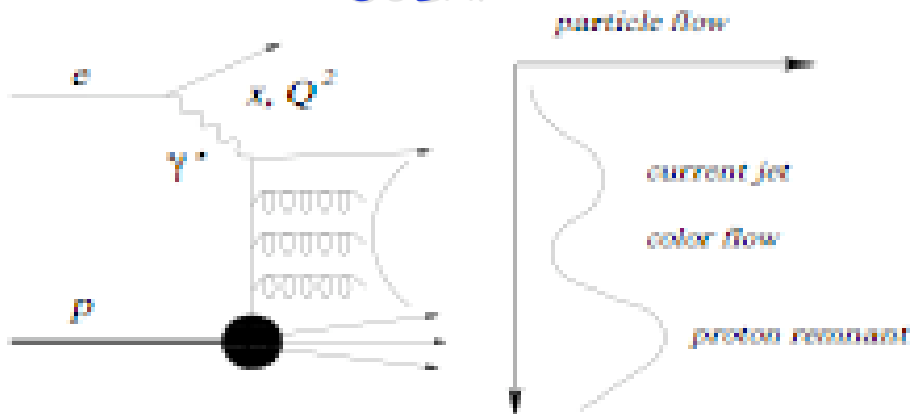
from:  $\pm 0.52\%$  (stat.)  $\pm 1.05\%$  (sys.)  $\pm 1\%$   $\pm 3.5\%$   
 signal measurement LUMI tag6 (much room to improve!)

$$\epsilon = 0.070 \pm 0.007(\text{stat.}) \pm 0.021(\text{syst.}) \pm 0.050(6\text{mT})$$

# Inclusive diffraction

- Large fraction of DIS events have LRG (visible 10%)

DGLAP

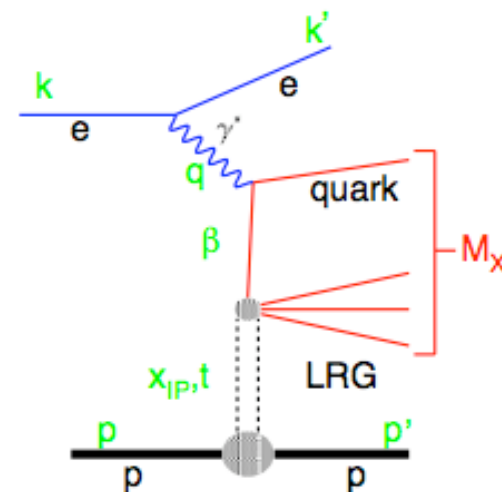


$$Q^2 = -q^2 = -(k - k')^2$$

$$x = \frac{Q^2}{2P \cdot q}$$

$$y = \frac{q \cdot P}{k \cdot P}$$

$$W^2 = (q + P)^2$$



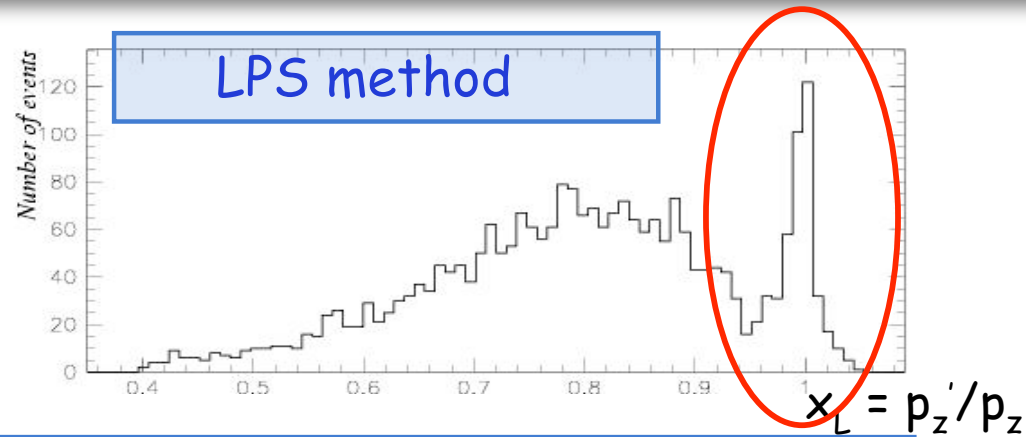
$$t = (p - p')^2$$

$$x_P = \frac{q \cdot (p - p')}{q \cdot p} \simeq \frac{Q^2 + M_X^2}{Q^2 + W^2}$$

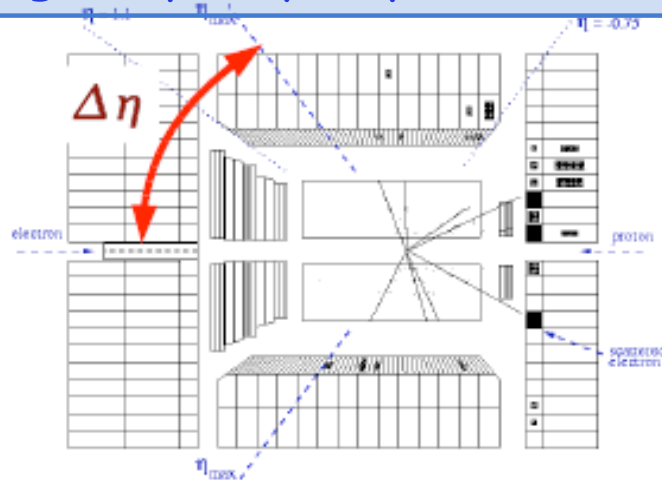
$$\beta = \frac{Q^2}{2q \cdot (p - p')} \simeq \frac{Q^2}{Q^2 + M_X^2}$$

LRG cannot be generated by DGLAP.  
Maybe it is there in the initial condition?

# Inclusive diffraction - selection



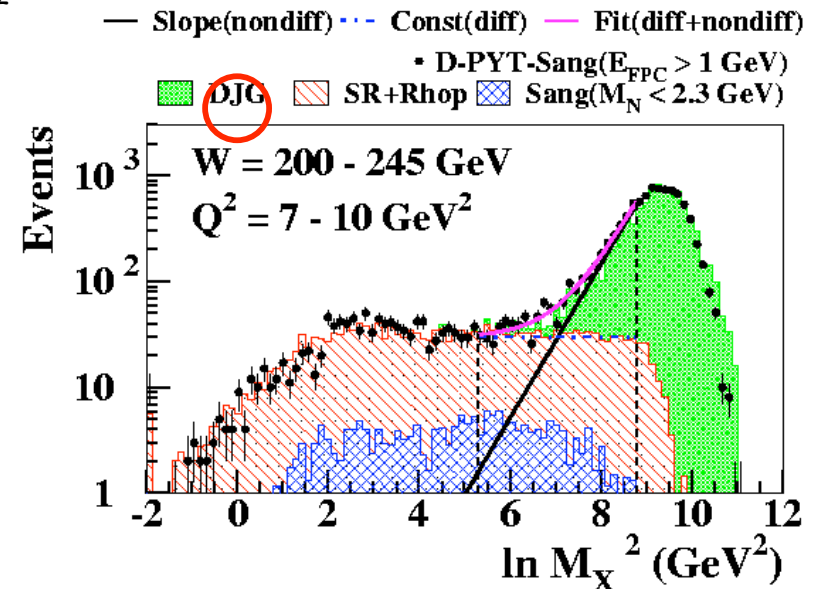
## Large Rapidity Gap (LRG) method



## Selection methods

Difference in proton dissociation and statistics

## $M_x$ method

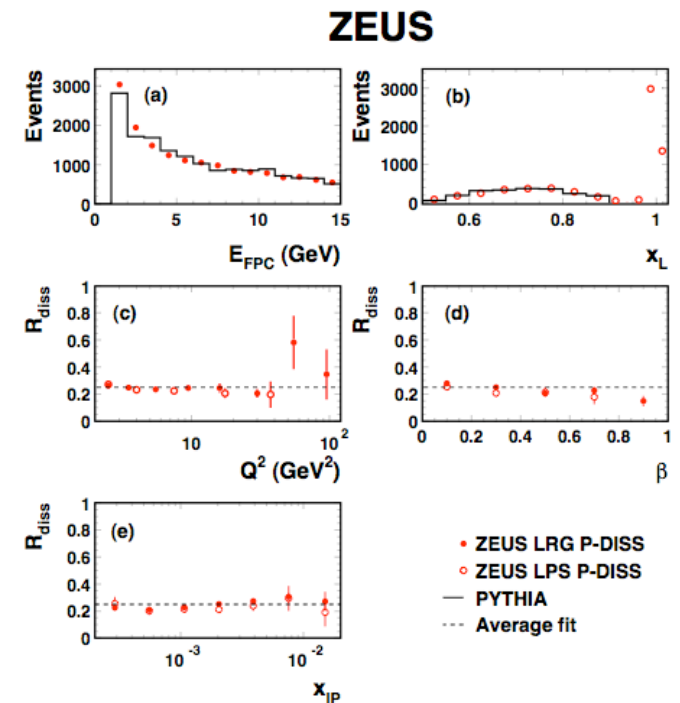
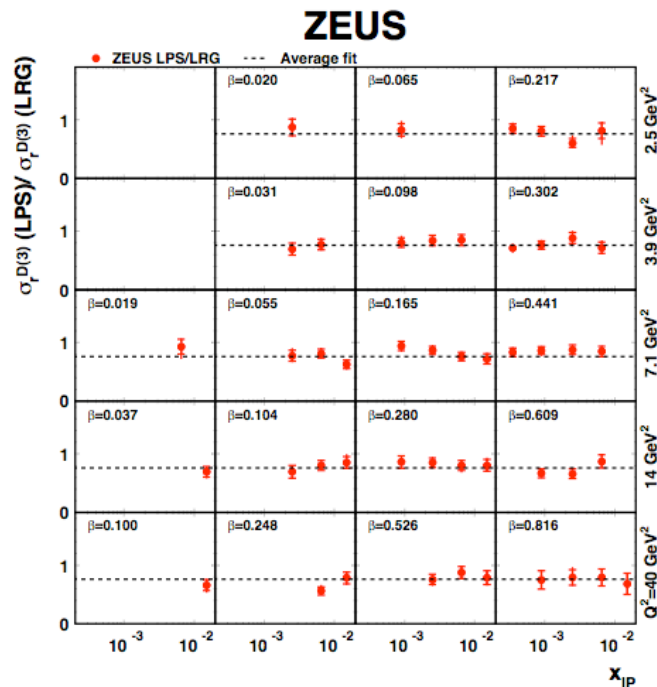


# Inclusive diffraction - normalisation

LPS/LRG =  $0.76 \pm 0.01(\text{stat})$   
 $+0.03-0.02(\text{sys}) +0.08-0.05(\text{norm})$   
 $\rightarrow$  p-diss. background in LRG data:  
 $[24 \pm 1(\text{stat}) +2-3(\text{sys}) +5-8(\text{norm})]\%$

Pythia tuned to FPC and LPS ( $x_L < 0.90$ )

$\rightarrow$  p-diss background in LRG data:  
 $[25 \pm 1(\text{stat}) \pm 3(\text{sys})]\%$

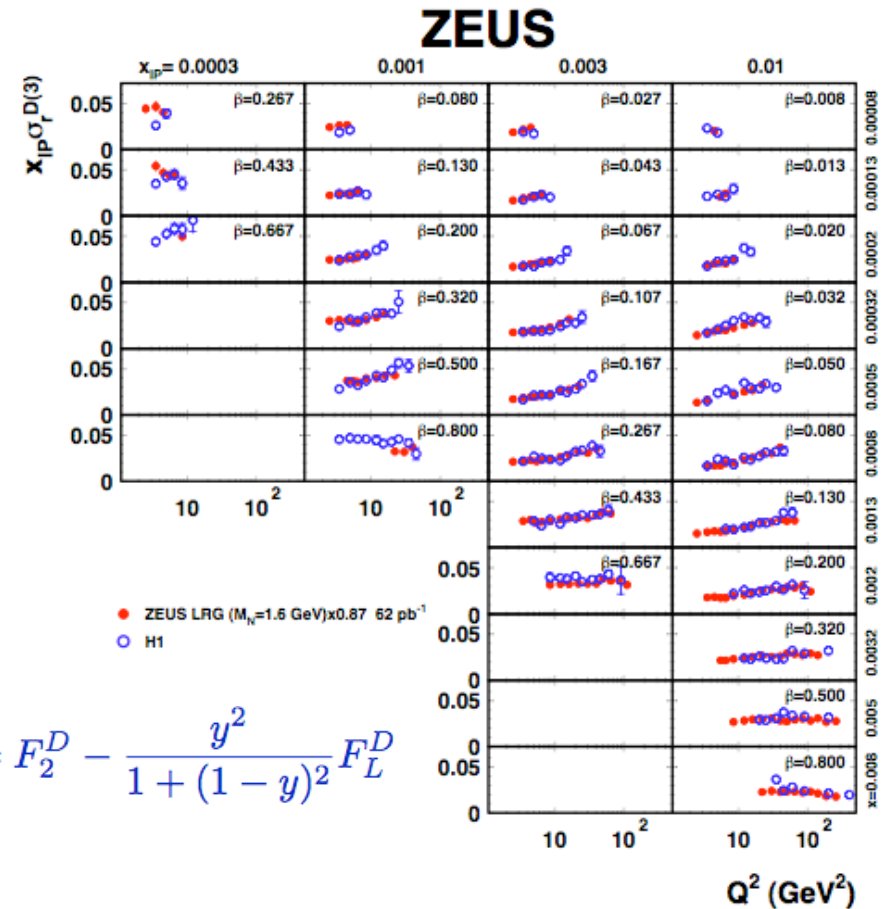
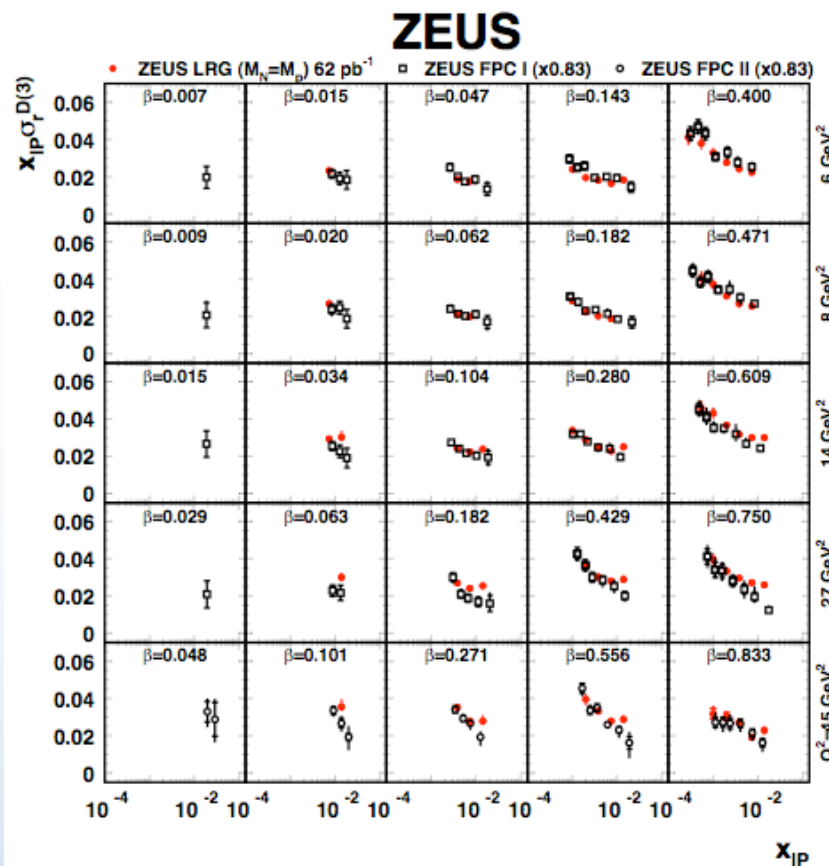




# Inclusive diffraction - comparison

$$\text{LRG}(M_N=M_p)=M_X(M_N<2.3 \text{ GeV}) \cdot 0.83$$

$$\text{H1}=\text{LRG}(M_Y<1.6 \text{ GeV}) \cdot 0.87$$



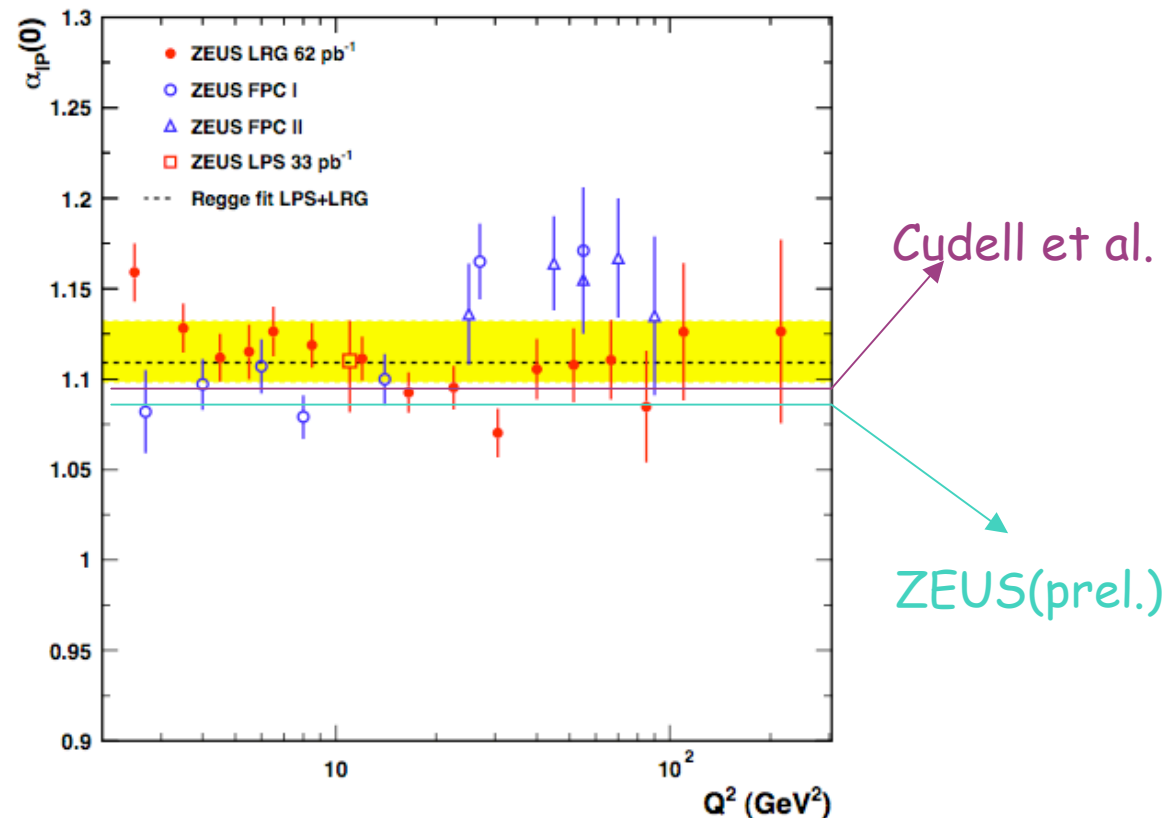
$$\tilde{\sigma} = F_2^D - \frac{y^2}{1 + (1 - y)^2} F_L^D$$

# Inclusive diffraction in DIS soft vs hard

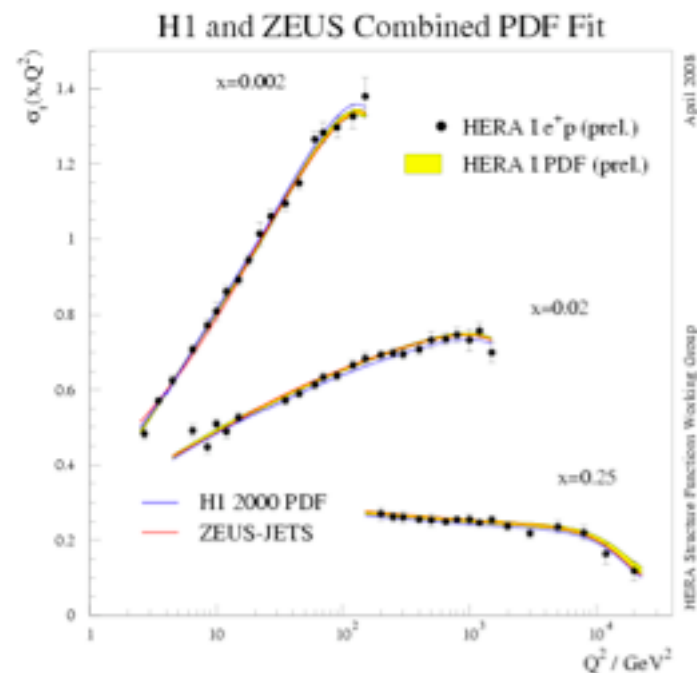
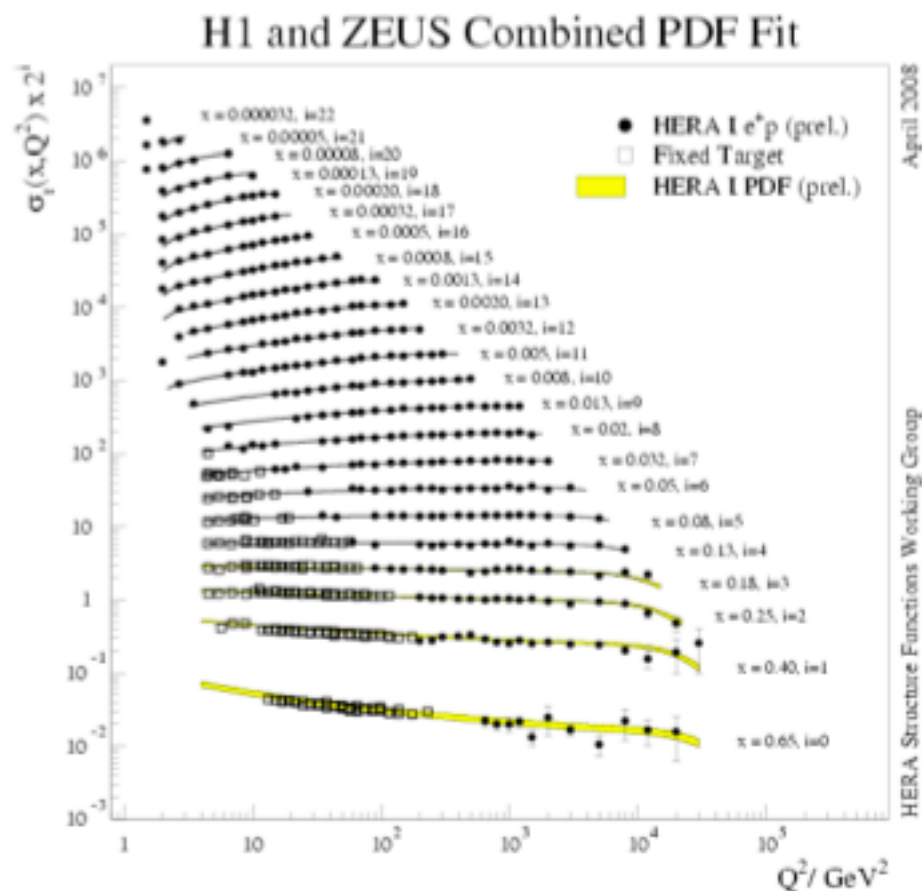
Inclusive diffraction in DIS comes out to be a soft phenomenon, even at large  $Q^2$

**ZEUS**

- LPS/LRG Regge fit
- W-dep. of  $\sigma^D$

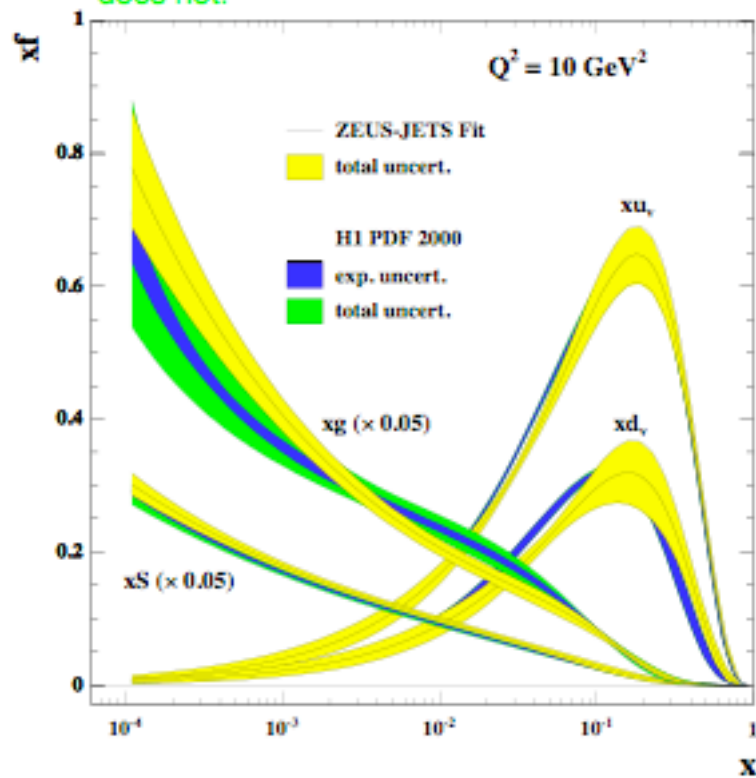


# $F_2$ and PDFs - HERA I H1/ZEUS combined

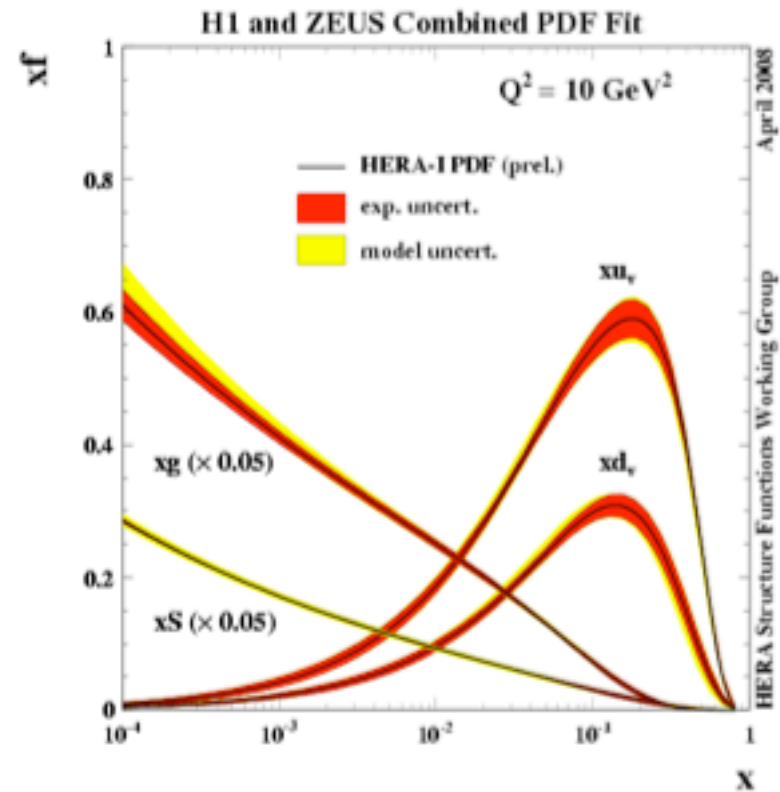


# $F_2$ and PDFs - HERA I H1/ZEUS combined

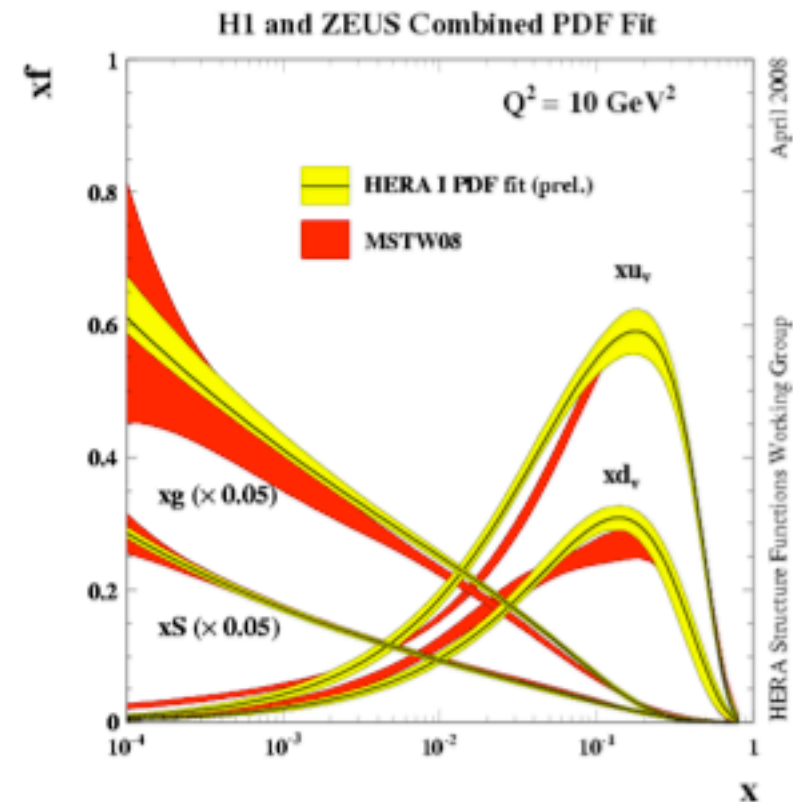
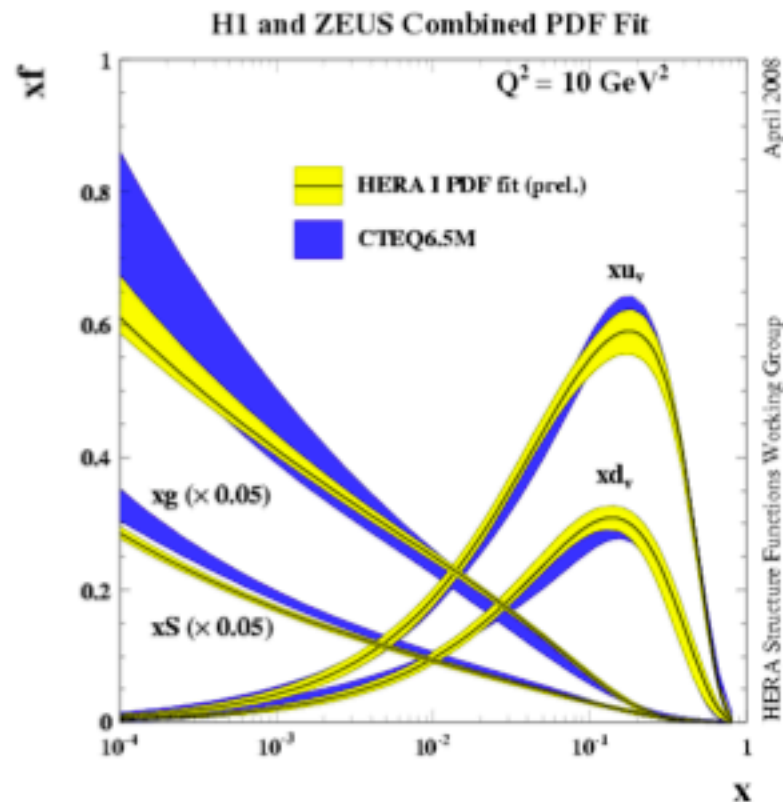
Note in published PDFs H1 has alpha<sub>s</sub> variation included in model error, ZEUS does not.



Systematic uncertainty greatly reduced when data combined

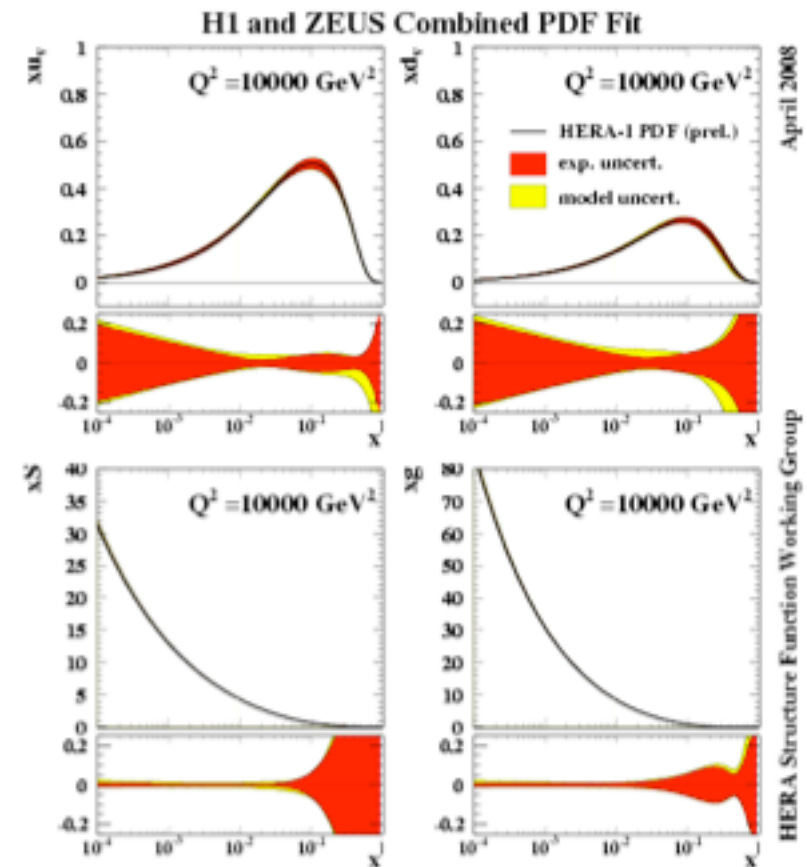
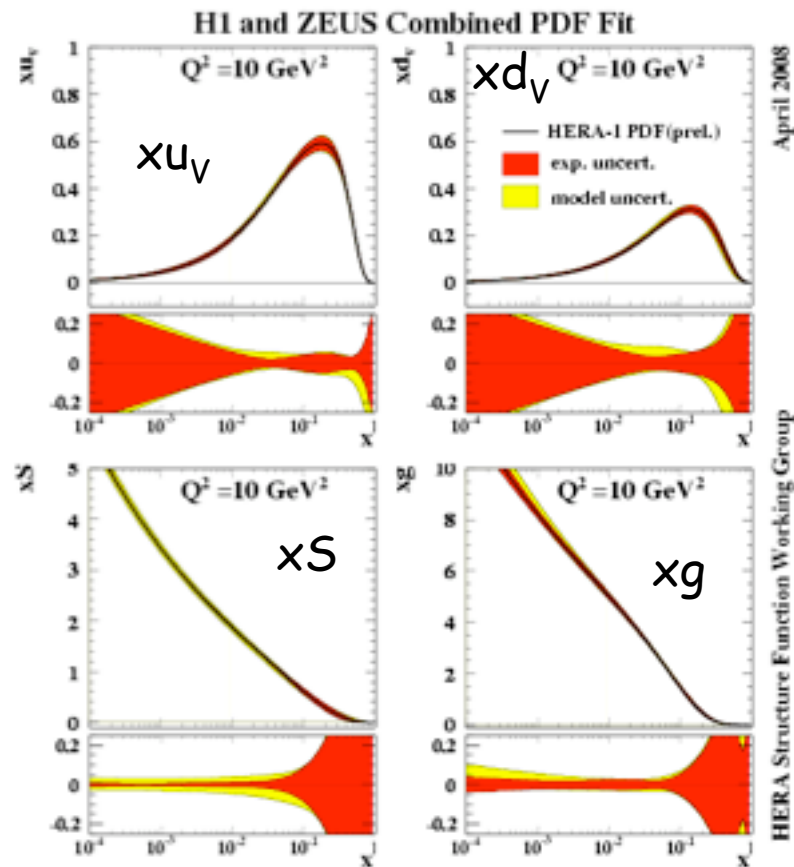


# $F_2$ and PDFs - HERA I H1/ZEUS combined



Note MSTW08 is as yet unpublished - a prerelease

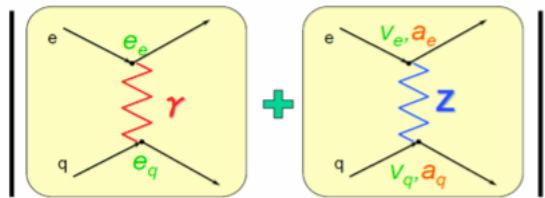
# $F_2$ and PDFs - HERA I H1/ZEUS combined



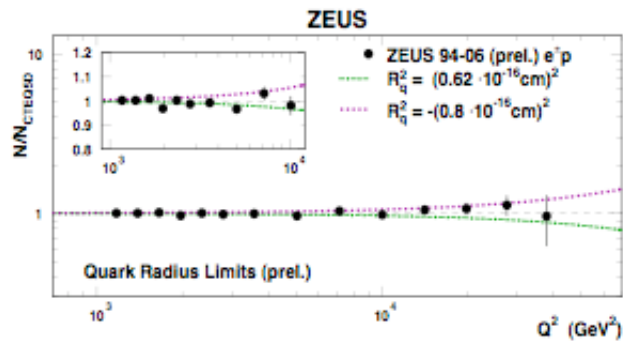
# High $Q^2$ - a taste of future

Electroweak couplings of light quarks (using  $e^-_{L,R}$ )

## Light quark couplings to Z

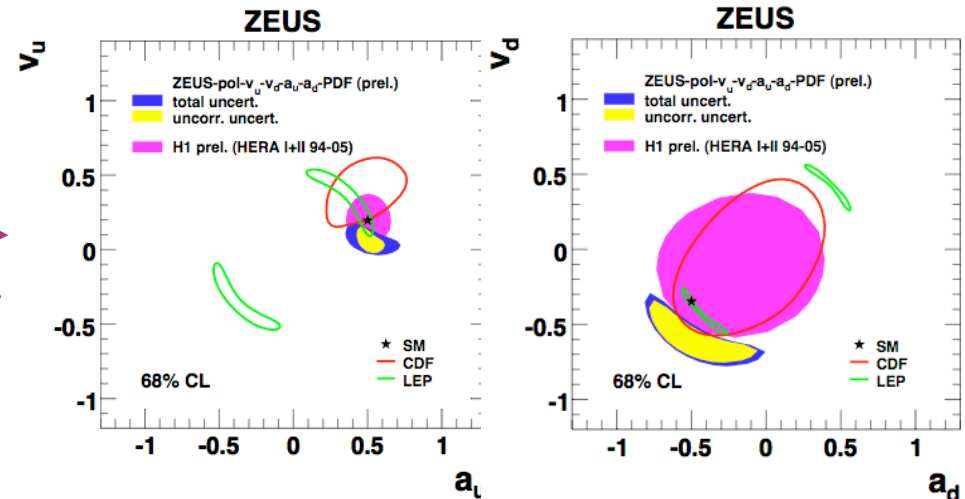


ZEUS 1994-2006:  $e^-$



$R_q < 0.62 \cdot 10^{-16} \text{ cm}$

Global QCD fit

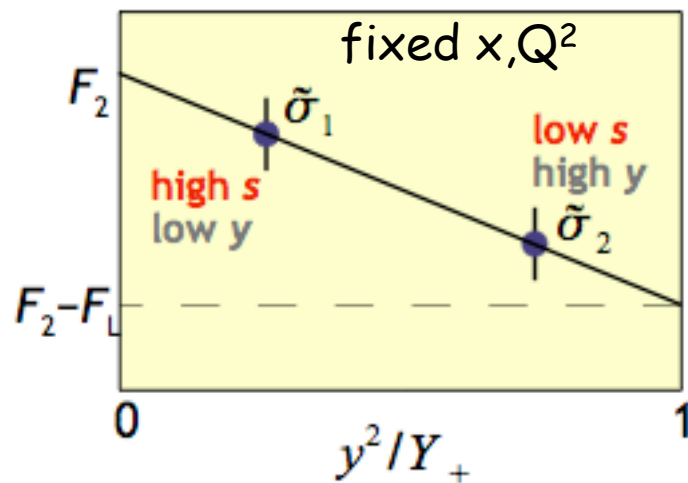


ZEUS limit on quark  $R_q < 0.62 \cdot 10^{-16} \text{ cm}$

LEP limit on electron  $R_e < 0.28 \cdot 10^{-16} \text{ cm}$



# $F_L$ - measurement principle



$$Y_+ = 1 + (1 - y^2)$$

$$\tilde{\sigma}(x, Q^2) = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$$

$$F_L(x, Q^2) = \frac{\tilde{\sigma}_1(x, Q^2, y_1) - \tilde{\sigma}_2(x, Q^2, y_2)}{y_2^2 / Y_{2+} - y_1^2 / Y_{1+}}$$

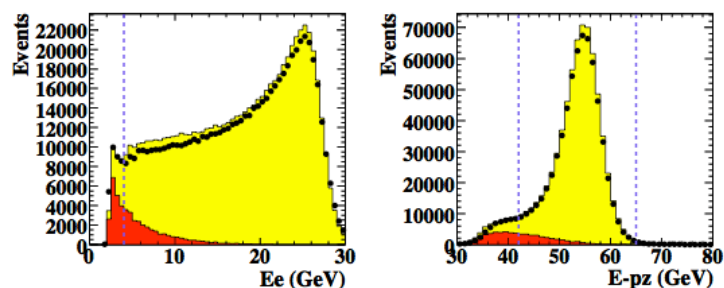
High  $s$  -  $E_p = 920$  GeV  
 Low  $s$  -  $E_p = 460$  GeV  
 Medium  $s$  -  $E_p = 575$  GeV, not reported here

- Sensitivity to  $F_L$  requires high  $y$
- Challenge - high  $y$  means low electron energy and large background from  $\gamma p$
- Need additional tools
  - use CTD/MVD hit information
  - use 6mT to normalise  $\gamma p$



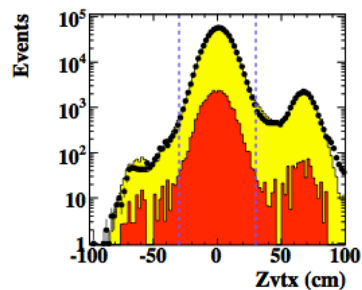
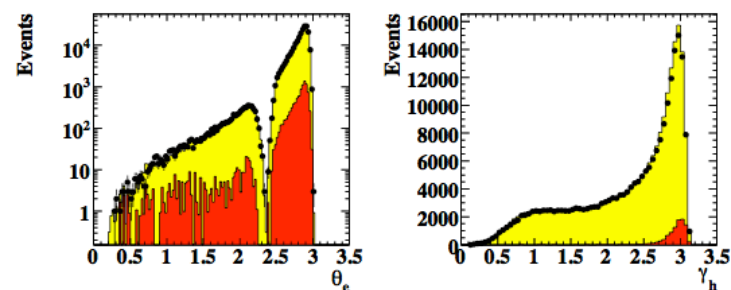
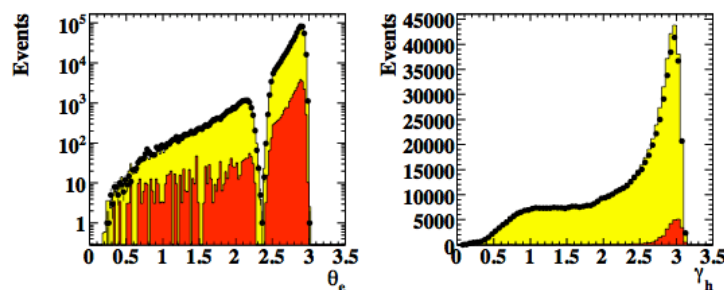
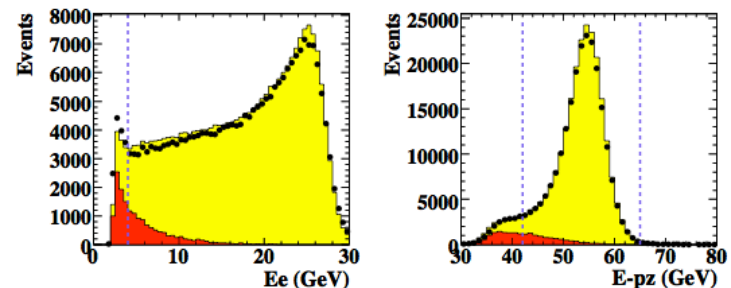
# $F_L$ - control plots

ZEUS 920 GeV



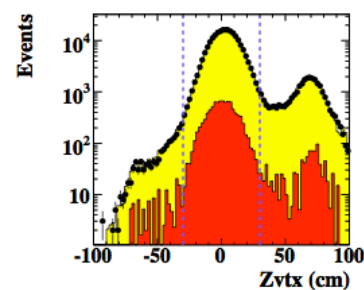
MC  $F_L=0$

ZEUS 460 GeV



- ZEUS (prel.)
- $\sqrt{s}=318$  GeV ( $33\text{pb}^{-1}$ )
- MC DIS ( $F_L=0$ ) +  $\gamma p$
- MC  $\gamma p$

$N(\gamma p) < 15\%$

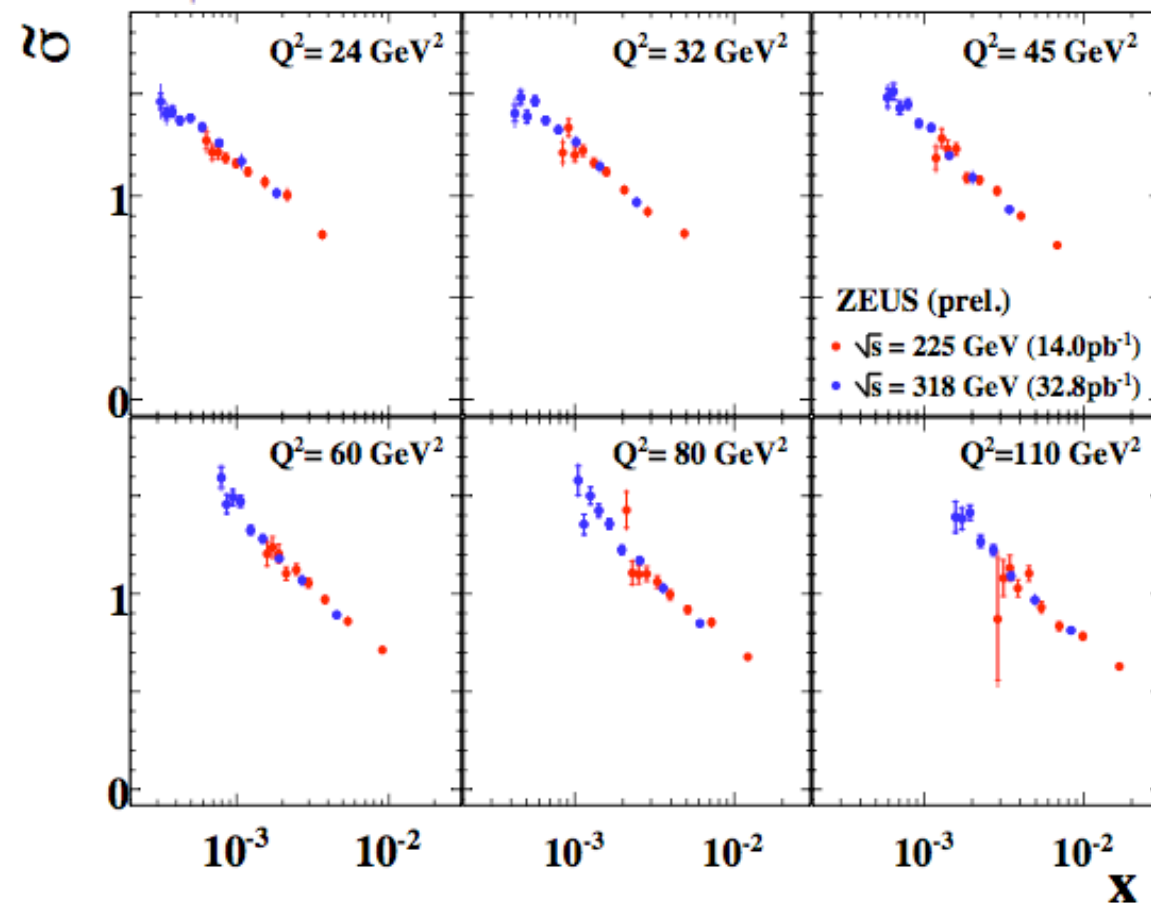


- ZEUS (prel.)
- $\sqrt{s}=225$  GeV ( $14\text{pb}^{-1}$ )
- MC DIS ( $F_L=0$ ) +  $\gamma p$
- MC  $\gamma p$

# Reduced cross section as a function of $x, Q^2$

$$\tilde{\sigma}(x, Q^2) = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$$

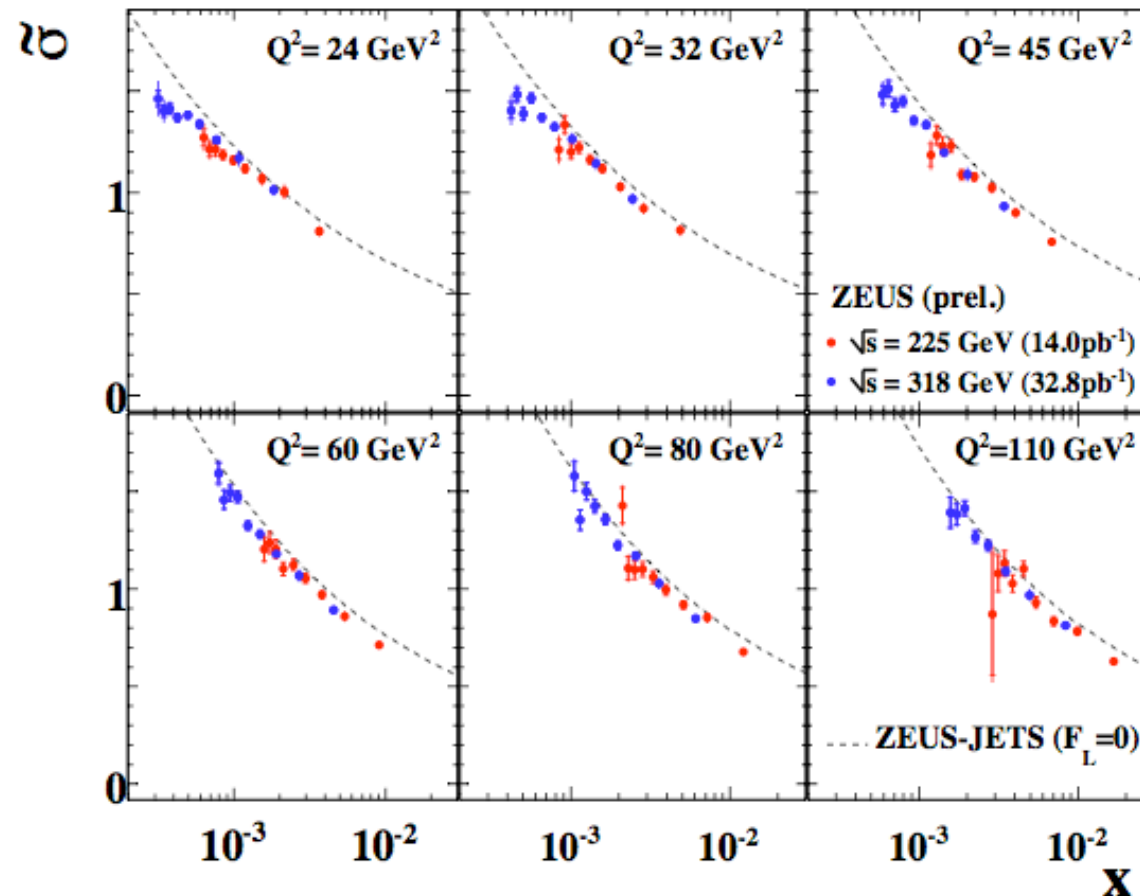
**ZEUS**



# Reduced cross section as a function of $x, Q^2$

$$\tilde{\sigma}(x, Q^2) = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$$

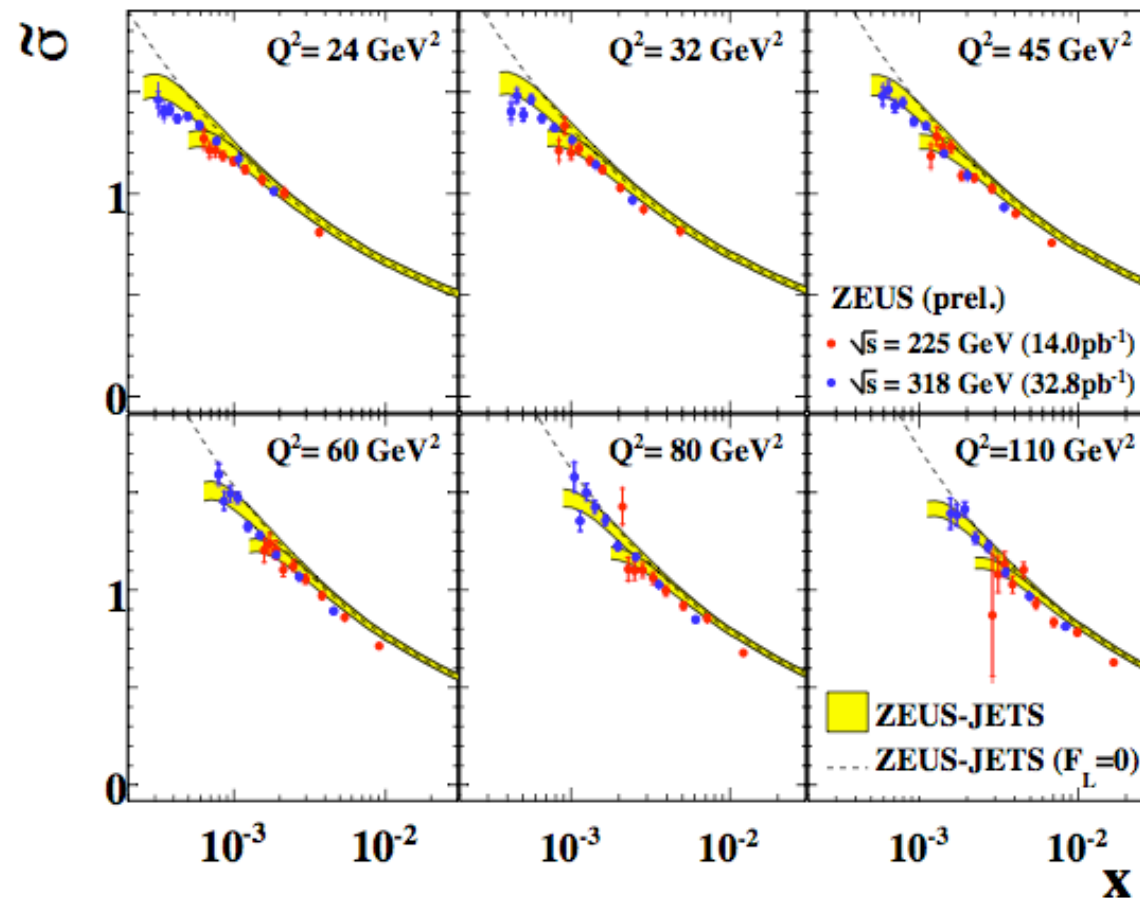
**ZEUS**



# Reduced cross section as a function of $x, Q^2$

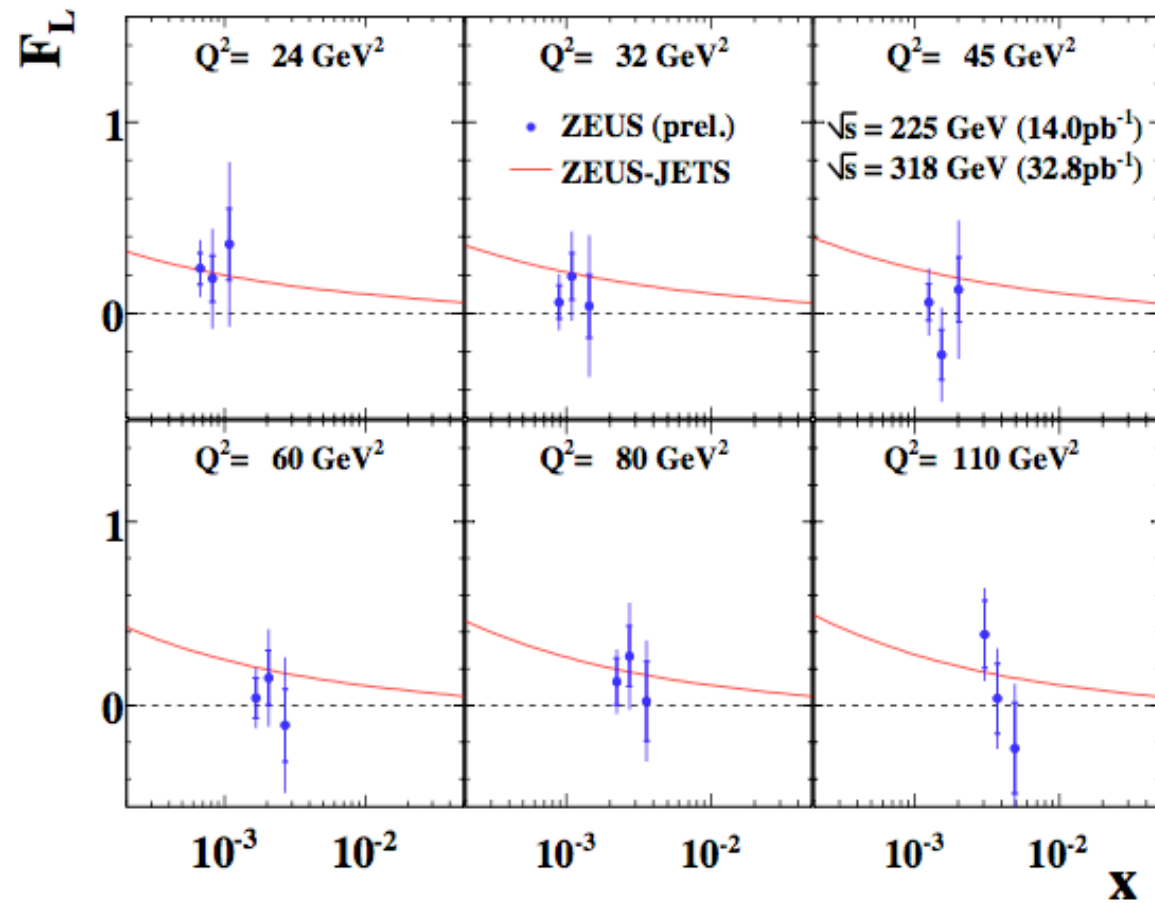
$$\tilde{\sigma}(x, Q^2) = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$$

**ZEUS**



$F_L$

## ZEUS



# Summary

Those are exciting times



Many more results and many more details  
will be presented in the parallel sessions