

# Elastic $Z^0$ production at HERA

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on behalf of  
**ZEUS collaboration**

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XX International Work on Deep Inelastic Scattering and Related Subjects  
@University of Bonn

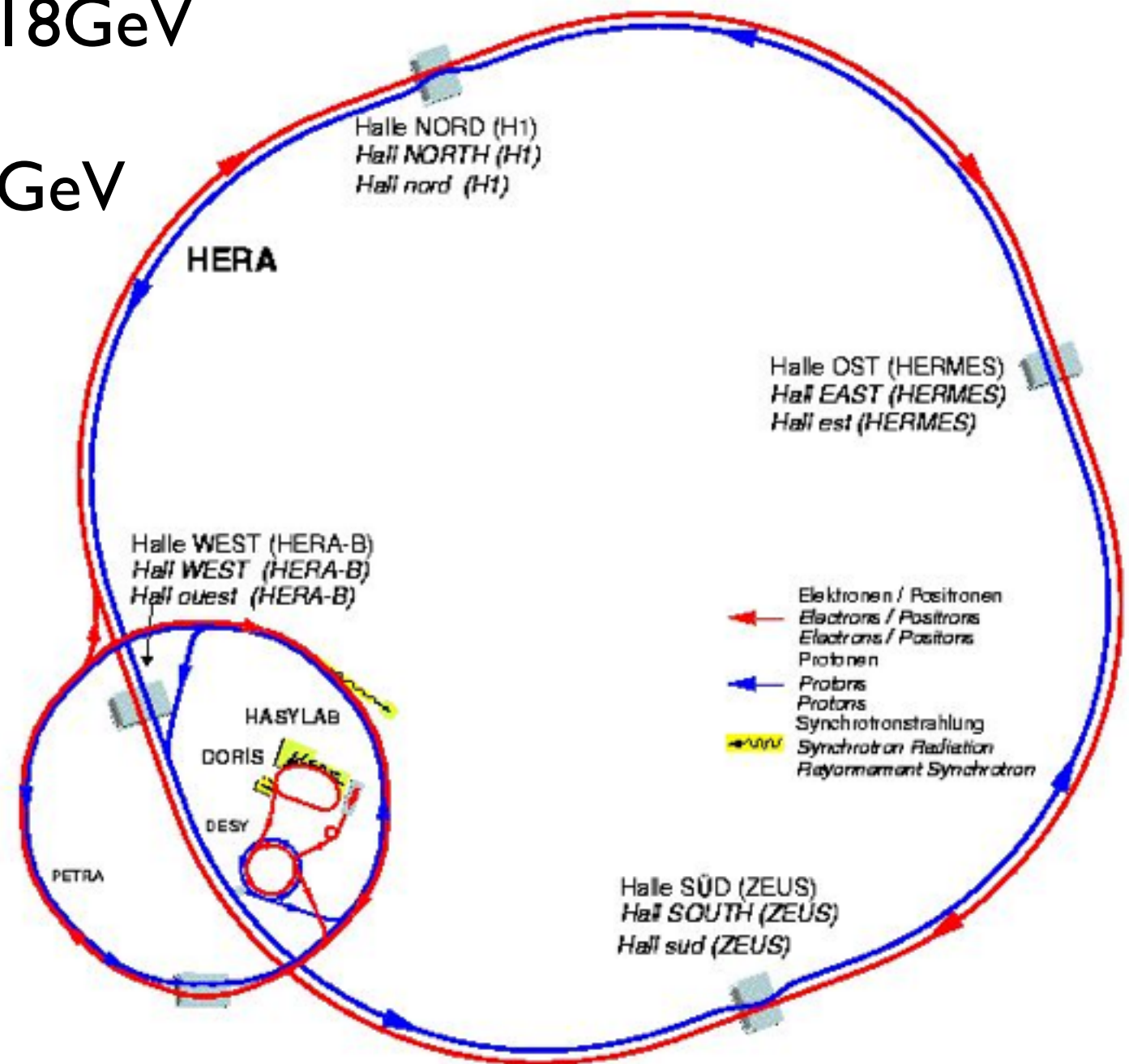


# Topics

- HERA and ZEUS detector
- Motivation
- Monte Carlo Simulation
- Data-driven background estimation
- Fitting result
- Systematic
- Summary

# HERA

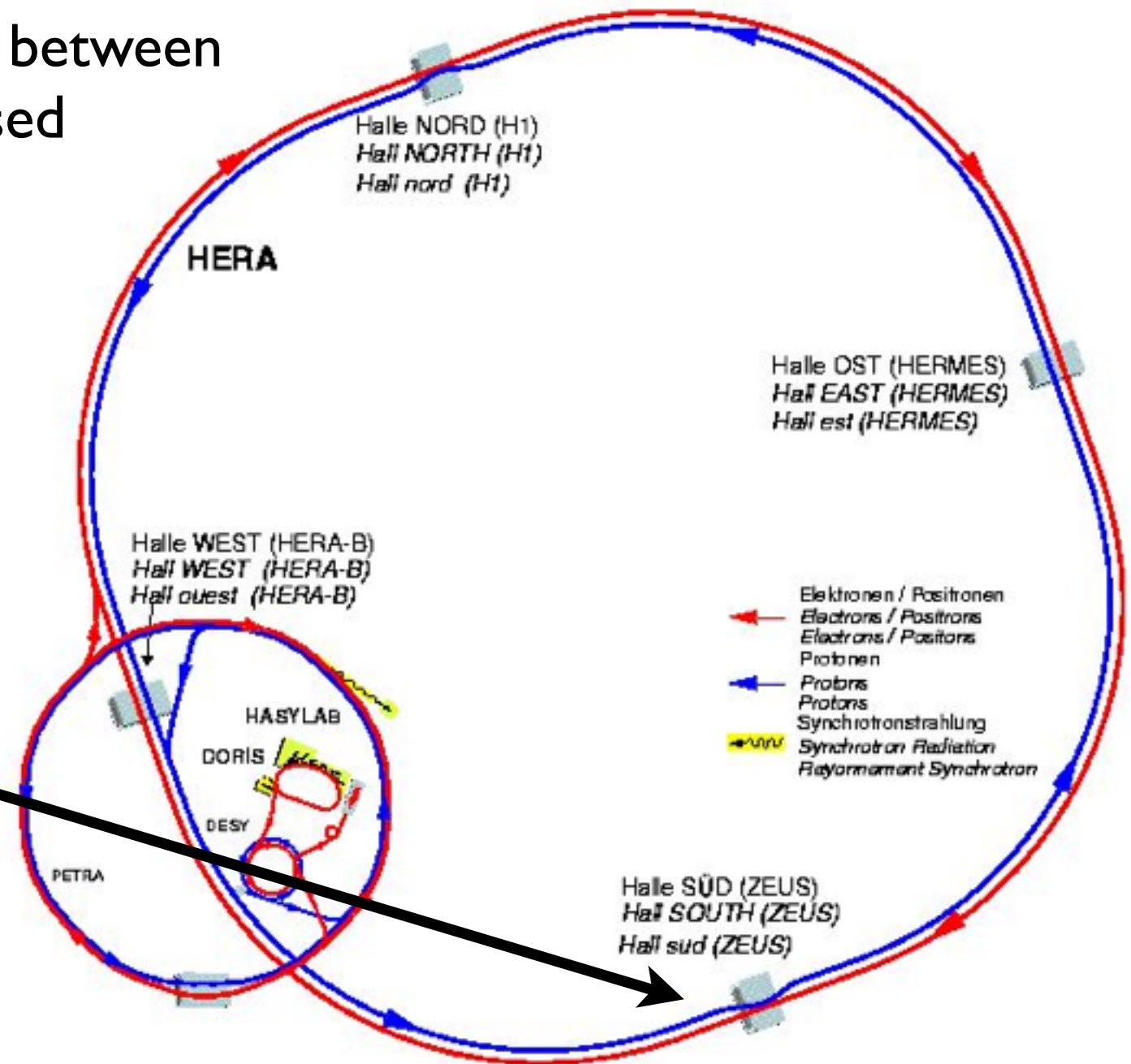
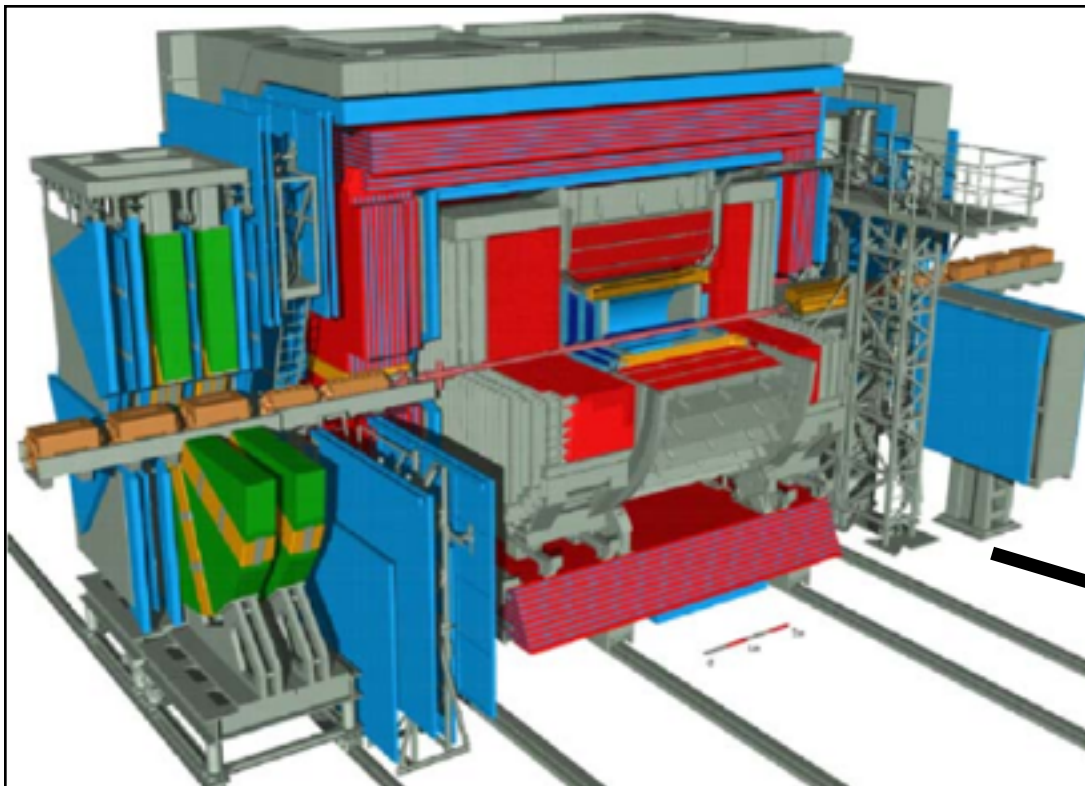
- Unique ep collider at DESY
- Operated during 1992-2007
- Center-of-mass energy: 318 GeV  
proton: 920 GeV  
electron(positron): 27.5 GeV



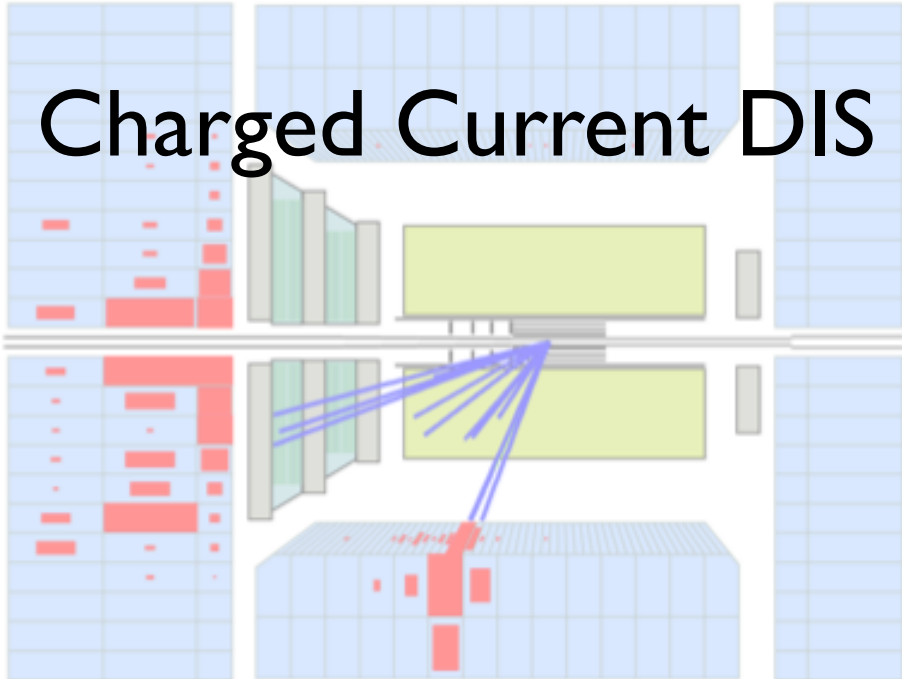
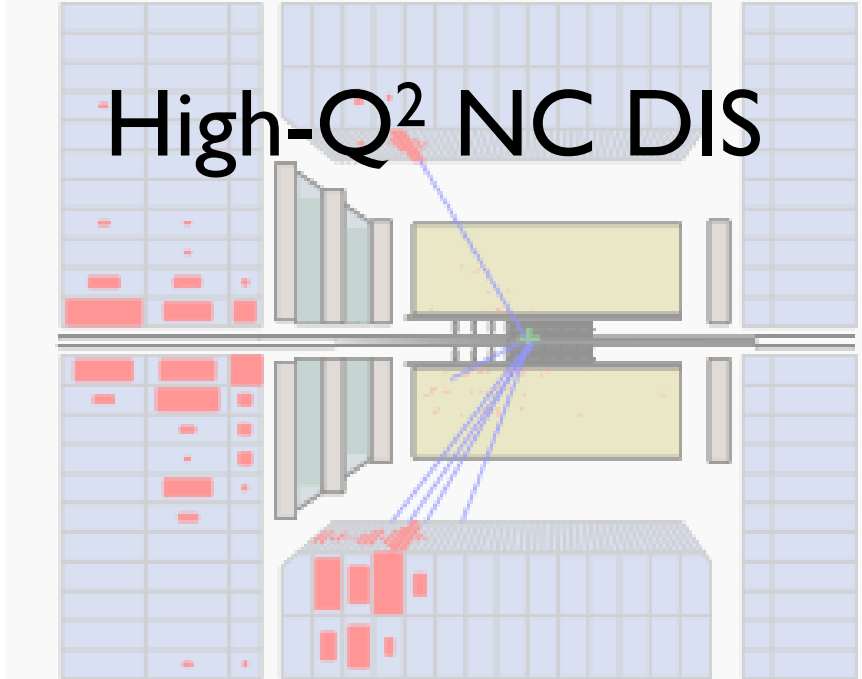
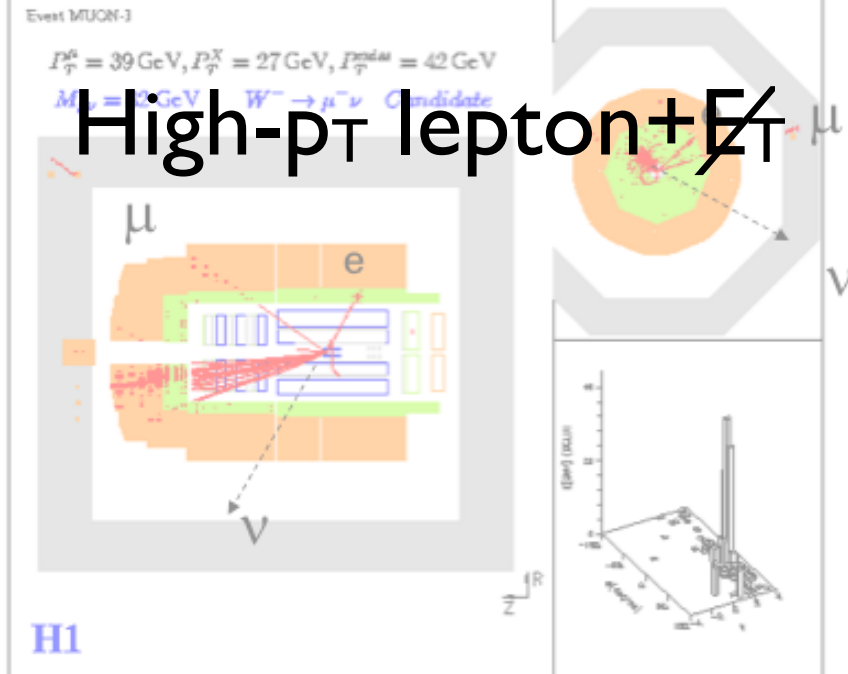


# ZEUS detector

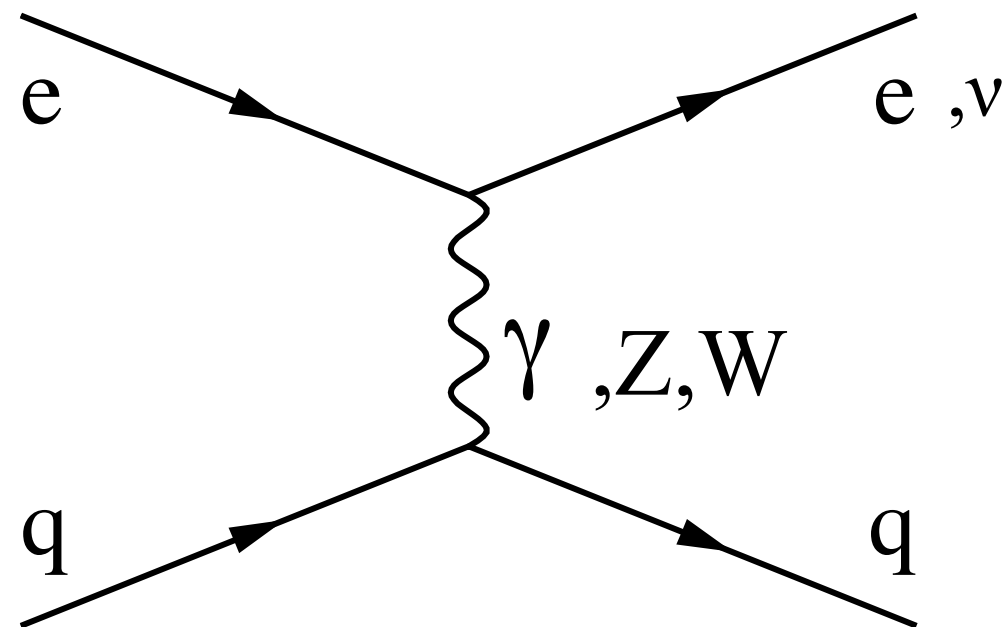
- General purpose detector at HERA
- High resolution calorimeter using Uranium absorber
  - electron  $\sigma(E)/E = 0.18/\sqrt{E}$
  - hadrons  $\sigma(E)/E = 0.35/\sqrt{E}$
- 496 pb<sup>-1</sup> data collected between 1996 and 2007 were used in this analysis



# Electroweak Bosons at HERA

	W	Z
Virtual	 <p>Charged Current DIS</p>	 <p>High-<math>Q^2</math> NC DIS</p>
Real	 <p>Event MUON-3  <math>P_T^e = 39 \text{ GeV}, P_T^X = 27 \text{ GeV}, P_T^{\text{had}} = 42 \text{ GeV}</math>  <math>M_T = 8 \text{ GeV}</math> <math>W^- \rightarrow \mu^- \nu</math> Candidate  H1</p>	<p><b>Missing piece in HERA EW program?</b></p>

# Lepton-Hadron collision -DIS



- Mainly t-channel exchange of gauge bosons
- No s-channel Drell-Yan production  $q\bar{q} \rightarrow Z$  (unlike hadron colliders)
- On-shell W/Z production by radiation from quark/lepton lines  
- small cross section

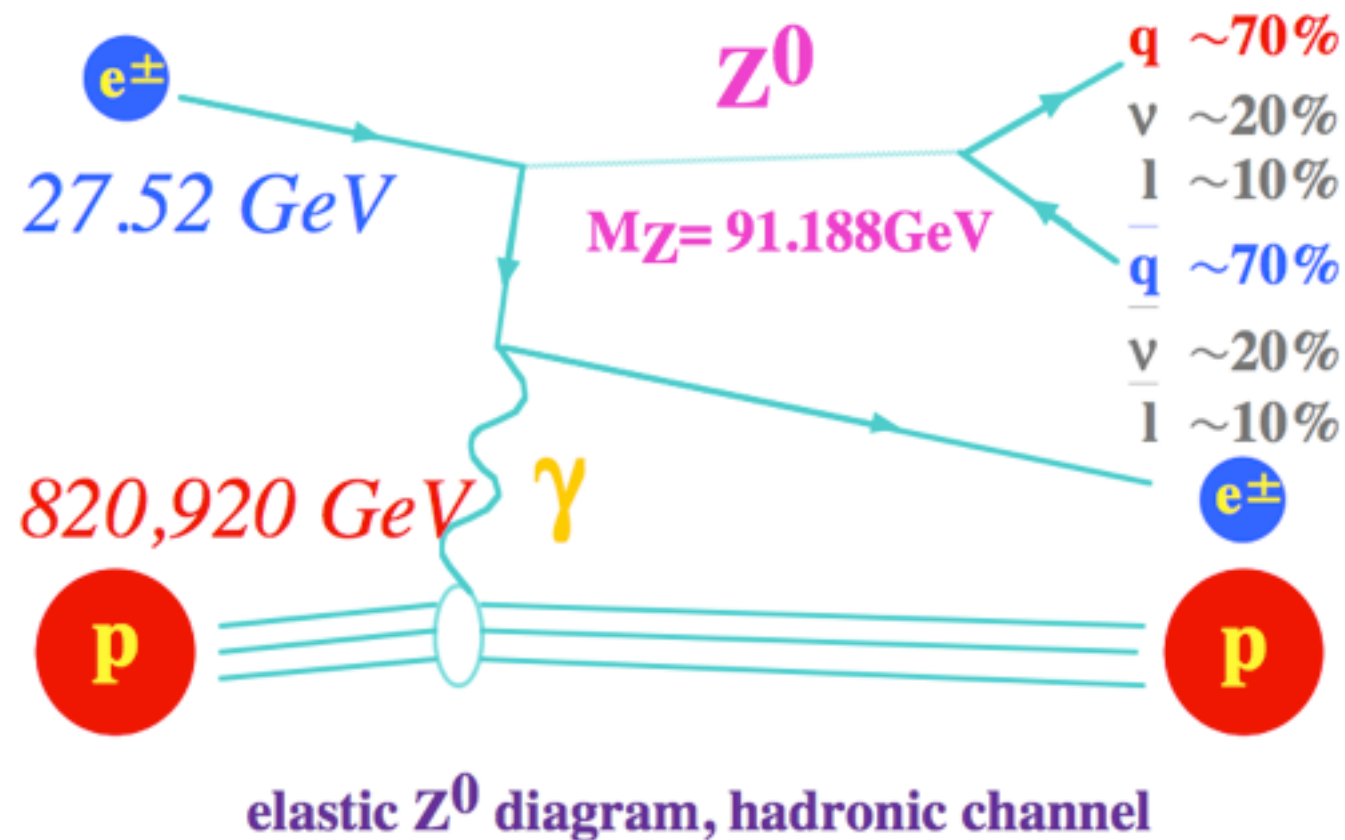
- W boson cross section is measured to be

$$\sigma(ep \rightarrow W X \rightarrow l \nu X) = 1.06 \pm 0.16 \text{ (stat.)} \pm 0.07 \text{ (syst.) pb.}$$

The H1 and ZEUS collaboration, JHEP 3 1-19(2010)

- $\sigma(Z)$  is expected to be  $\sim 0.4 \text{ pb}$

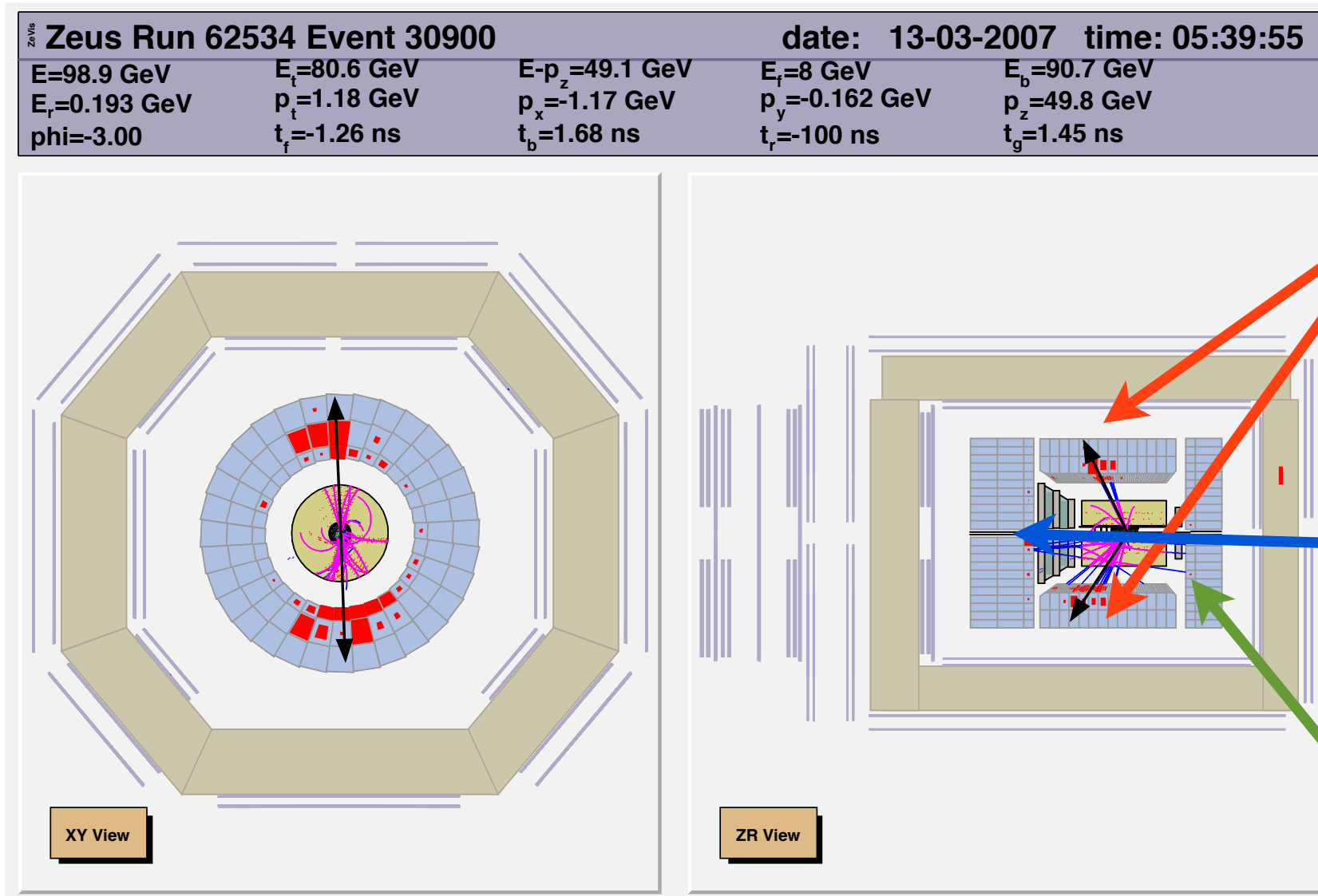
# $Z^0$ Search strategy



- Leptonic decays have too small branching ratio  
=> **Hadronic decays**  
(But very large QCD dijet bg)
- Target: **elastic production**( $\sim 0.16 \text{ pb}$ ),  
expecting larger S/N

# $Z^0$ Search strategy(cont'd)

- The invariant mass is calculated by using all of jets with  $E_T > 4\text{GeV}$  &  $|\eta| < 2$



$\geq 2$  large  $E_T$  jets  
( $E_T > 25\text{GeV}$ )

$\eta_{\text{max}} < 3$   
to select elastic events

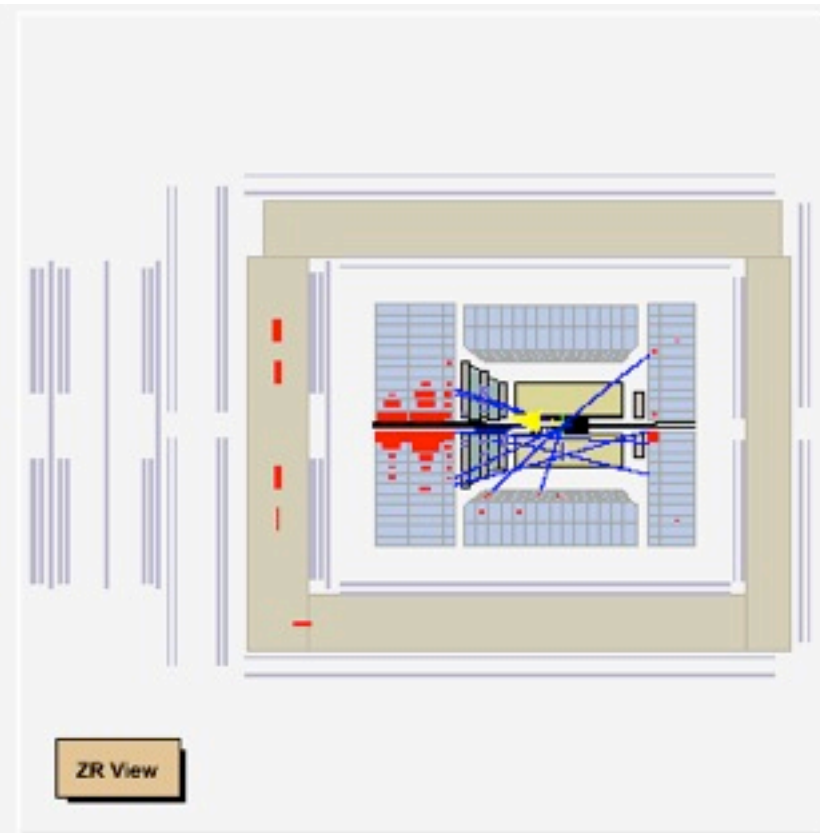
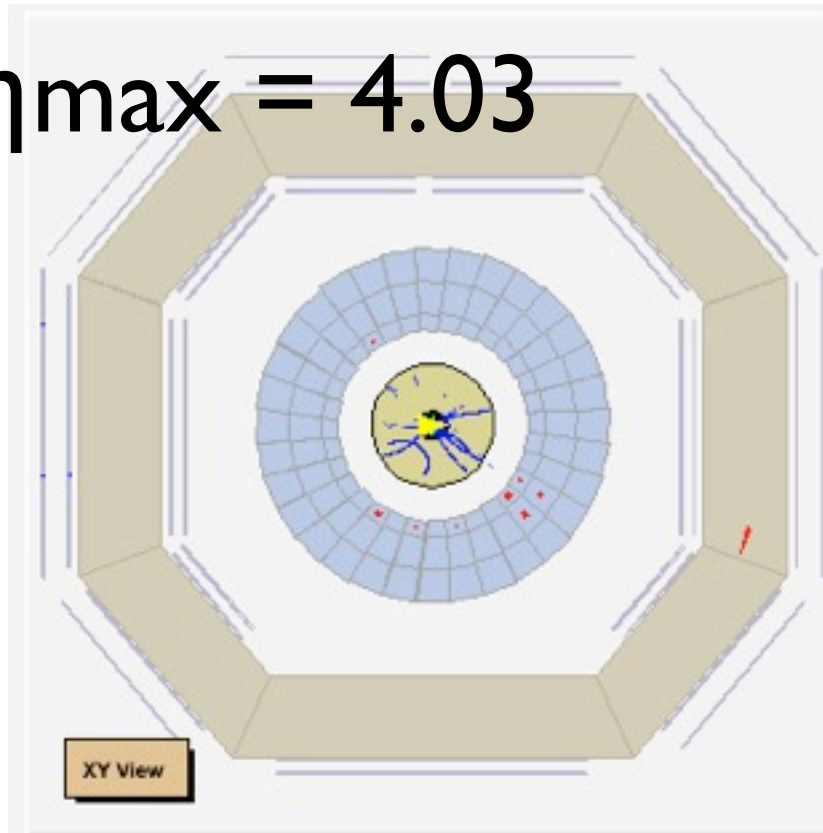
RCAL veto

$E-P_z$  peaks at  $55\text{GeV}$   
to discriminate signals from low- $Q^2$  NC

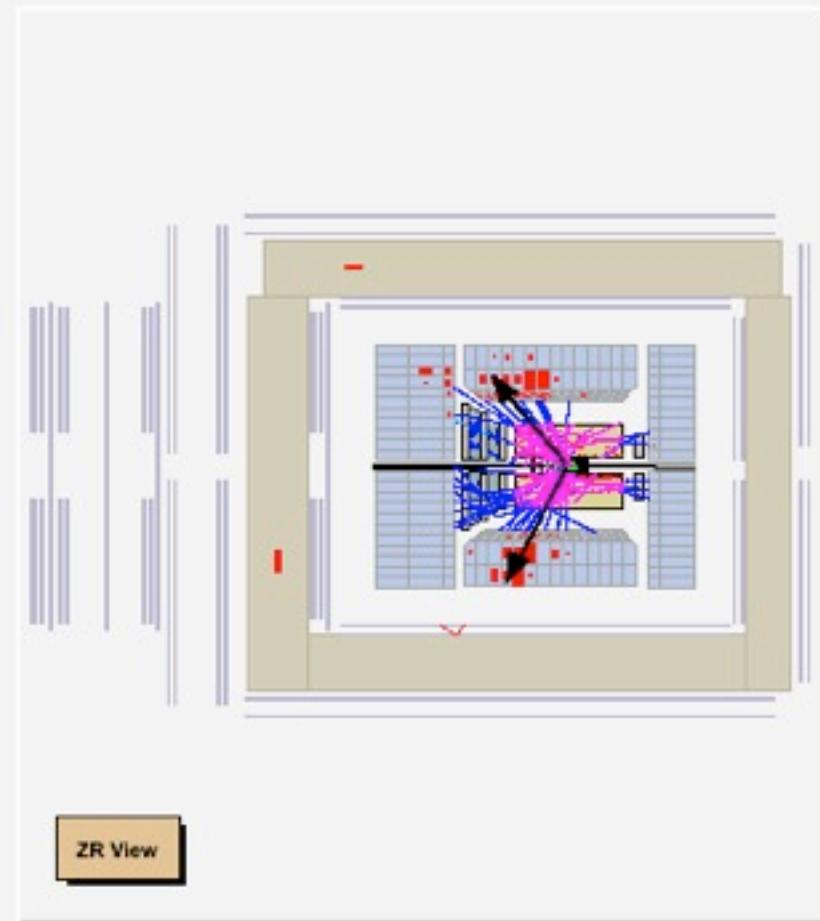
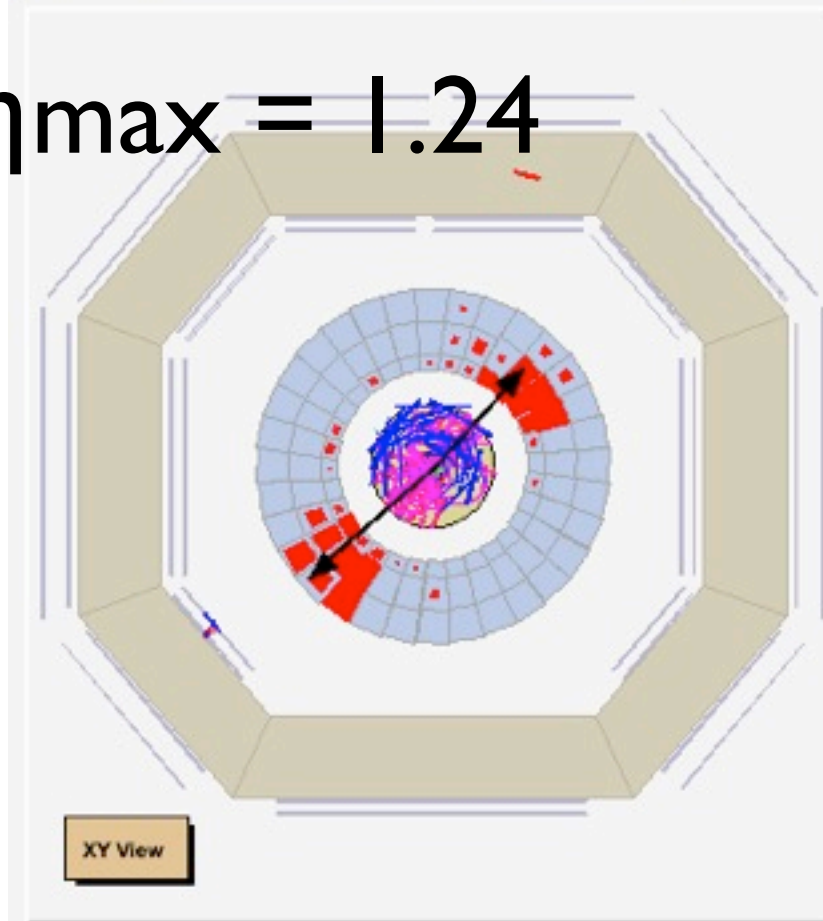


$\eta_{\max}$

$\eta_{\max} = 4.03$



$\eta_{\max} = 1.24$



## SM cross section and MC selection acceptance

- MC samples are generated with EPVEC interfaced with Pythia hadronic fragmentation

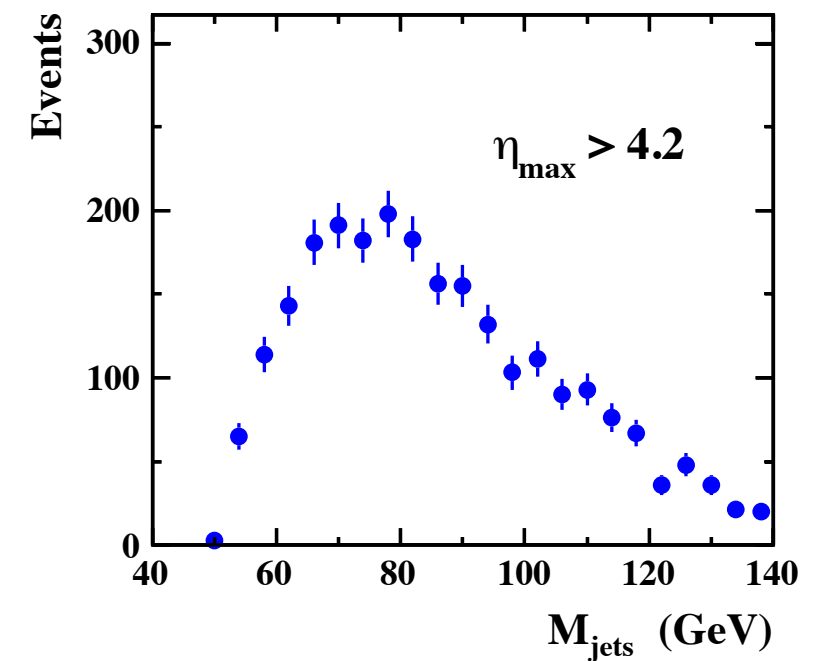
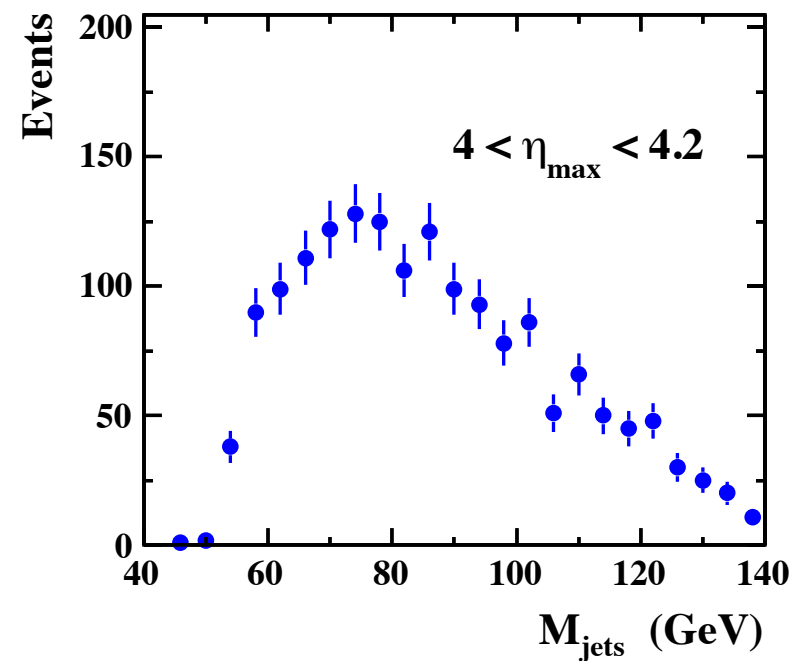
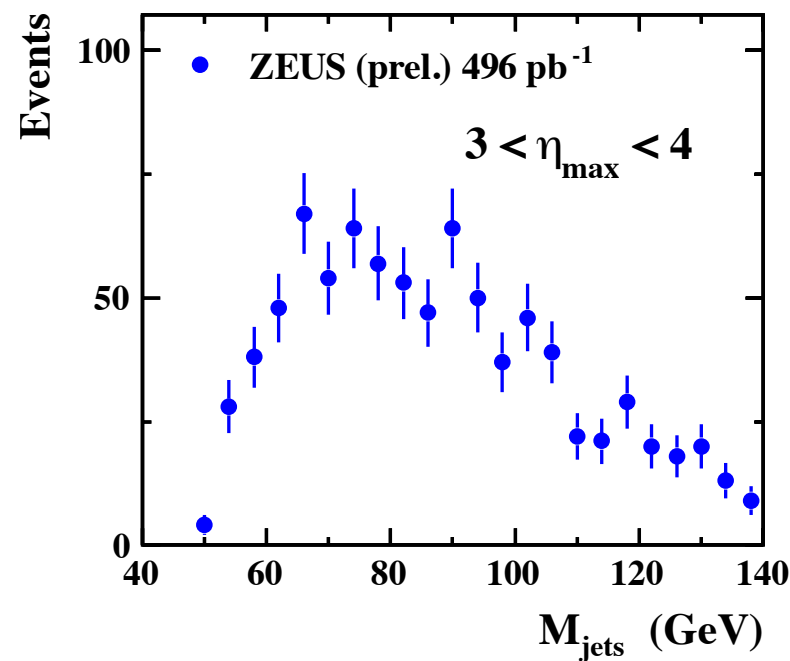
	cross section [pb]	selection acceptance	expected #of events (xsec×acc×lumi)
elastic	0.163 (total 'elastic')	0.22	17.9
inelastic	0.236 (total 'inelastic')	0.0035	0.4

- Total cross section is 0.40pb
- Total expected #of events after all selection: 18.3
- Total acceptance 0.094 (0.22 for 'elastic')
- [This analysis aims to measure the 'elastic' cross section](#)
- The invariant mass distribution with MC is used as signal shape template

# Data driven b.g. shape estimation

- $M_{\text{jets}}$  in several  $\eta_{\text{max}}$  slices (after all selection)
- No significant difference was found

## ZEUS



Background template is made from all of data in  $\eta_{\text{max}} > 3$

=> Fit the final sample data with signal(MC)+b.g.(Data) shape template

# How to obtain cross section

Fit the data with shape templates of signal(MC) + bg(data,  $\eta_{\max} > 3$ )

1. Define the reference number,  $N_{\text{ref},i}$ , for each bin  $i$  in  $40 < M < 140$  GeV

$$N_{\text{ref},i} = a N_{\text{signal},i}^{\text{MC}}(e) + b N_{\text{bg},i}^{\text{data}}$$

( $e$ : energy shift parameter allowed in  $\pm 3\%$ )

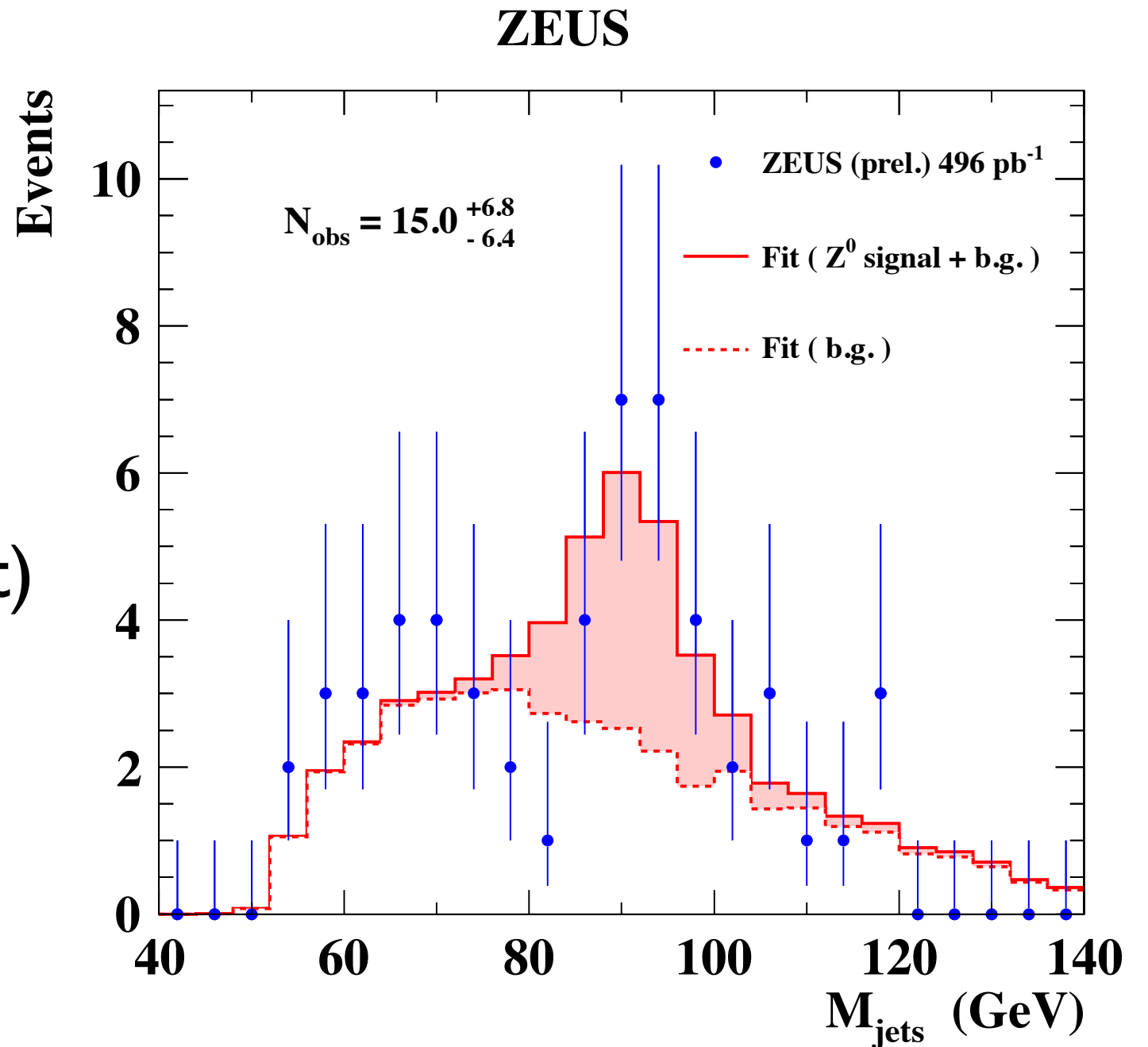
2.  $\chi^2$  is defined to be:

$$\chi^2 = -2 \sum_i \log \frac{\mathcal{L}(N_{\text{ref},i}, N_{\text{obs},i})}{\mathcal{L}(N_{\text{obs},i}, N_{\text{obs},i})}$$

3. Find ( $a, b, e$ ) to minimize  $\chi^2$
4. The best fit 'a' gives the ratio between observed and SM cross section i.e. we can get  $\sigma_{\text{obs}} = a \sigma_{\text{SM}}$

# Fitting result

- Best fit result;  
- signal normalization  
parameter 'a': **0.82**  
(with +2.8% energy shift)



$$\sigma_{\text{obs}} \left( ep \rightarrow ep^{(*)} Z^0 \right) = 0.133^{+0.060}_{-0.057} \text{ (stat.only) pb}$$

Consistent with SM elastic cross section  $\sigma_{SM} \left( ep \rightarrow ep^{(*)} Z^0 \right) = 0.16 \text{ pb}$



# Systematics

Source	errors on xsection
$E_{T,\text{jet}}$ scale $\pm 3\%$	(+2.1%, -1.7%)
elastic selection uncertainty	(+36.5%, -28.6%)
b.g. shape uncertainty	$\pm 1.5\%$
Luminosity	$\pm 1.9\%$
TOTAL	(+36.6%, -28.8%)

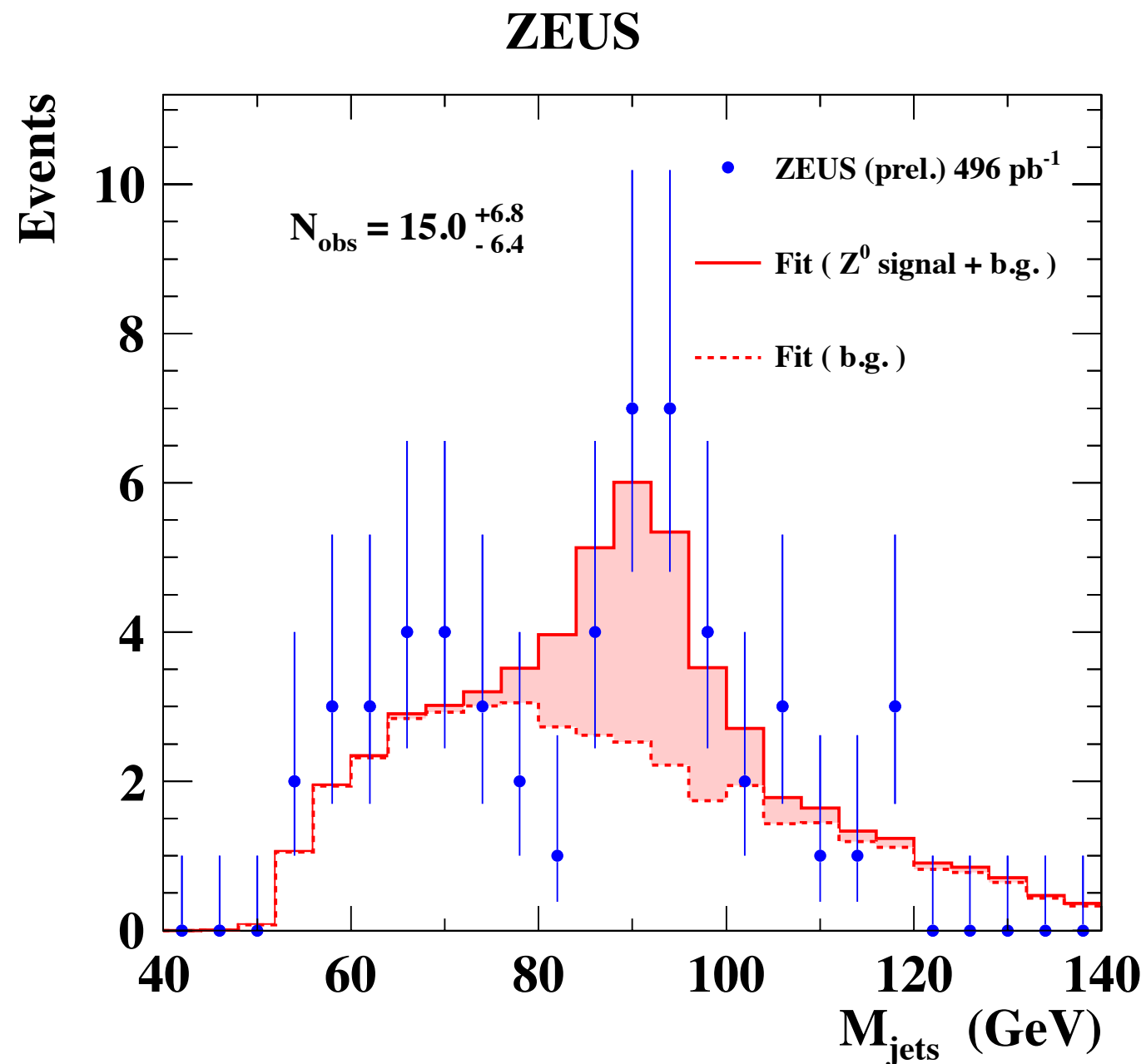
# Elastic selection cut( $\eta_{\max}<3$ ) uncertainty

- Elastic events with forward scattered electron( $\eta_e>3$ ) in the calorimeter are removed by  $\eta_{\max}<3$  (events with the electron passing through the forward beam pipe are accepted)
- Acceptance of  $\eta_{\max}<3$  cut for elastic events=67%
- Lower side of systematics is very conservatively estimated by assuming 100% acceptance of  $\eta_{\max}$  cut for elastic events (Acceptance gain = +40%  $\Rightarrow$  Systematic for xsec= -28.6%)
- Upper side of systematic is estimated by changing to calculate  $\eta_{\max}$  by using all CAL cells with MC (nominally using cells with  $E>400\text{MeV}$ ) (Acceptance loss = -26.8% $\Rightarrow$ Systematic for xsec = +36.5%)

# Result and summary

$$\sigma_{obs} \left( ep \rightarrow ep^{(*)} Z^0 \right) = 0.133_{-0.057}^{+0.060} \text{ (stat.) }_{-0.038}^{+0.049} \text{ (syst.) pb}$$

- Elastic  $Z^0$  cross section in ep collision was measured.
- The result agrees with SM cross section of 0.16pb



**backup**

# Cut flow chart

Trigger requirement	
Select $Z^0 \rightarrow qq$	Number of jets $\geq 2$ $E_{T,2nd\ jet} > 25\text{GeV}$ $ \eta_{jet}  < 2$ $ \Delta\phi_{2jets}  > 2\text{rad}$
Select elastic $Z^0$ production	$50 < E-P_z < 64\text{GeV}$ $\theta_e < 80^\circ$ or no electron found $E_{RCAL} < 2\text{GeV}$ $\eta_{max} < 3$ ( $\eta_{max}$ : calculated from $>400\text{MeV}$ cells)
Cosmic rejection	$ Z_{vtx}  < 50\text{cm}$ & $Ch_{vtx} \geq 0$ Reject if $175^\circ < \theta_{jet1} + \theta_{jet2} < 185^\circ$ only if $ \phi_{jet1} - \phi_{jet2}  > 175^\circ$ $Cc_{pt} < 25\text{ GeV}$ $ Cal_{tu} - Cal_{td}  < 6\text{ns}$ only if ( $Cal_{tu\_E} > 4\text{GeV}$ AND $Cal_{td\_E} > 4\text{GeV}$ )
di-electron rejection	Reject if there are 2 or more EM candidates which satisfy $EmProb > 0.0001$ & $E_e > 5\text{GeV}$ & $EmENin < 5\text{GeV}$ (no EM track requirements)
NC diffractive rejection	If there is EM candidate which satisfies $EmProb > 0.0001$ & $E_e > 5\text{GeV}$ & $EmENin < 5\text{GeV}$ and if there is jet which satisfy $dR(\text{jet and EM}) < 1$ neglect the jet and use another jet to reconstruct mass
Beam gas rejection	$N_{trkvtx} > 0.25 * (Trk\_ntracks - 20)$



# How to obtain cross section

Fit the data with shape templates of signal(MC) + bg(data,  $\eta_{max} > 3$ )

1. Define reference number at each bin  $i$ ,  $N_{ref,i}$  ( $i$ : 40-140GeV)

$$N_{ref,i} = aN_{signal,i}^{MC}(e) + bN_{bg,i}^{data}$$

-  $N_{signal,i}^{MC}(e)$  is signal expectation at bin  $i$  in  $\eta_{max} < 3$  region.

$e$  is parameter of energy shift,  $e = [-0.03, 0.03]$  and  $M_{jets} = (1 + e) \times M_{jets}$

-  $N_{bg,i}^{data}$  is number of background at bin  $i$  in  $\eta_{max} > 3$  region.

2. Calculate log-likelihood, LLH, by summing over all bins

$$LLH = \sum_i A_i + \left(\frac{e}{\sigma_e}\right)^2 \quad \left(\frac{e}{\sigma_e}\right)^2 \text{ is a penalty term. } (\sigma_e = 0.03)$$

$$A_i = \begin{cases} 2N_{ref,i} - 2N_{obs,i} + 2N_{obs,i} \log\left(\frac{N_{obs,i}}{N_{ref,i}}\right) & (\text{if } N_{obs,i} > 0) \\ 2N_{ref,i} - 2N_{obs,i} & (\text{if } N_{obs,i} = 0) \end{cases}$$

3.  $a$ ,  $b$  and  $e$  are free parameters. Iterate and find the best fit ( $a$ ,  $b$ ,  $e$ ) giving minimum LLH

4. The best fit ' $a$ ' gives the ratio between observed and SM cross-section i.e. we can get  $\sigma_{obs} = a\sigma_{SM}$

# Used data period and luminosity

- Data collected between 1996 and 2007
- Total integrated lumi.: **496pb<sup>-1</sup>**

	proton beam energy [GeV]	lumi. [pb <sup>-1</sup> ]	
06/07 e <sup>+</sup>	920	143.8	HERA-II total 375
06 e <sup>-</sup>		55.2	
04/05 e <sup>+</sup>		135.1	
03/04 e <sup>-</sup>		41.0	
99/00 e <sup>+</sup>		65.9	HERA-I total 121
98/99 e <sup>-</sup>	820	16.7	
96/97 e <sup>+</sup>		38.6	

# Systematics estimation jet energy uncertainty

- Assume  $\pm 3\%$  jet energy shift with MC

	selection acceptance			systematic error for xsec	
	nominal	Ejet +3%	Ejet -3%		
(quasi-)elastic	0.224	0.228 (+1.7%)	0.219 (-2.0%)	+2.1% -1.7%	+2.1% -1.7%
inelastic (DIS+resolved)	0.00353	0.00360 (+2.0%)	0.00351 (-1.6%)	+1.6% -1.9%	

## Systematic estimation Background ‘shape’ uncertainty

- Tried to use partial slices of  $\eta_{\max}$  as a background template
- $3 < \eta_{\max} < 4$ : Background shape in this region is significantly affected by part of signal  
=> This slice is not used.
- Systematic =  $\pm 1.5\%$

	Signal(MC)/Data in 80-100GeV
nominal( $\eta_{\max} > 3$ )	0.37%
$3 < \eta_{\max} < 4$	2.6%
$4 < \eta_{\max} < 4.2$	0.40%
$\eta_{\max} > 4.2$	0.19%
$\eta_{\max} > 4$	0.27%