

New Frontiers in Physics

ICNFP 2015



Recent HERA results on hard QCD and heavy flavour production



Paweł Sopicki
IFJ PAN

On behalf of the H1 and ZEUS Collaborations



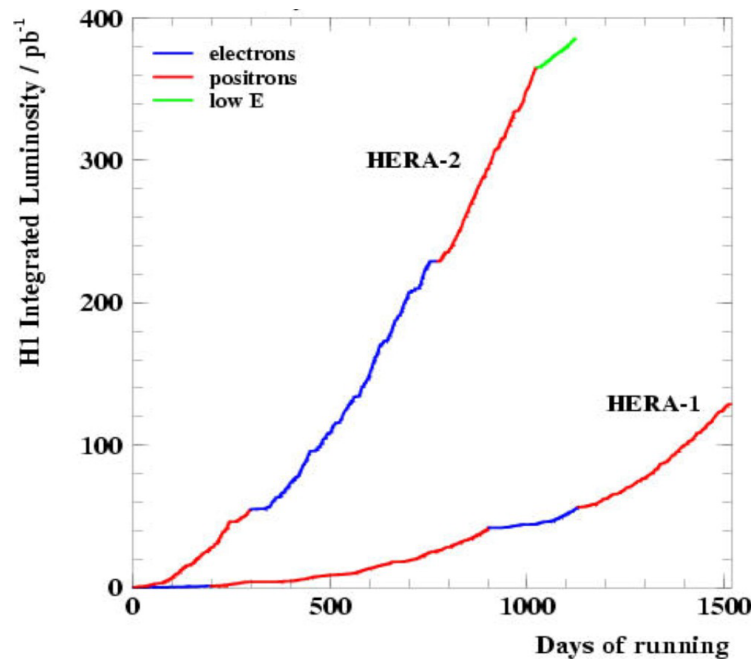
Crete 23-30.08.2015

HERA

HERA: world's only $e^\pm p$ collider

Energies: $E_{e^\pm} = 27.6 \text{ GeV}$ $E_p = 460\text{-}920 \text{ GeV}$
centre-of-mass energy: $\sqrt{s} = 225\text{-}319 \text{ GeV}$

Integrated luminosity: $\sim 0.5 \text{ fb}^{-1}$ (per experiment)



Two running periods:

1994-2000 : HERA I

2003-2007 : HERA II

Physics topics' outline

Multijets and determination of strong coupling constant

H1

EPJ C75 (2015) 2, 65

Charm & beauty

- $D^{*+/-}$ measurements

H1+ZEUS

EPJ C73 (2013) 2311

hep-ex 1503.06042

- quark mass measurements

ZEUS

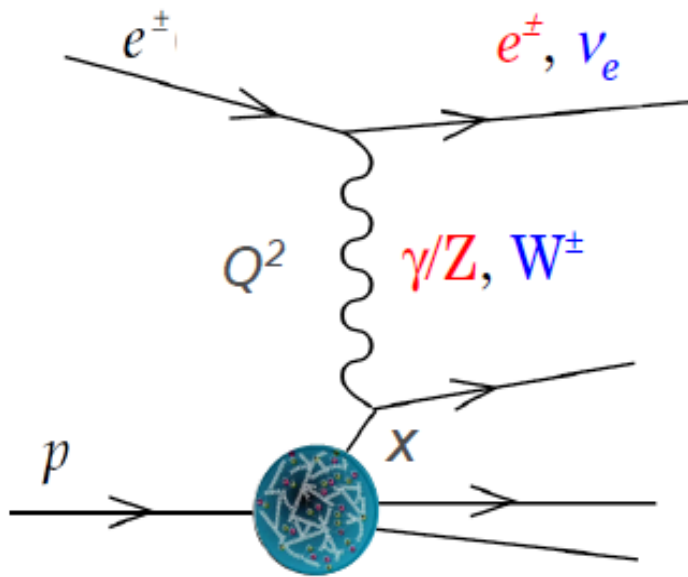
JHEP 09 (2014) 127

JHEP 10 (2014) 003

QCD Instantons

H1prelim-15-031

Introduction



Kinematics:

Q^2 - virtuality of exchanged boson

x - Bjorken scaling variable

y - inelasticity

$Q^2 = sxy$ (\sqrt{s} centre-of-mass energy)

Neutral Current (NC): $ep \rightarrow eX$ **Charged Current (CC):** $ep \rightarrow \nu X$

Photoproduction (PHP): $Q^2 \approx 0 \text{ GeV}^2$

Deep Inelastic Scattering (DIS): $Q^2 > 1 \text{ GeV}^2$

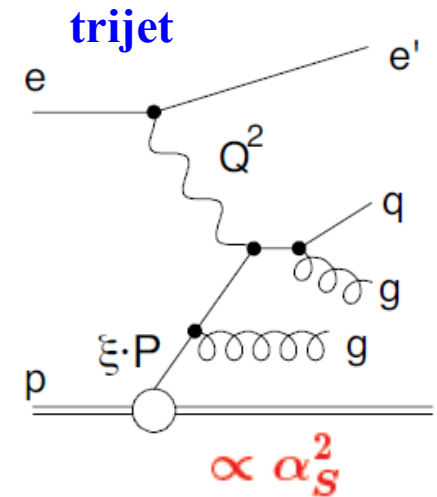
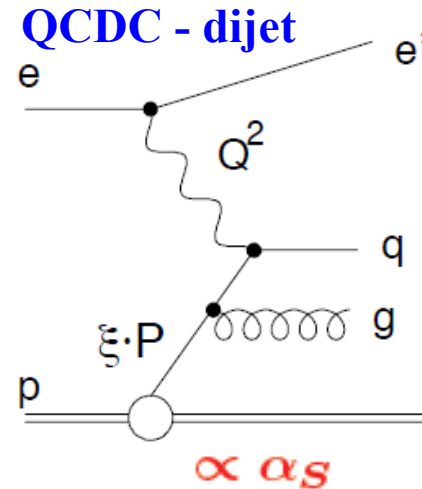
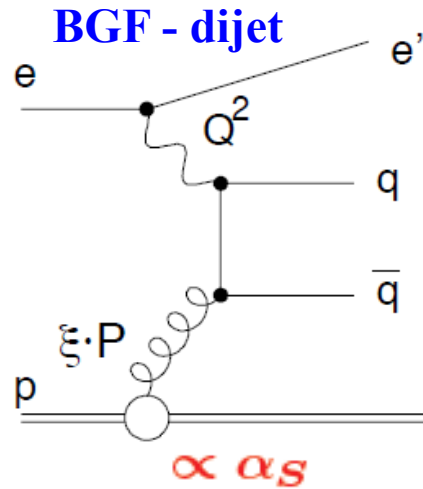
Multi-jets and strong coupling α_s determination

Jet production in NC DIS

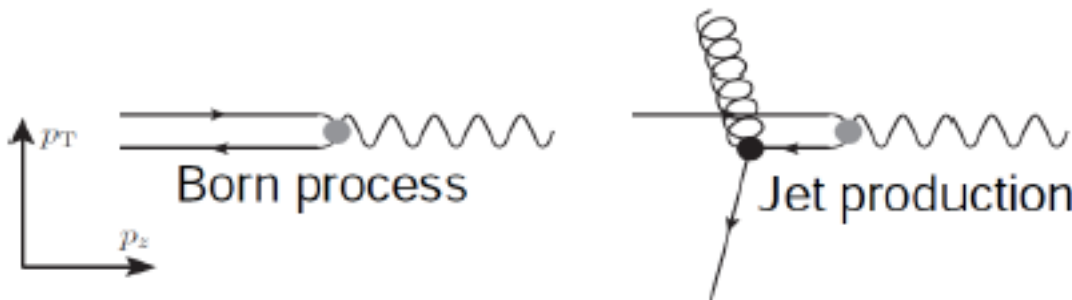
k_T anti- k_T
jet algorithms

proton's longitudinal
momentum fraction:

$$\xi = x_{Bj} (1 + M_{jj(0)}^2/Q^2)$$



H1 measurements performed in Breit frame: $2xP + q = 0$
→ virtual boson collides head on with the parton from proton



Inclusive jets: measure
transverse jet's
momentum

Dijets/trijets: average P_T
of two/three leading jets

In Breit frame only hard QCD process can generate significant P_T

Direct sensitivity to α_s and gluon PDF

H1 high Q^2 Multi-Jets Results

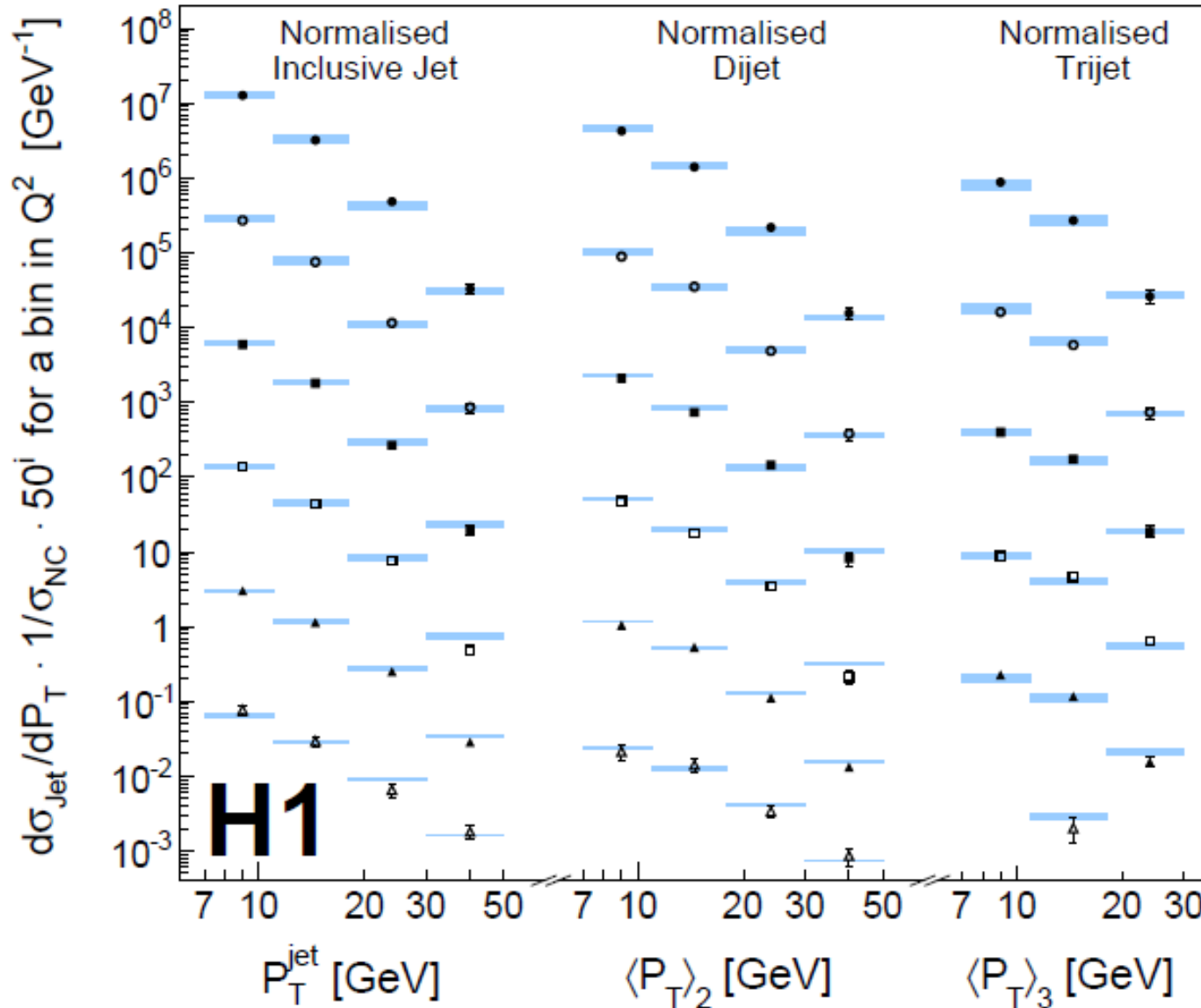
H1 Data

- $150 < Q^2 < 200 \text{ GeV}^2$ ($i=5$)
- $200 < Q^2 < 270 \text{ GeV}^2$ ($i=4$)
- $270 < Q^2 < 400 \text{ GeV}^2$ ($i=3$)
- $400 < Q^2 < 700 \text{ GeV}^2$ ($i=2$)
- ▲ $700 < Q^2 < 5000 \text{ GeV}^2$ ($i=1$)
- △ $5000 < Q^2 < 15000 \text{ GeV}^2$ ($i=0$)

NLO ⊗ c^{had}

NLOJet++ with fastNLO
 QCDNUM
 MSTW2008, $\alpha_s = 0.118$

Experimental measurement:



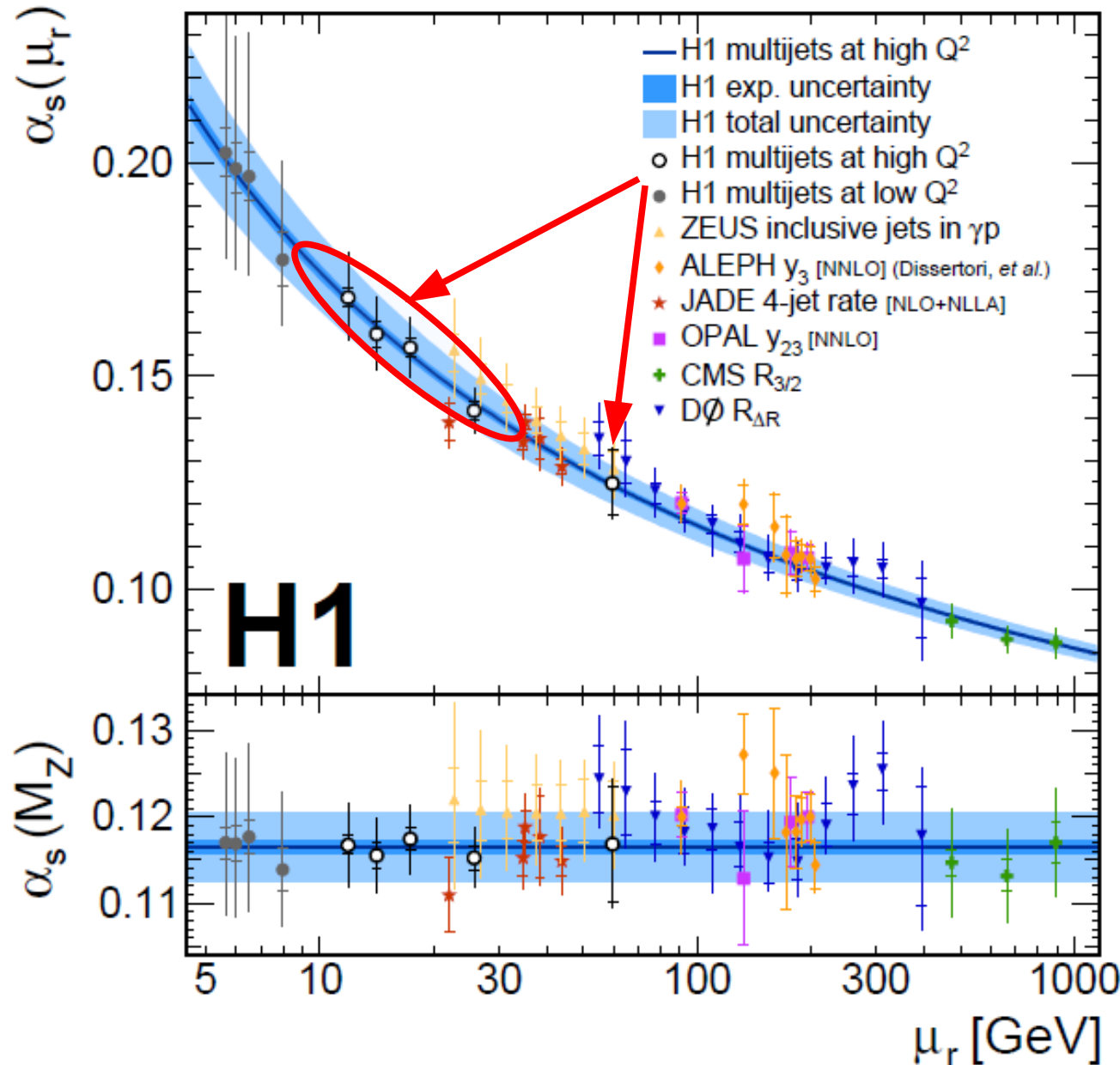
- inclusive, dijet and trijet cross sections

- normalised inclusive, dijet and trijet cross sections (w.r.t. inclusive NC DIS)

Partial cancellation of experimental uncertainties

NLO QCD predictions, corrected for hadronisation and electroweak effects, in good agreement with data within uncertainties

The determination and running of α_s



From normalised multijet:

$$\alpha_s(M_Z) = 0.1165 \text{ (8)}_{\text{exp}} \text{ (38)}_{\text{pdf,theo}}$$

The most precise measurement
from jet cross sections so far

Running of strong coupling:

Consistent with other jet data

Agreement with theory
prediction for more than two
orders of magnitude

Better than CMS results on
inclusive jet measurements

arXiv:1410.6765

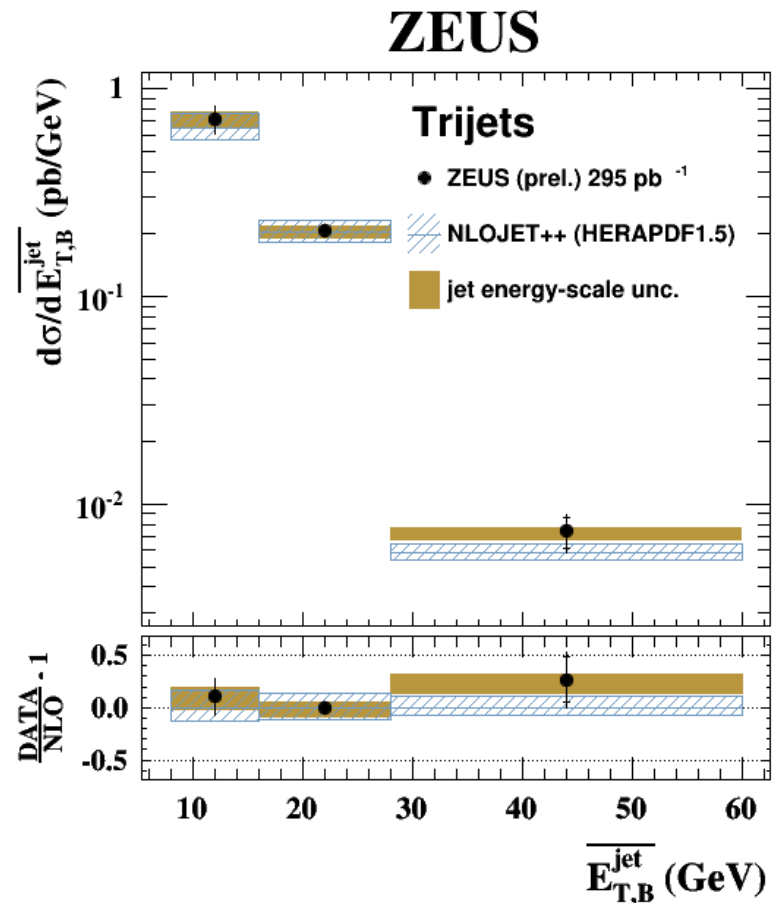
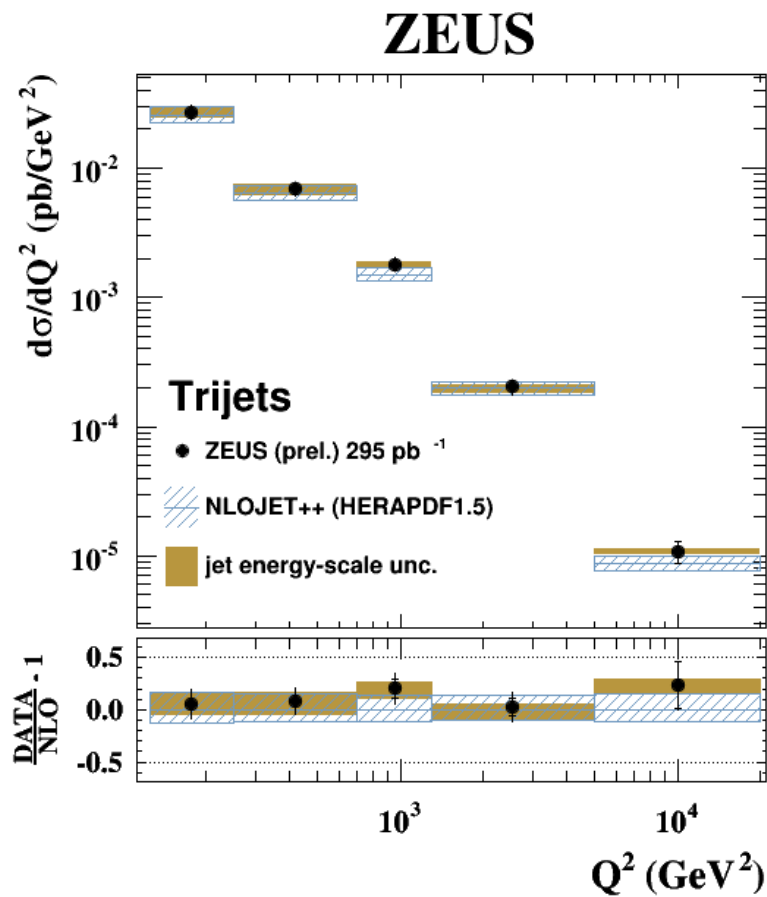
ZEUS trijet measurements

Phase space: $125 < Q^2 < 20000 \text{ GeV}^2$
 $0.2 < y < 0.6$

Prediction: NLOJet++

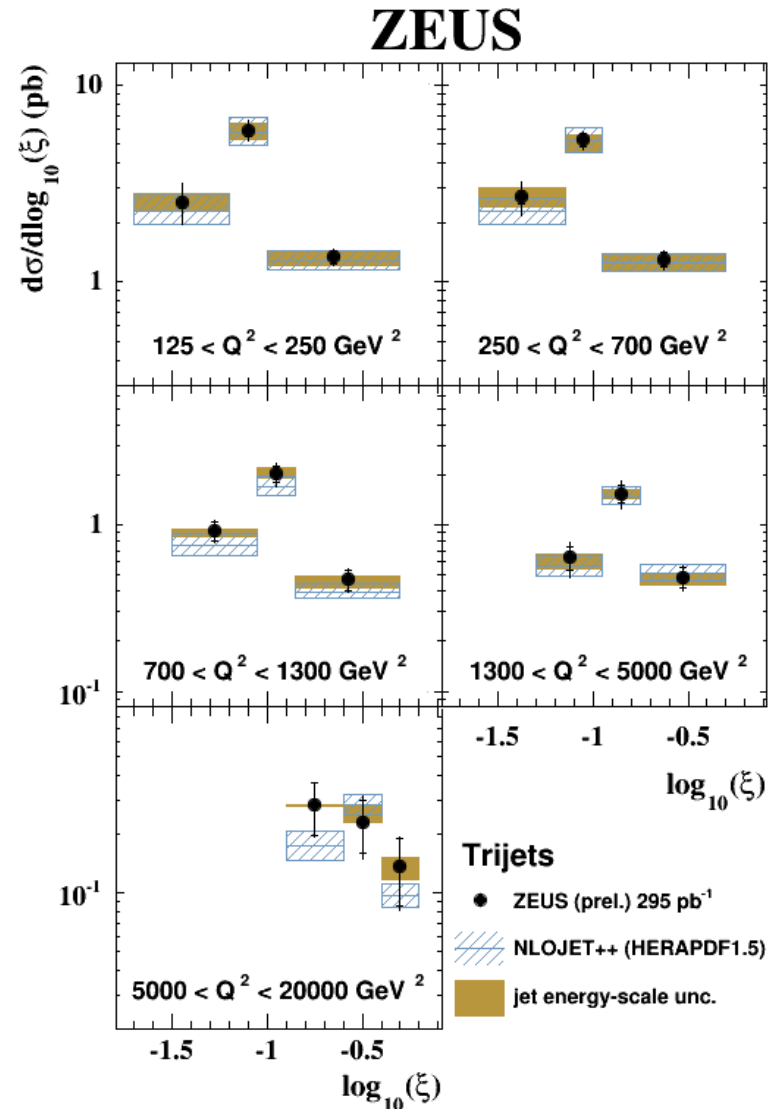
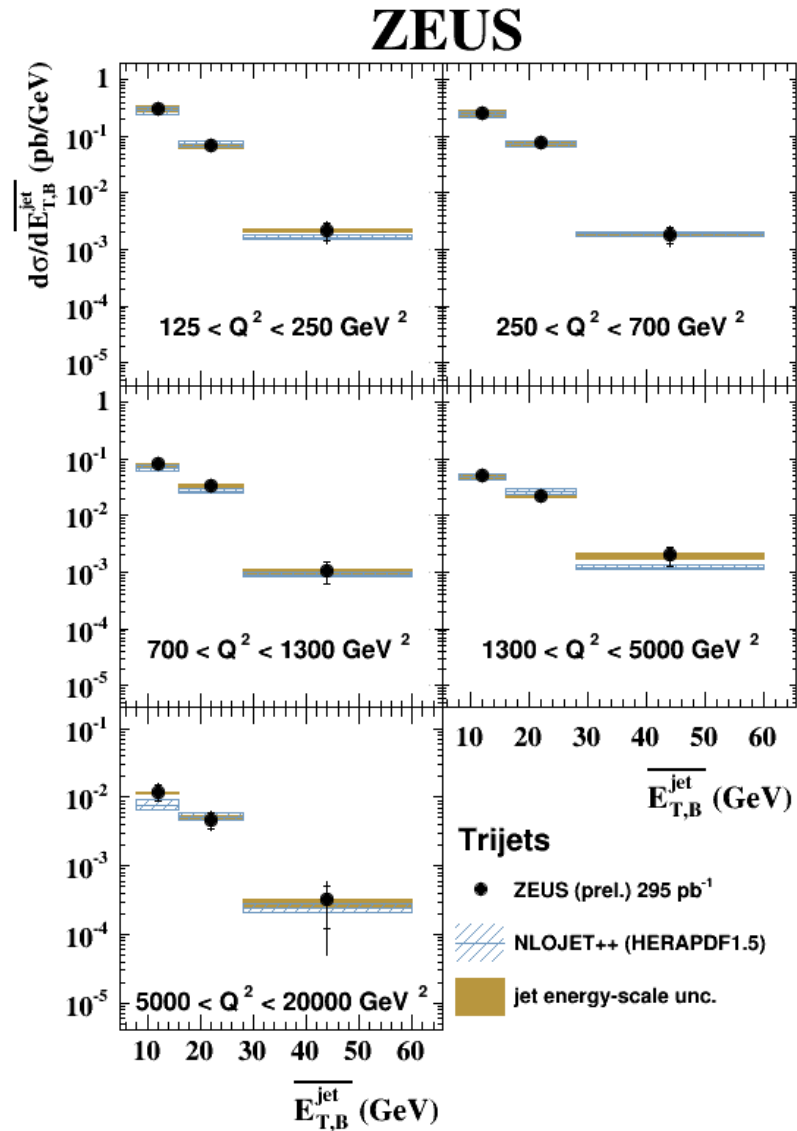
- At least three jets with $E_{T,B}^{\text{jet}} > 8 \text{ GeV}$ and $-1 < \eta_{\text{LAB}}^{\text{jet}} < 2.5$
- $M_{jj} > 20 \text{ GeV}$

- pPDF: HERAPDF1.5
- $\mu_R^2 = Q^2 + \langle E_t^{\text{jet}} \rangle^2$
- $\mu_f^2 = Q^2$



ZEUS trijet measurements

Double differential cross sections



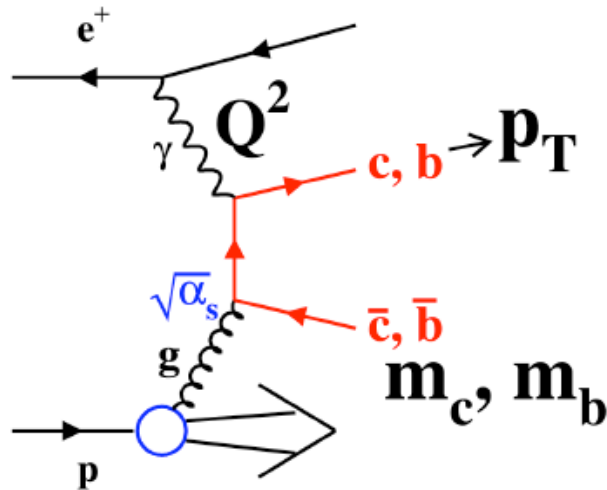
Good agreement between data and NLO calculations

Charm & beauty

$D^{*+/-}$ PHP/DIS and charm mass measurements

Beauty production in DIS

Heavy quarks production and masses



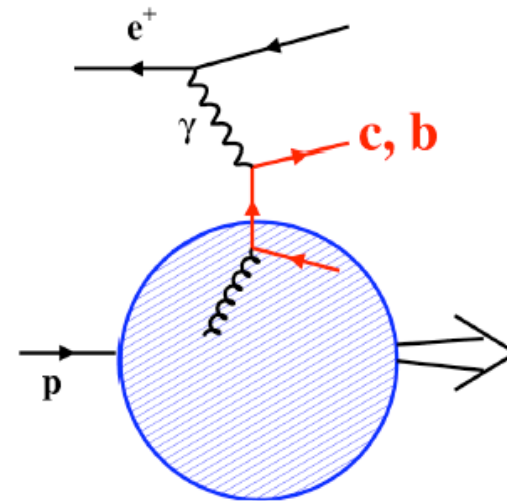
Massive scheme (FFNS)

FFNS: Fixed Flavour number scheme

Expected to be valid for $Q^2 \approx m_{c/b}^2$

Three active flavours in proton

One can calculate differential cross sections
(i.e. HVQDIS)



Massless scheme (ZM-VFNS)

Zero-mass variable flav. number scheme

Expected to be valid for $Q^2 \gg m_{c/b}^2$

c or b treated as massless parton

Resummation of large logarithms of Q^2/m_q^2

Mixed scheme (GM-VFNS)

Employ both FFNS and ZM-VFNS

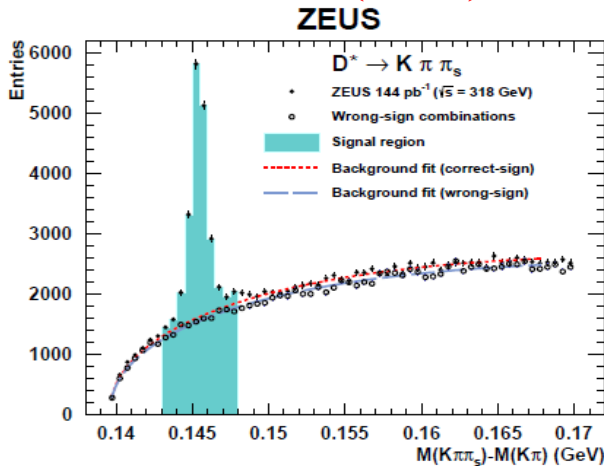
Interpolation in between (various schemes)

Used in PDF fits – useful at LHC

D* PHP cross sections

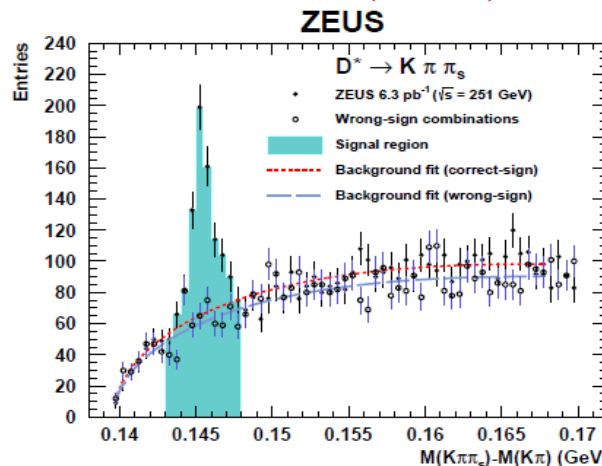
Clear D^{*+/-} signals seen in $M(K\pi^+\pi_s^+) - M(K\pi^+)$ distributions at 3 different CM energies:

$\sqrt{s} = 318$ (HER)



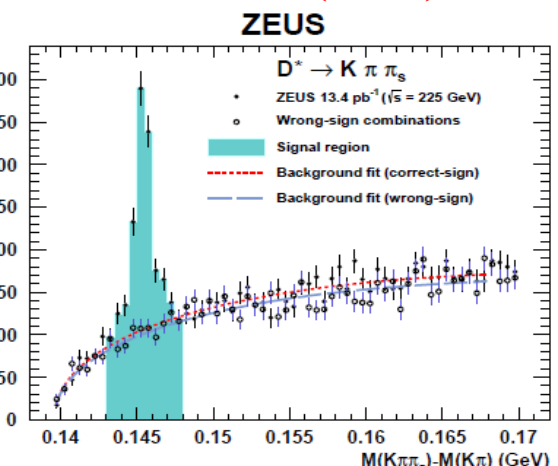
HER: $\mathcal{L} = 144 \text{ pb}^{-1}$

$\sqrt{s} = 251$ (MER)

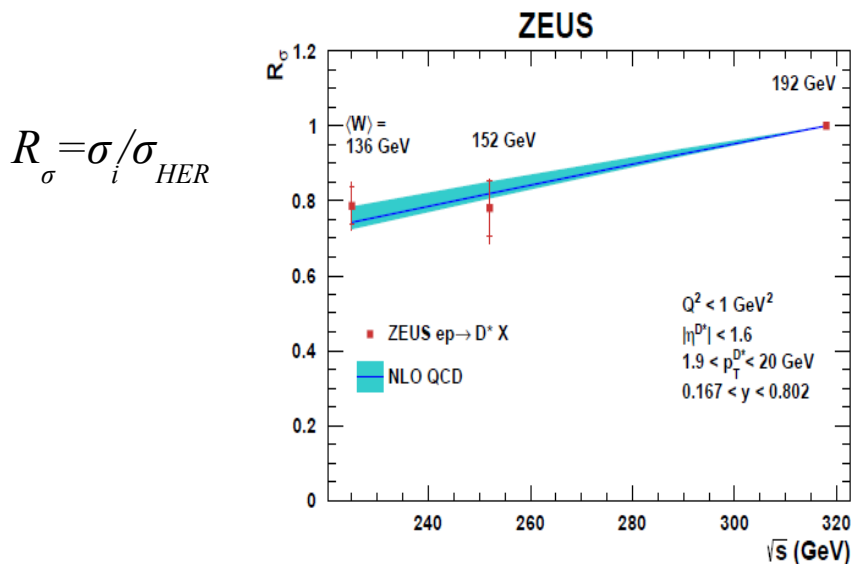


MER: $\mathcal{L} = 6.3 \text{ pb}^{-1}$

$\sqrt{s} = 225$ (LER)



LER: $\mathcal{L} = 13.4 \text{ pb}^{-1}$



kin. region: $1.9 < p_T^{D^*} < 20 \text{ GeV}$; $|\eta^{D^*}| < 1.6$;
 $0.167 < y < 0.802$

Total systematic uncertainty: $\approx 5\%$ in data
 few % in theory

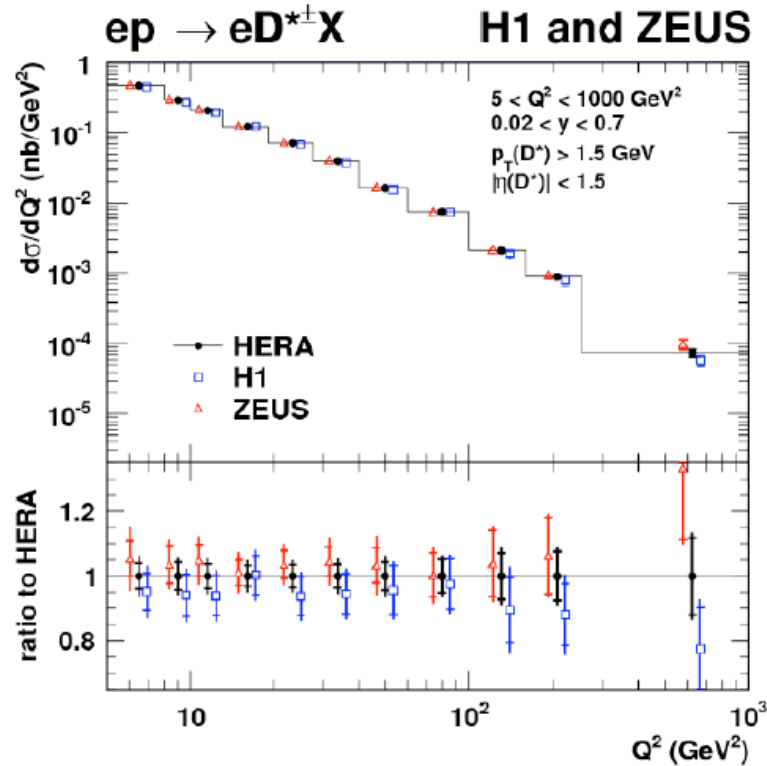
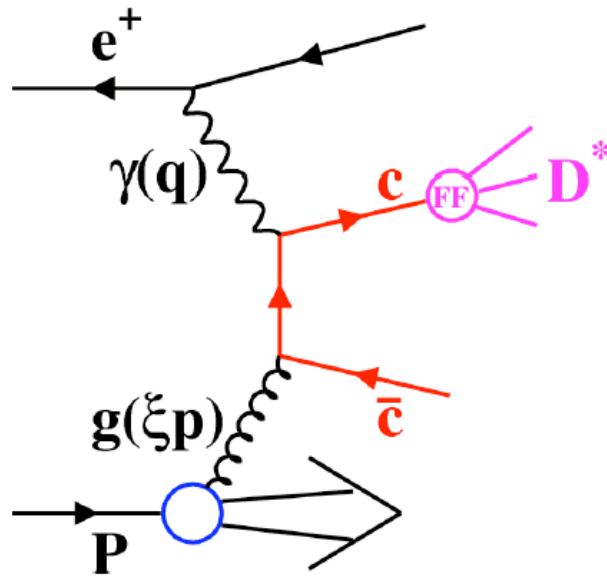
Cross sections increase with increase of s

Good description by FFNS NLO

Charm production

D^* differential cross sections in DIS

hep-ex 1503.06042 submt. to JHEP



Combined:

EPJ C71 (2011) 1769 H1 med Q²
PL B686 (2010) 91 H1 high Q²
JHEP 05 (2013) 097 ZEUS all Q²

Precision of combined data: $\approx 5\%$

Similar results and precision obtained for $d\sigma/dQ^2$ and $d\sigma/dy$

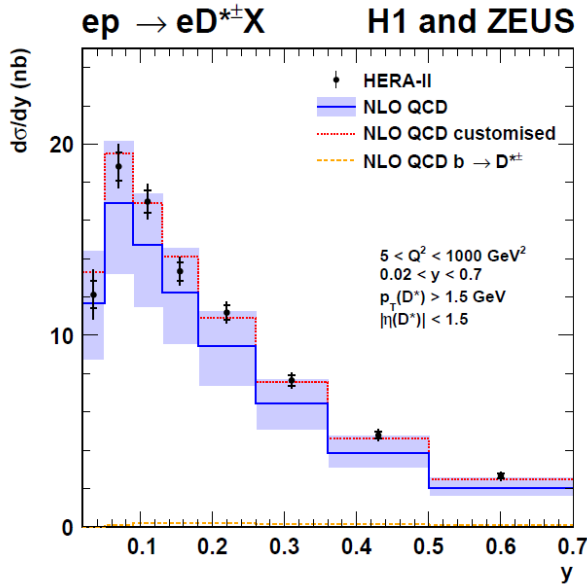
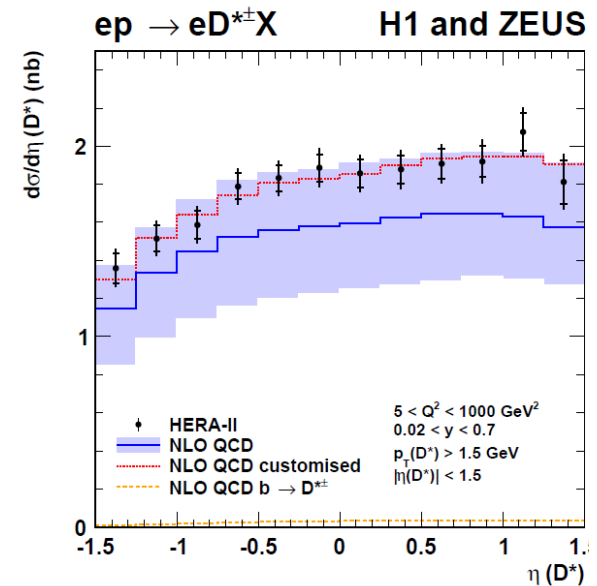
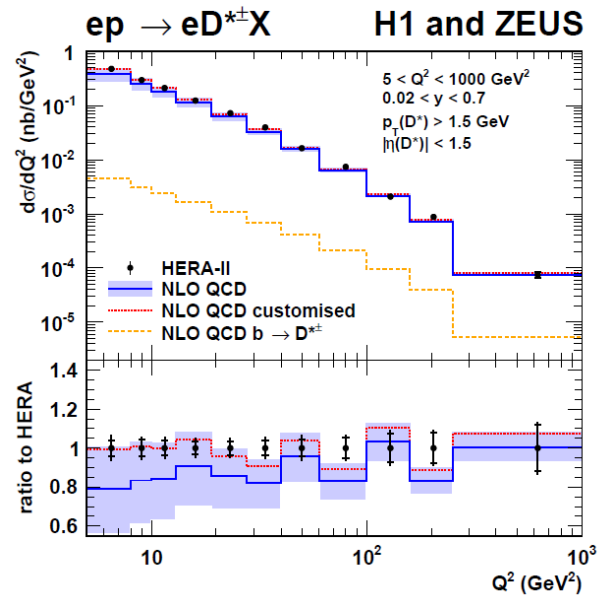
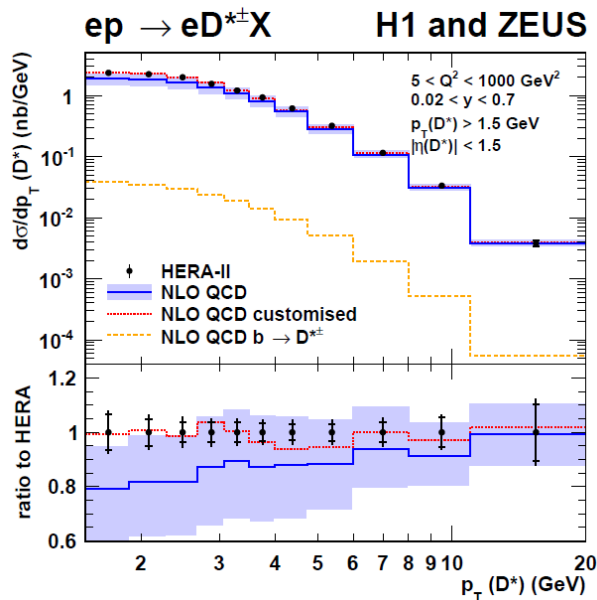
Charm mass measurement

EPJ C73 (2013) 2311

The value of $m_c^{\text{pole}}=1.4$ GeV was found to describe data better in a study of reduced $c\bar{c}$ cross sections (m_c^{pole} effective (not physical) mass parameter). Using the running mass definition in $\overline{\text{MS}}$ scheme, instead of pole mass, measured mass yields:

$$m_c(m_c) = 1.26 \pm 0.05_{\text{exp}} \pm 0.03_{\text{mod}} \pm 0.02_{\text{param}} \pm 0.02_{\text{alpha-S}} \text{ GeV}$$

D* differential cross sections in DIS



Combination procedure does not introduce theoretical uncertainties to data points

Precision of combined data: $\approx 5\%$

NLO scale uncertainties: $O(10-30\%)$

Customised NLO describe data well (although it is NOT a prediction) with two (arbitrary) parameters:

$$\mu_r^2 = 0.25 (Q^2 + 4m_c^2) ; m_c^{\text{pole}} = 1.4 \text{ GeV}$$

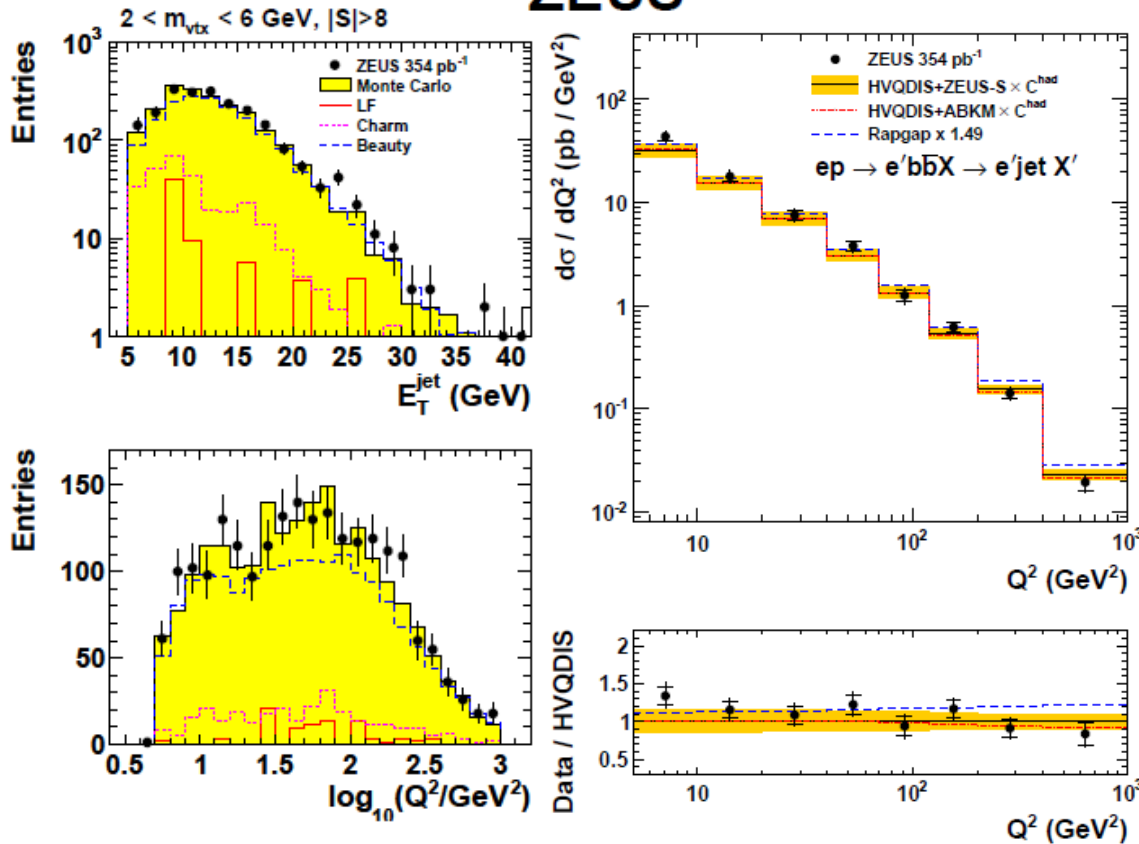
"NLO QCD customised"

NNLO calculation and improved fragmentation models might help

Similar conclusion for D* double-differential cross section in Q^2 and y

Beauty production in DIS

ZEUS

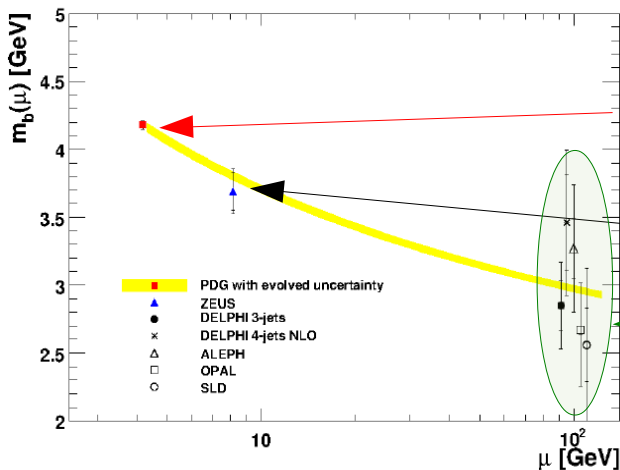


Left: distributions of Q^2 and jet's E_T of secondary vertices for b-enriched sample
 $2 < m_{\text{vtx}} < 6$; $|S| = |d/\delta d| > 8$
 $d = \text{decay length}$

Right: Differential cross section for inclusive jet production in b-events as function of Q^2

Good description of the data by the NLO FFNS HVQDIS model

ZEUS



$$m_b(m_b) = 4.07 \pm 0.14(\text{fit})^{+0.01}_{-0.07}(\text{mod.})^{+0.05}_{-0.00}(\text{param.})^{+0.08}_{-0.05}(\text{theo.}) \text{ GeV}$$

PDG: $4.18 \pm 0.03 \text{ GeV}$ from lattice QCD + time-like processes

$m_b(m_b)$ translated to $m_b(\mu)$ with $\mu = 2m_b$ and compared with PDG and LEP results

Mass running is consistent with QCD

QCD Instantons

QCD Instantons

Instantons

- Solutions to Yang-Mills equations of motion
- Physical interpretations:
pseudo particle or tunneling process between topologically different vacuum states

QCD Instantons at HERA

- Produced in quark-gluon fusion*
- Analysis phase space:

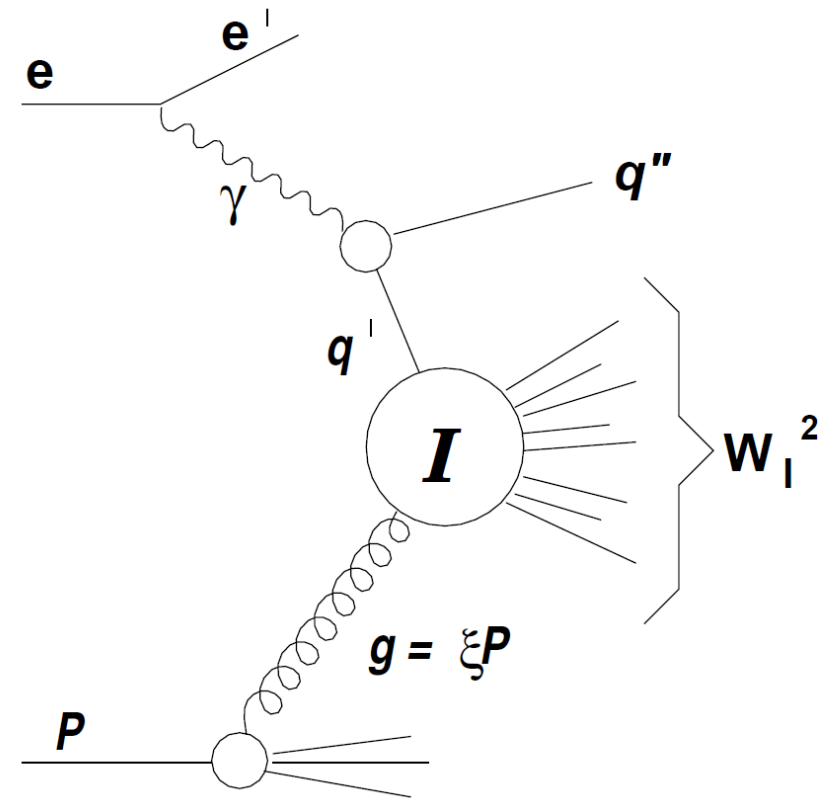
$$150 < Q^2 < 15000 \text{ GeV}^2$$

$$0.2 < y < 0.7$$

- QCDINS Monte Carlo: access to full event topology

Selected Signatures

- One hard jet
- Densely populated eta band, flat in ϕ
- Large particle multiplicities



Variables of I -subprocess:

$$Q'^2 \equiv -q'^2 = -(\gamma - q'')^2$$

$$x' \equiv Q'^2 / (2 g \cdot q')$$

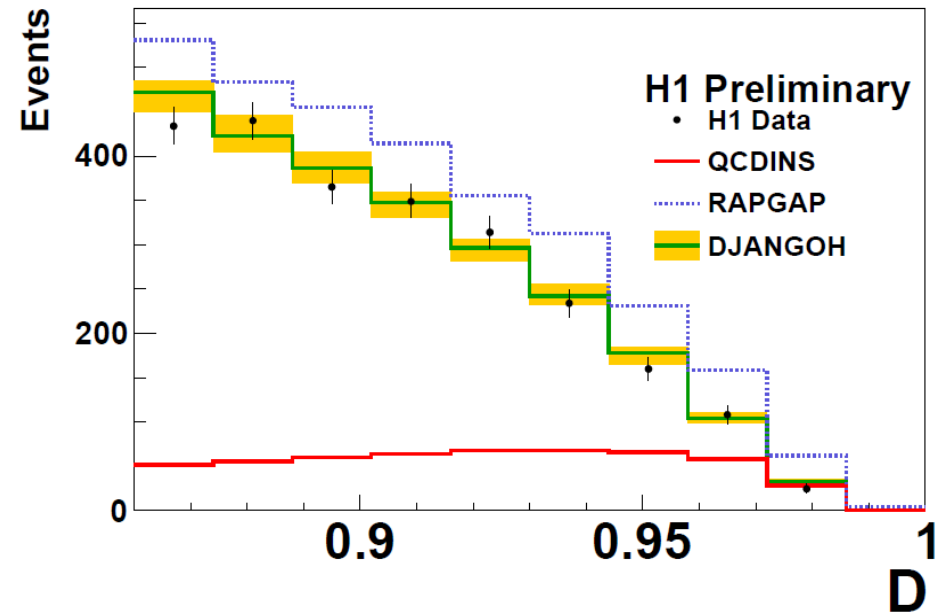
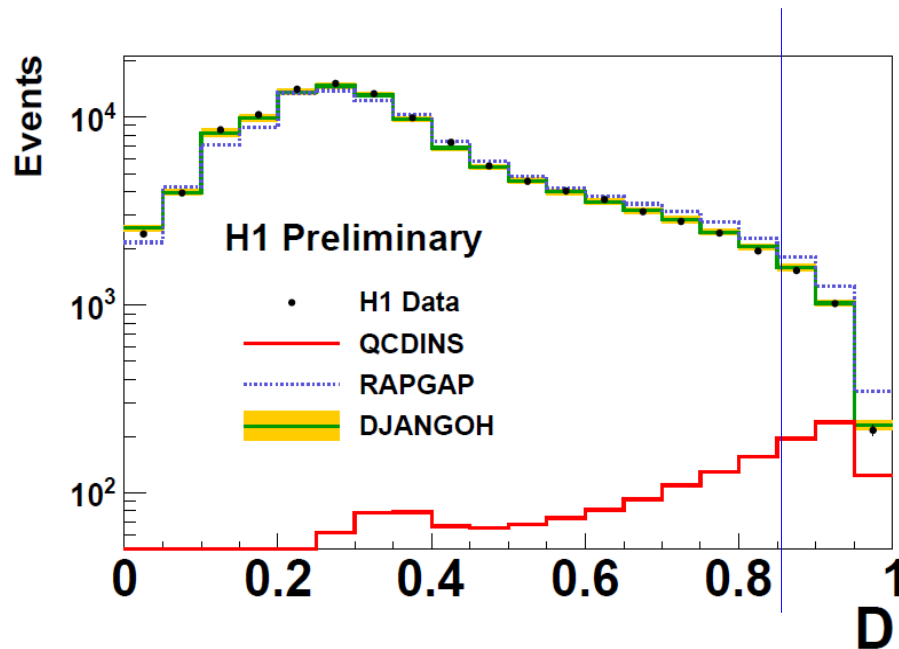
$$W_I^2 \equiv (q' + g)^2 = Q'^2 (1 - x') / x'$$

*S. Moch, A. Ringwald, F. Schrempp, Nucl Phys. B 507 (1997) 134 [hep-ph/9609445],
A. Ringwald, F. Schrempp, Phys. Lett. B 438 (1998) 217 [hep-ph/9806528],
A. Ringwald, F. Schrempp, Phys. Lett. B 459 (1999) 249 [hep-ph/9903039].

QCD Instantons analysis

Multivariate Analysis

- Probability density estimator with range search (PDERS)
- Training with Rapgap/Djangoh MC as background and QCDINS as signal MC
- Good discriminator description in the background region
- Signal region: $D > 0.86$



QCD Instantons - results

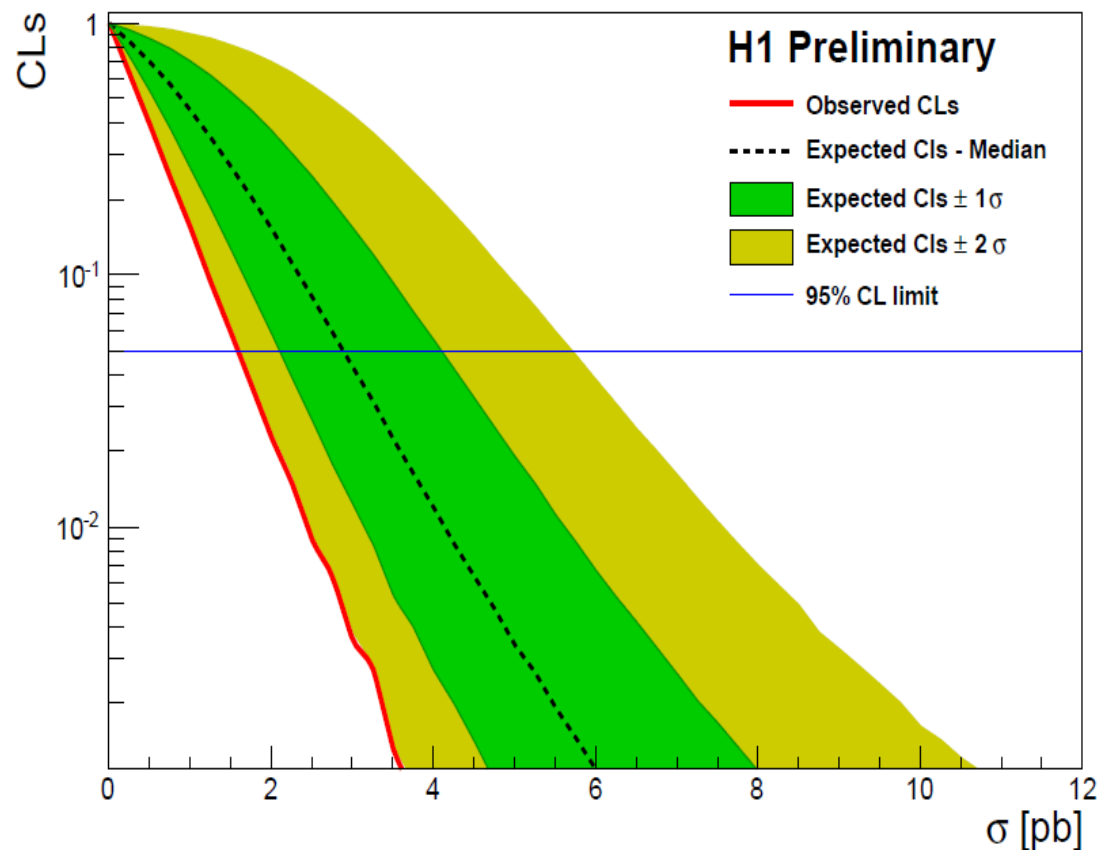
Data are *consistent with background*

No evidence for QCD Instantons

Limit calculations

- CL_s method used
- Input for limit calculations:
 - QCD Instanton cross section
 - Uncertainties: systematic and model
- Full range of the PDERS discriminator for better method reliability

$Q'^2 > 113 \text{ GeV}^2, x' > 0.35$



Theoretical prediction in the analysis phase space:

$10 \pm 2 \text{ pb}$

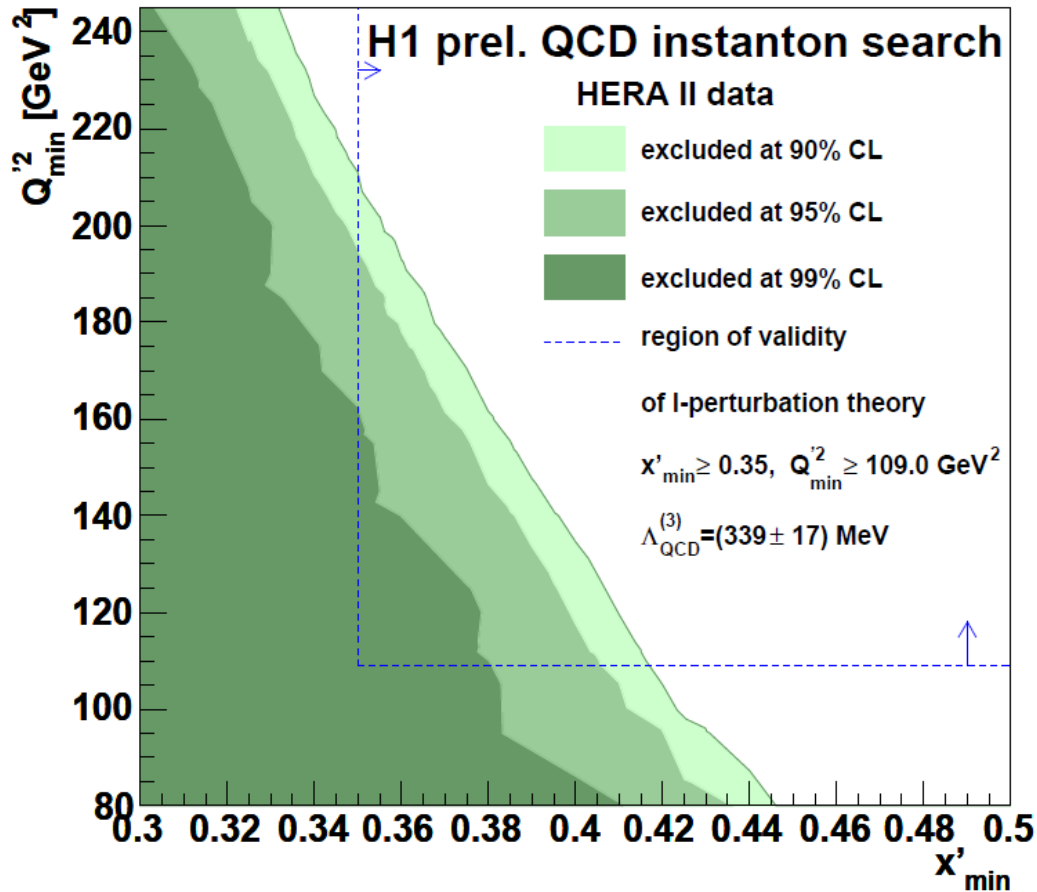
Upper limit for the instanton cross section at 95%CL:

1.6 pb

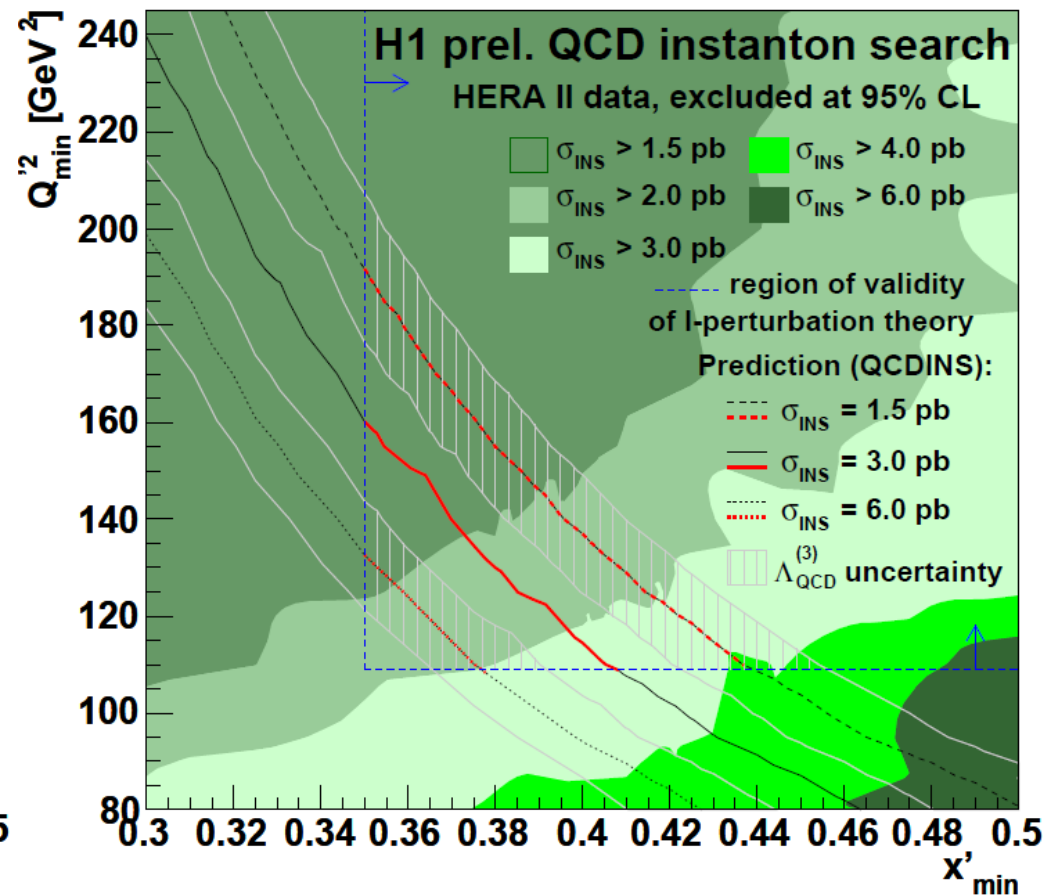
Exclusion of the Ringwald & Schrempp predictions for the QCD Instantons at HERA

QCD Instantons - results

QCD Instanton cross section limits in extended phase space



Instanton production exclusion limits for different confidence levels



Upper limits on the instanton production cross section at 95% CL

Isolines of fixed predicted σ_{Inst} and effects of varying the strong coupling

Summary

New interesting QCD results from the HERA experiments

Multi-jets and determination of α_s

- ZEUS and H1 measurements consistent with NLO calculations
- Most precise $\alpha_s(M_Z)$ is extracted from fit to the normalised multijet cross section, yielding
$$\alpha_s(M_Z)|_{k_T} = 0.1165 \text{ (8)}_{\text{exp}} \text{ (38)}_{\text{pdf,theo}}$$
- The running of $\alpha_s(\mu_r)$ consistent with results from other jet data
- Precision of the measurement (H1) is better than that of NLO calculations

Need NNLO

Heavy flavours – charm(ing)&beauty(full)

- H1 and ZEUS provide new results with HERA data, making tighter constraints on QCD
- New precise (combined) measurements – well described by NLO QCD, but still challenge to theory and fragmentation models
- Masses of b/c quarks agree with PDG values. Running of m_b consistent with QCD

QCD Instantons searches

- Ringwald & Schrempp predictions for the QCD Instantons at HERA appear to be excluded

Thank you for your attention

Backup slides

H1 High Q^2 Jet Production Analysis

Jets reconstruction

- Overconstrained system in DIS
- Energy flow algorithm
 - Calibration using neural networks
- k_T and anti- k_T algorithm in the Breit frame

Hadronic energy scale uncertainty 1%

Phase space and Jet samples

- HERA II data, 351 pb^{-1}
- Inclusive jets: every jet in an event exceeding a min P_T contribute to a cross section σ_{jet}
- Dijets (Trijets): events with at least 2 (3) jets above a given P_T contribute to a cross section $\sigma_{\text{dijet (trijet)}}$
- Normalised cross sections: $\sigma_{\text{jet}} / \sigma_{\text{NC DIS}}$

Measurement phase space
for jet cross sections

| |
|---|
| $150 < Q^2 < 15\,000 \text{ GeV}^2$ |
| $0.2 < y < 0.7$ |
| $-1.0 < \eta_{\text{lab}}^{\text{jet}} < 2.5$ |
| $7 < P_T^{\text{jet}} < 50 \text{ GeV}$ |
| $5 < P_T^{\text{jet}} < 50 \text{ GeV}$ |
| $M_{12} > 16 \text{ GeV}$ |

Unfolding

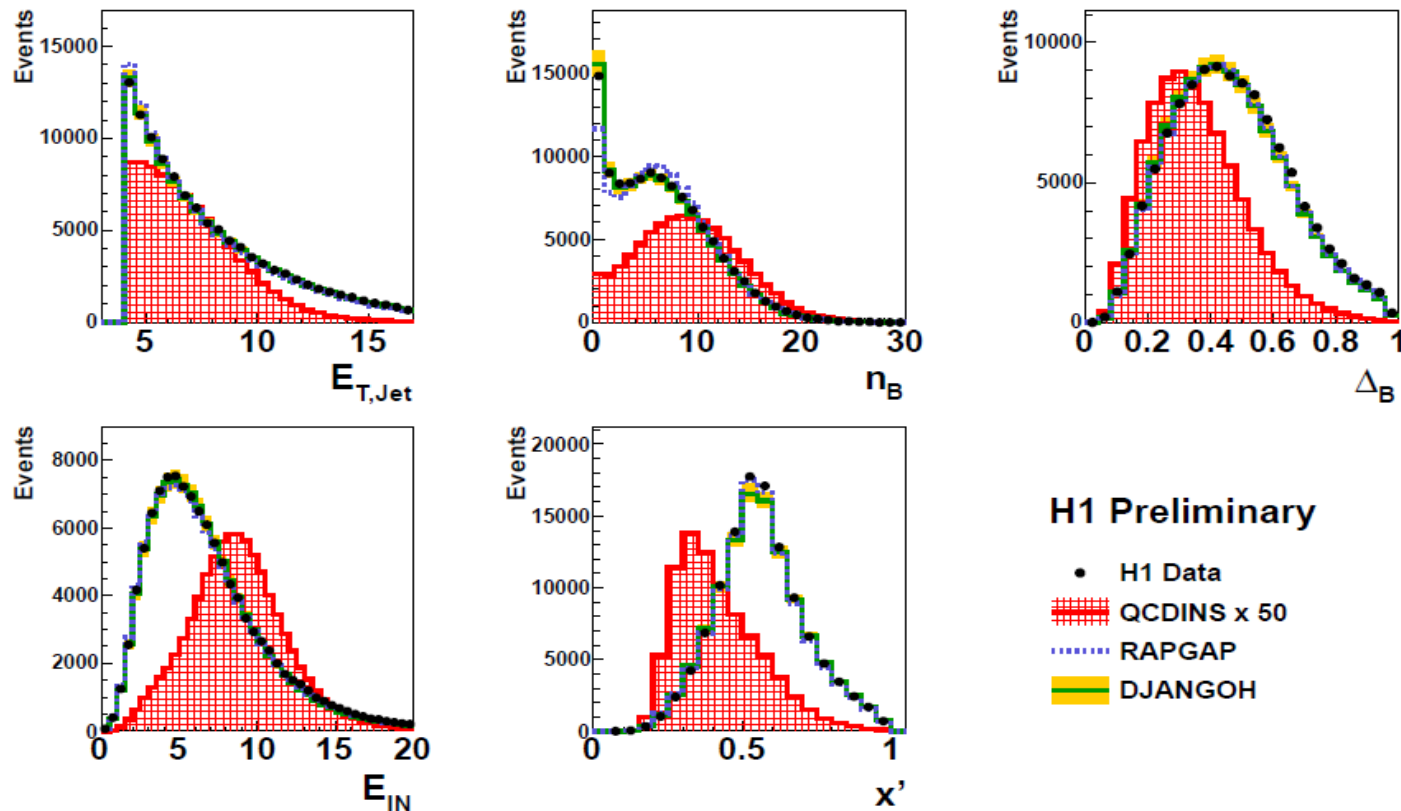
- Regularised unfolding with TUnfold*
- Multidimensional unfolding in Q^2, y, P_T
- Migrations of up to 7 observables and correlations between samples taken into account

* S.Schmitt, JINST 7 (2012) T1003, (arXiv:1205.6201)

QCD Instantons analysis

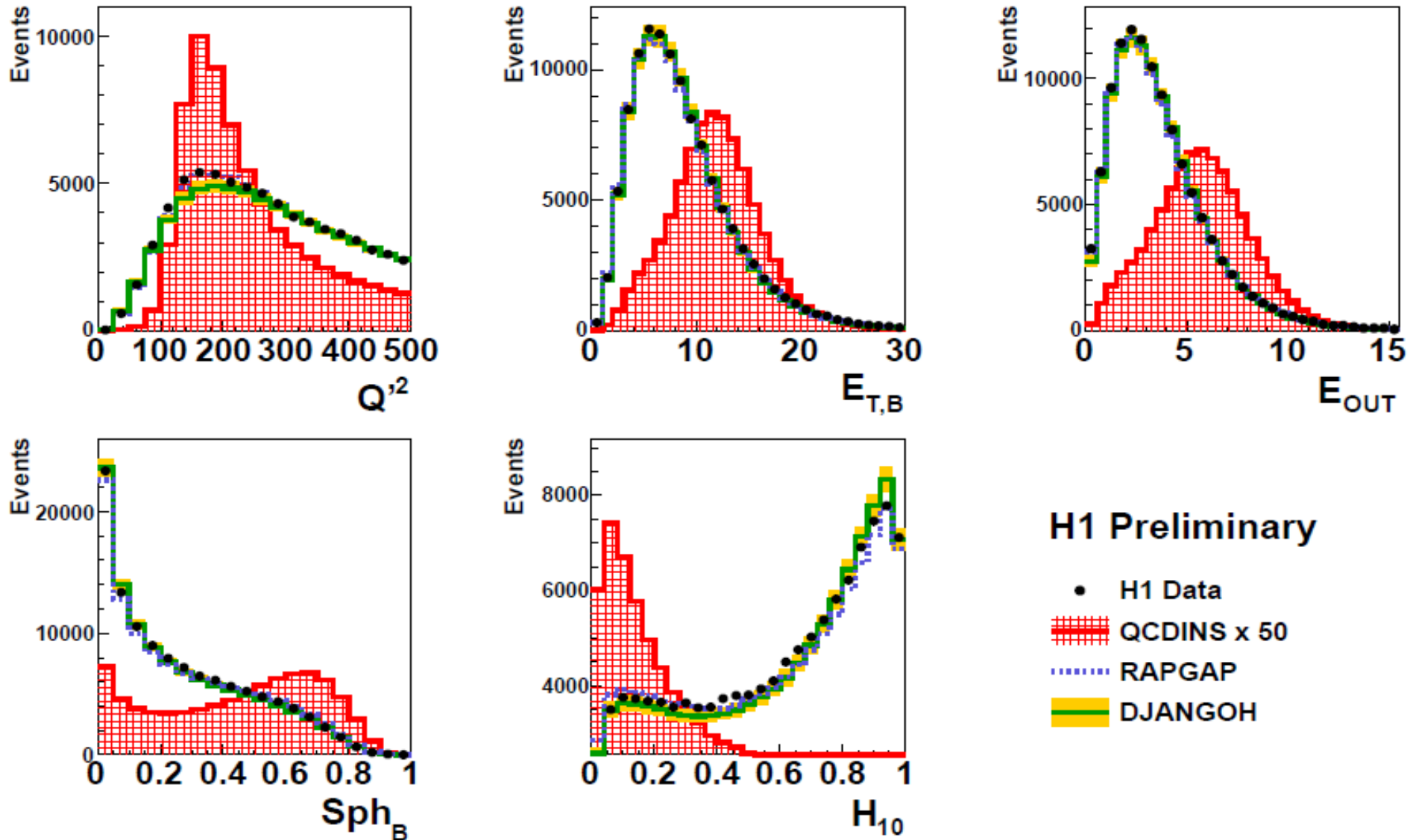
Search strategy

- Find jets in hadronic centre of mass frame
 - Remove hardest jet from objects of hadronic final state (HFS)
- Boost to instanton rest frame and define variables
 - Topological: sphericity, Fox-Wolfram moments, **azimuthal isotropy (Δ_B)**, ...
 - Number of charged particles n_B
 - Transverse energy of the band...
- Variables are used as input to MVA



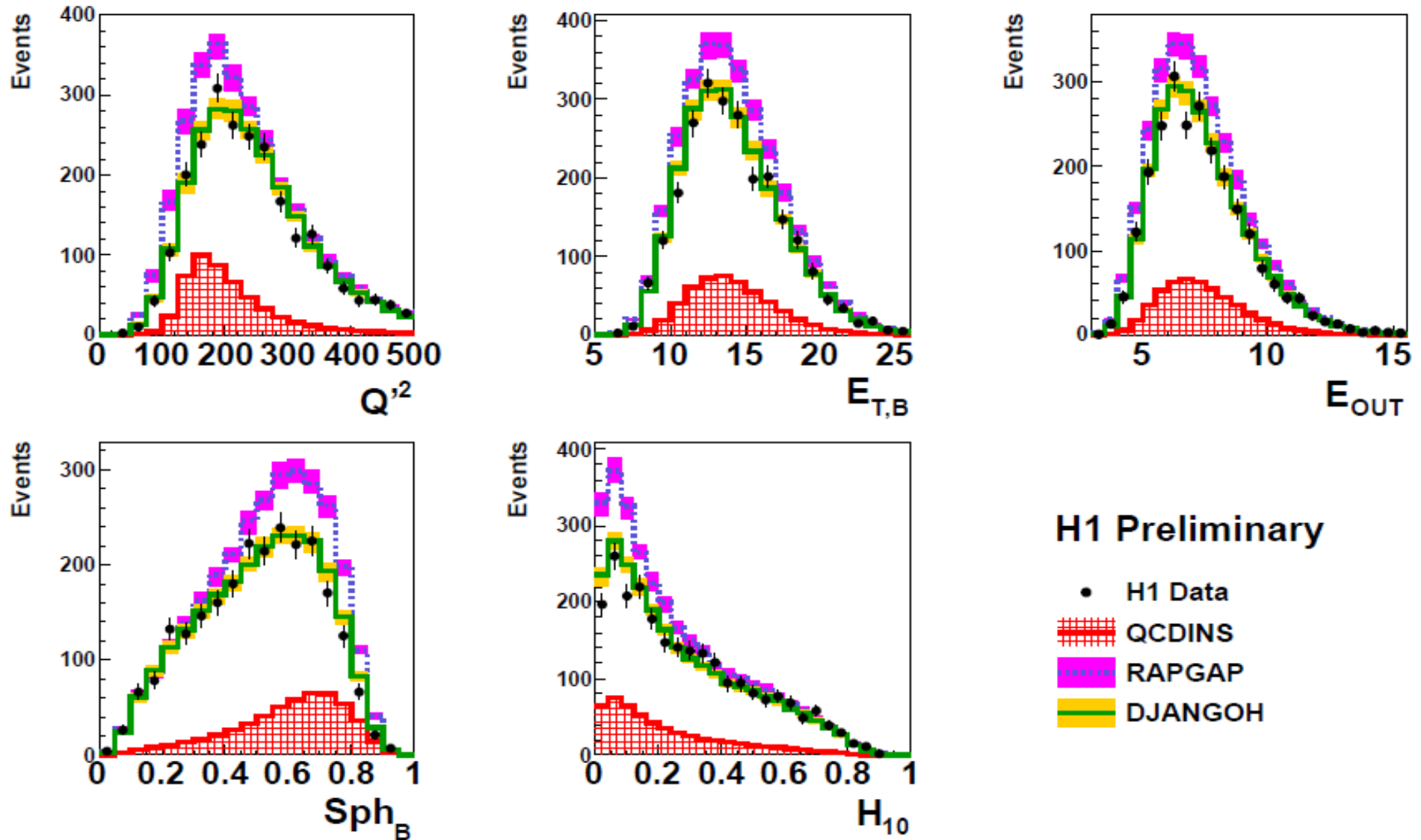
Observables not used in the TMVA training

Full range of the discriminator



Observables not used in the TMVA training

Signal range of the discriminator



H1 Preliminary

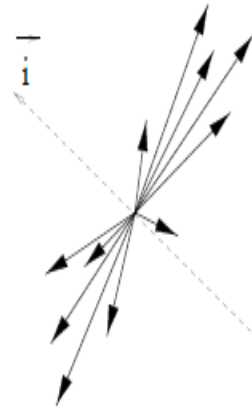
No excess of events in the signal region

Azimuthal isotropy

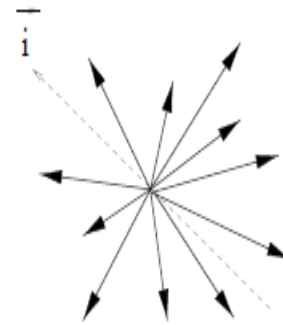
$$\Delta_b = (E'_{in,B} - E'_{out,B}) / E'_{in,B}$$

$$E_{out} = \min \sum_n H_{adr.} |\vec{p}_n \cdot \vec{i}|$$

$$E_{in} = \max \sum_n H_{adr.} |\vec{p}_n \cdot \vec{i}|$$



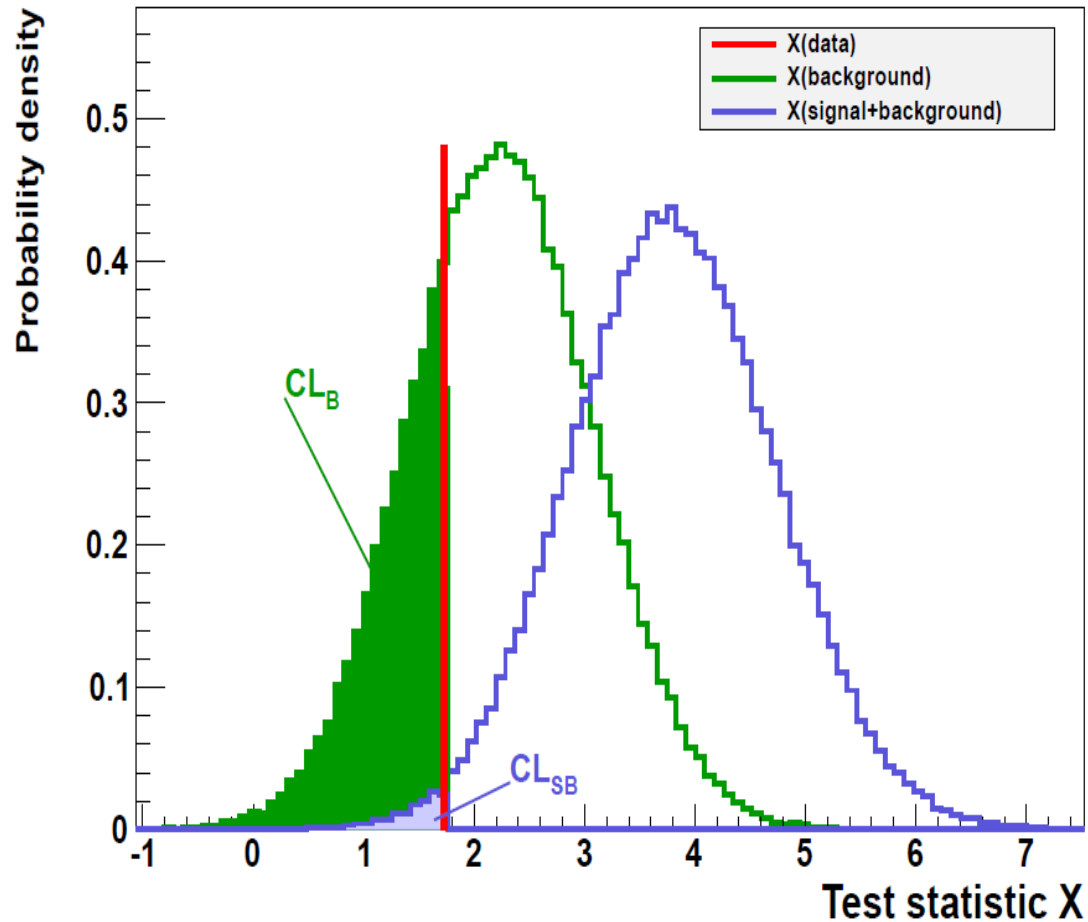
$$\Delta_b \approx 1$$



$$\Delta_b \approx 0$$

Test statistic distribution

Construct test statistics for **Data**, **Background** and **Backgr+Signal**



$$CL_S = \frac{CL_{SB}}{CL_B}$$

Confidence Level : $CL = 1 - CL_S$